



STINT

The Swedish Foundation for International
Cooperation in Research and Higher Education



Modeling of aerosol processes in the atmosphere

Peter Tunved

Department of Environmental Science and Analytical Chemistry

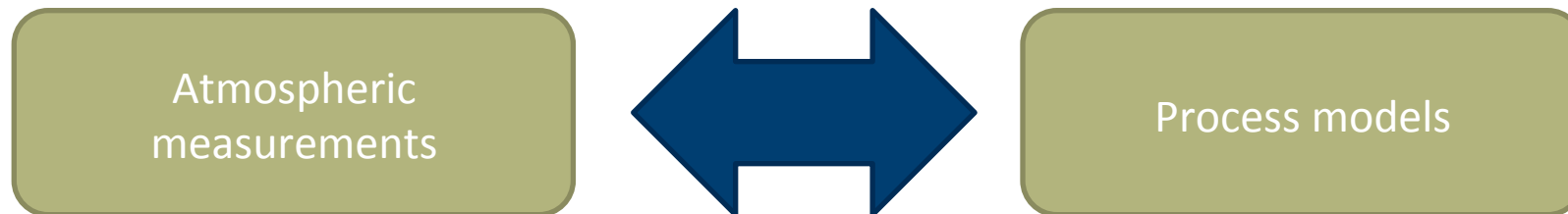
Stockholm University

Sweden



Scope of lecture

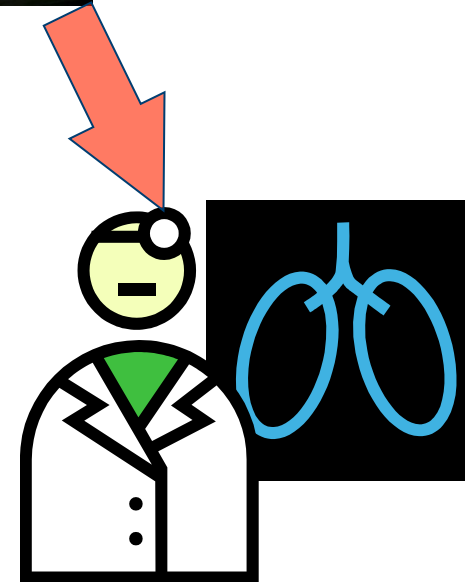
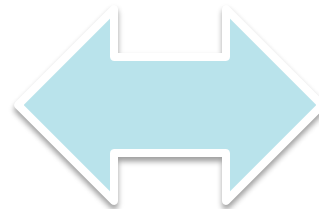
- Provide a fundamental overview of processes affecting aerosols in the atmosphere under cloud-free conditions
- Familiarize with basic functions to be used in exercises
- Apply process understanding to atmospheric data collected during the GoAmazon campaign.



Why interested in aerosols?



Climate



Health

Aerosols and health

- Urban outdoor air pollution responsible for **1.3 million deaths annually**
- Indoor air pollution responsible for **~2 million premature deaths** annually (mainly in developing countries)

Aerosols and climate

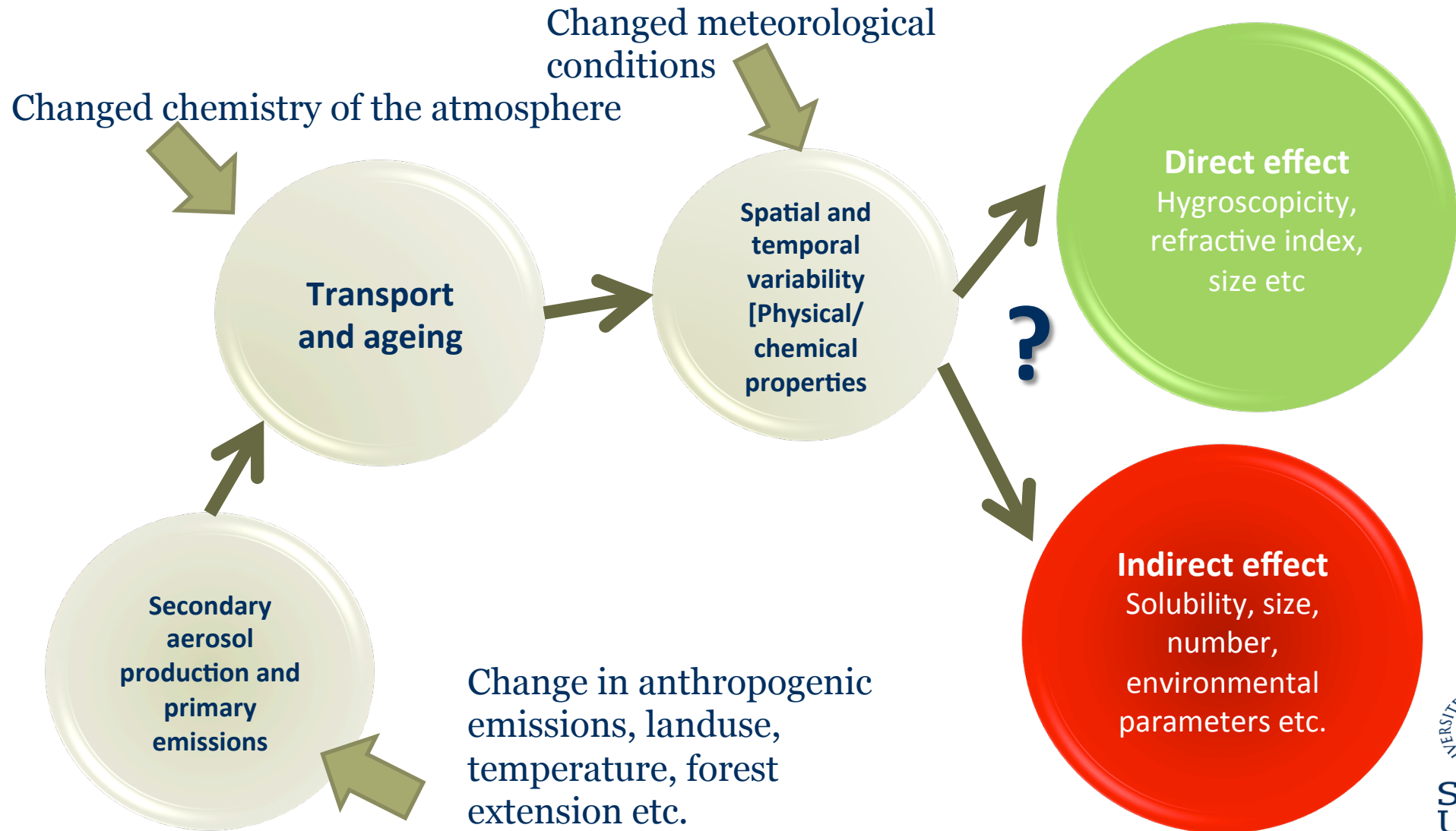
“ The RF of the total aerosol effect in the atmosphere, which includes cloud adjustments due to aerosols, is -0.9 [-1.9 to -0.1] W m^{-2} (medium confidence), and results from a **negative forcing from most aerosols** and a **positive contribution from black carbon** absorption of solar radiation.

There is high confidence that aerosols and their interactions with clouds have offset a substantial portion of global mean forcing from well-mixed greenhouse gases.

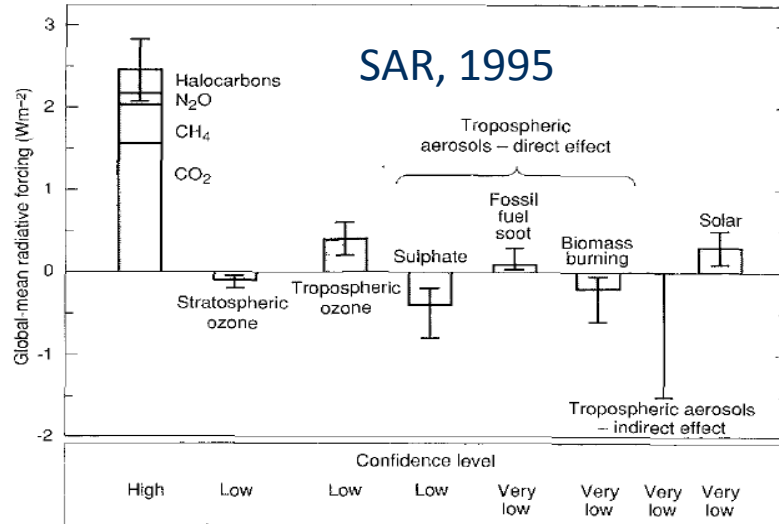
They continue to contribute the largest uncertainty to the total RF estimate. ”

Apparently important....

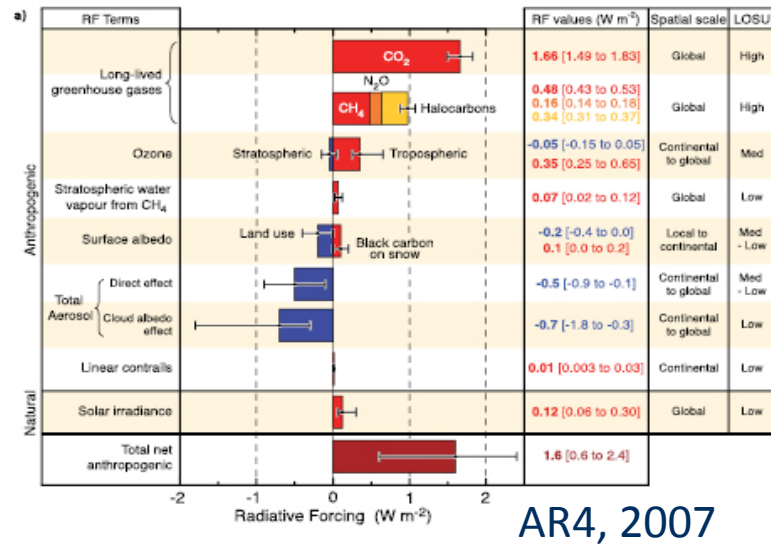
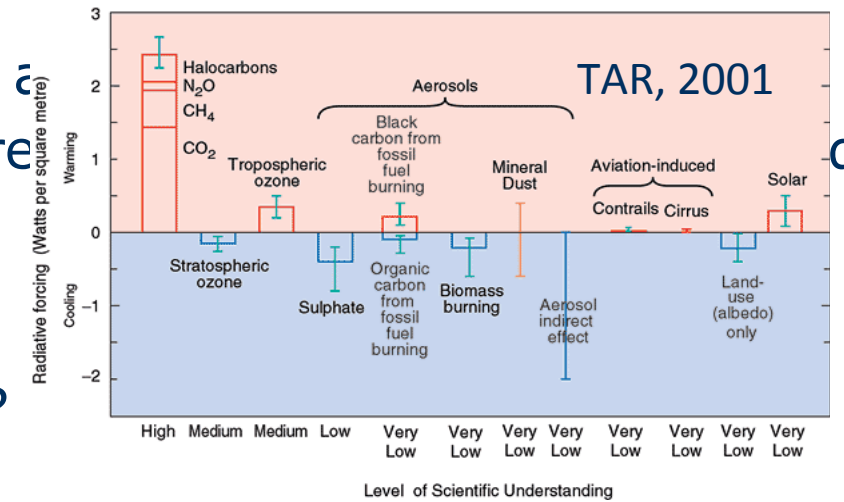
Aerosols and climate in a changing atmosphere: "need-to-knows"



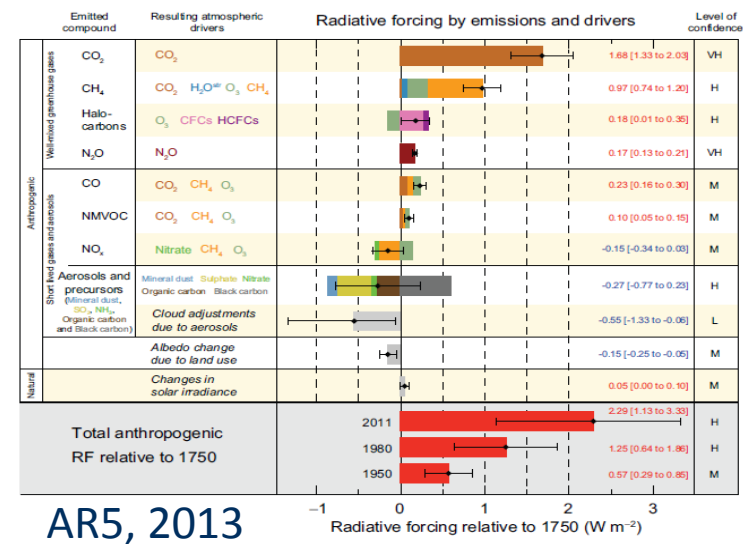
Constraining the aerosol effects



re
a



IPCC 2007: WG1-AR4



Why so difficult to get the indirect effect right?

- Aerosol-cloud-interactions are inherently difficult to describe – both qualitatively and quantitatively
- Even though progress has been made, further progress is hindered by limited model resolution and observation capabilities (e.g. Rosenfeld et al., 2014)
- This substantially hampers our ability to assess the role of these interaction in the climate system

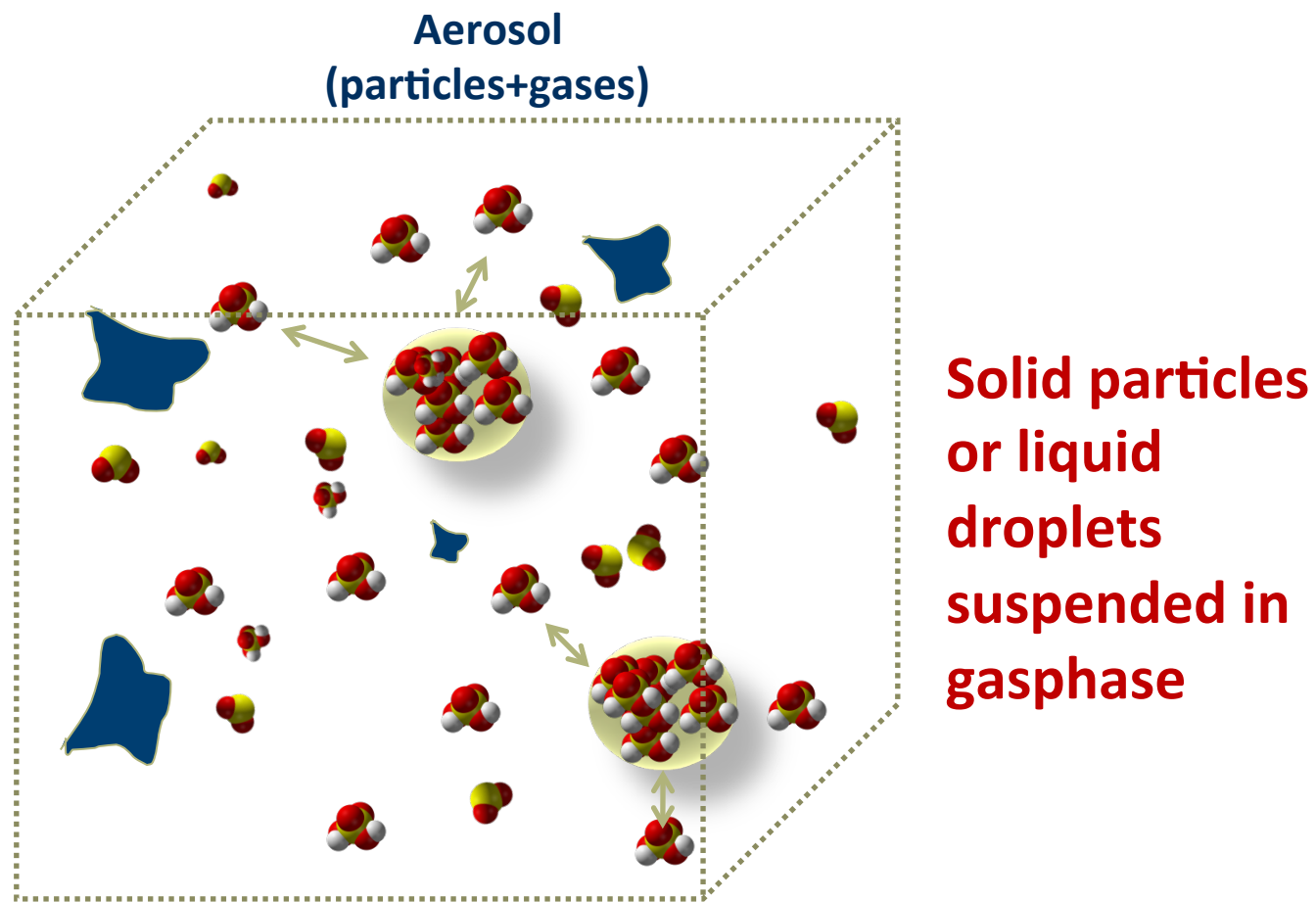
Why important to describe aerosol dynamics?

The aerosol is continuously changed via a number of dynamical (both physical and chemical) processes, altering the properties of the size distribution

Knowledge of these processes is necessary in order to accurately assess both **smaller scale interactions** (e.g. aerosol cloud interactions) as well as **large scale transport and processing**

Thus, aerosol processes are relevant on both micro and synoptic scale

Definition of aerosol



Aerosol definition, cont.

A solid or liquid particle suspended in a gas phase

The aerosol in the atmosphere is polydisperse and appears over a size range from a few nm up to 100 μm

Always observed in the atmosphere; from a few 10's of particles in clean environments up to 10^6 in polluted environments

Mass varies between few tenths of $\mu\text{g} \cdot \text{m}^{-3}$ up to $\text{mg} \cdot \text{m}^{-3}$ under extreme conditions

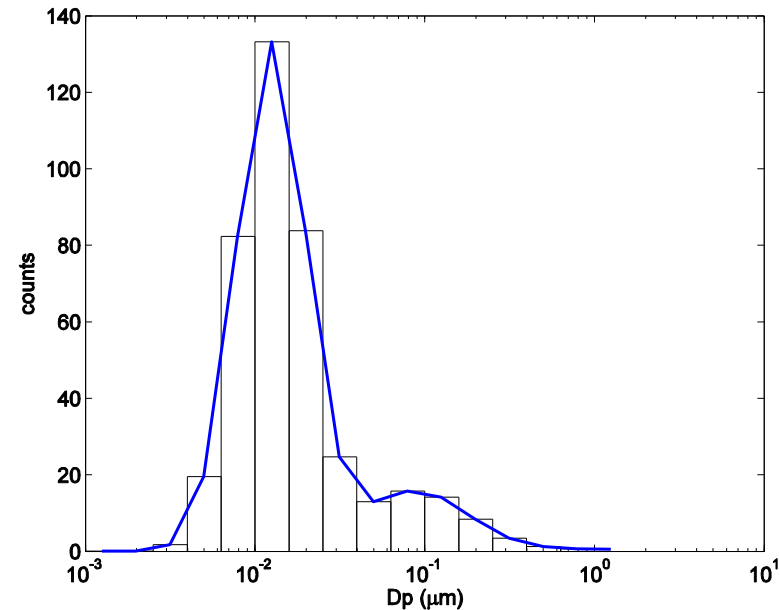
Typical tropospheric lifetimes: days-weeks

Observing the aerosol

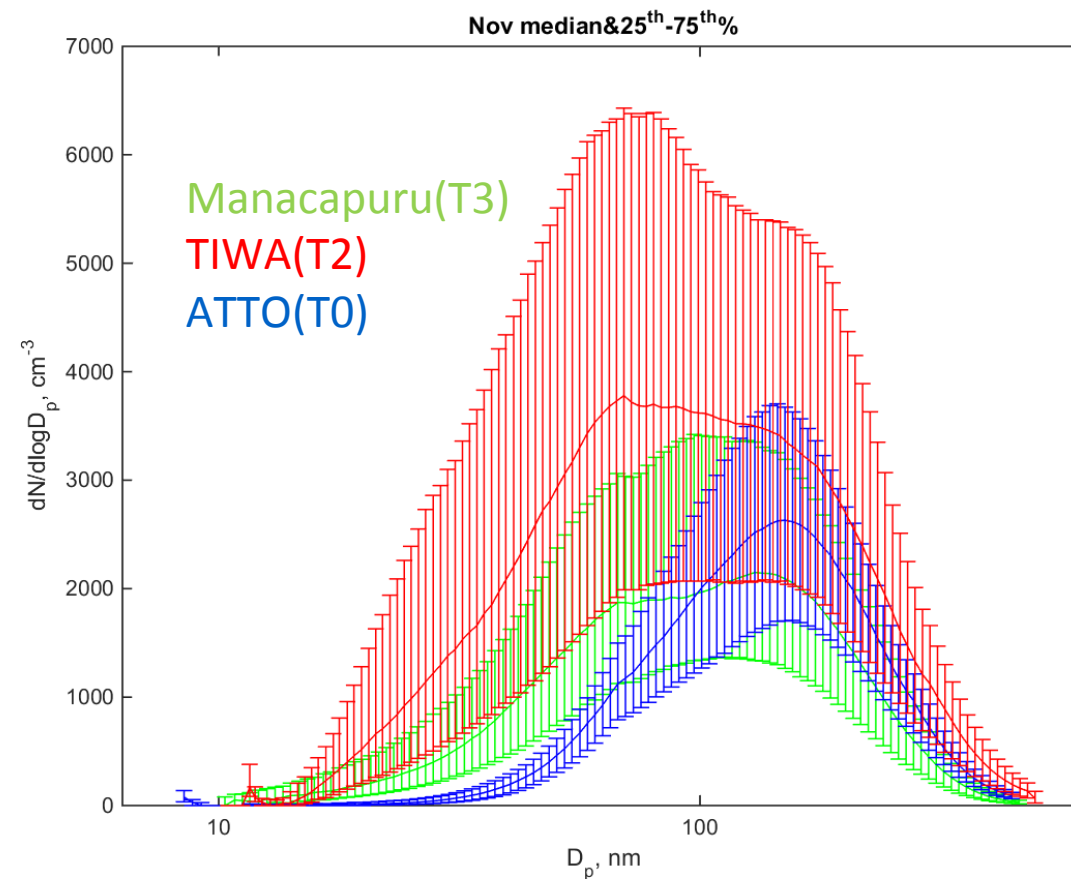
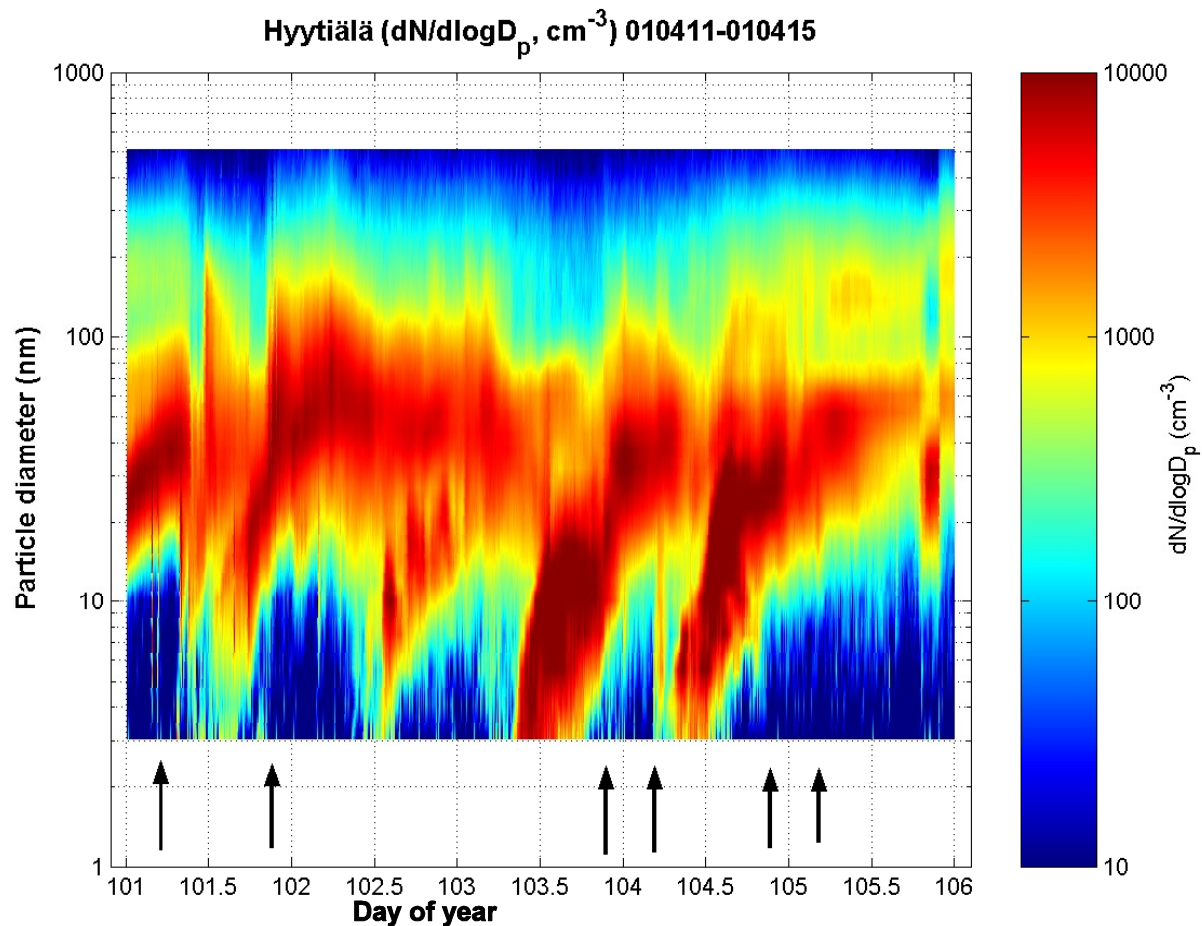
**Mass, number, optical properties,
chemical composition**

Either as bulk or size distributed

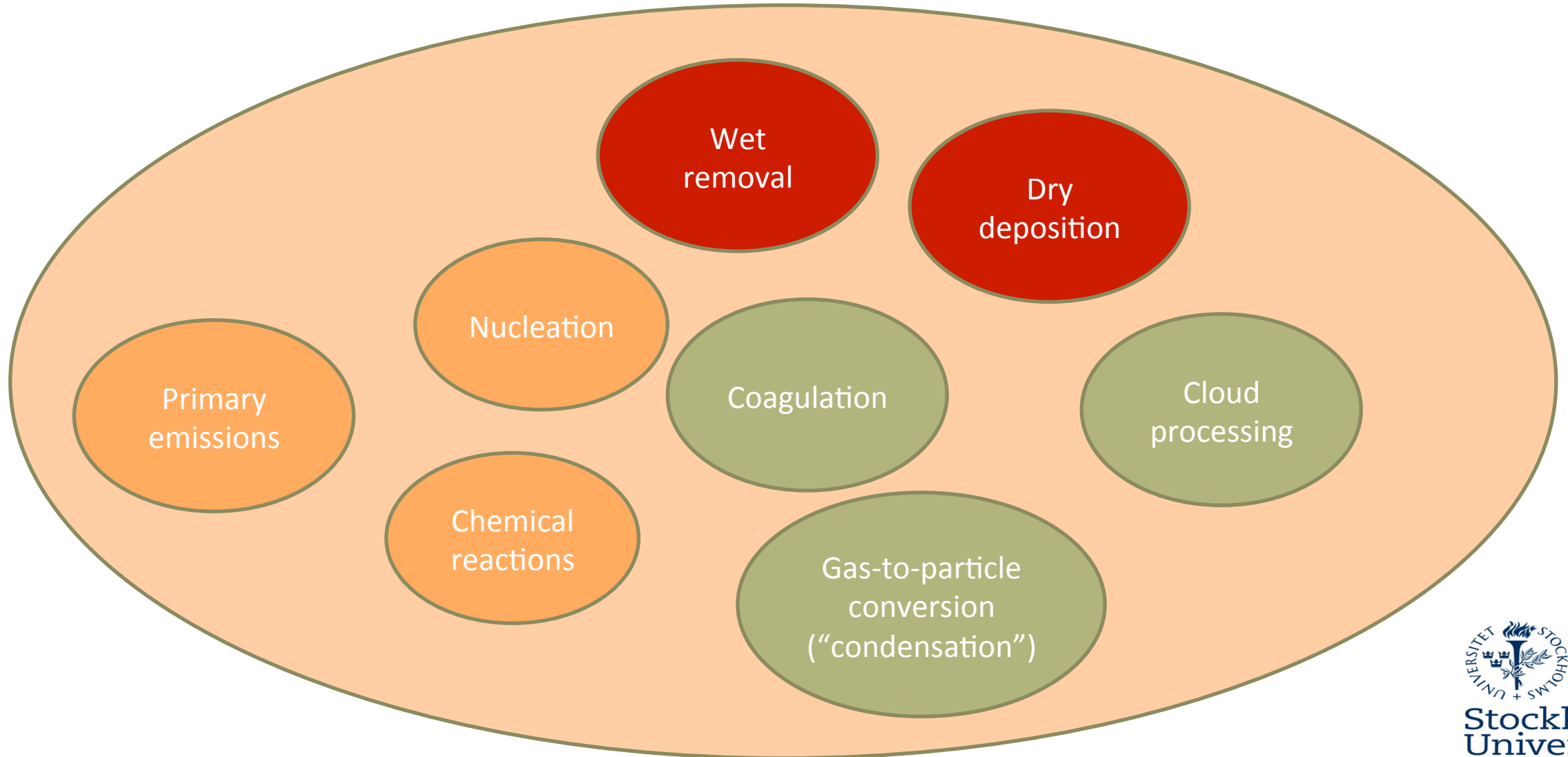
540 cm^{-3} or...



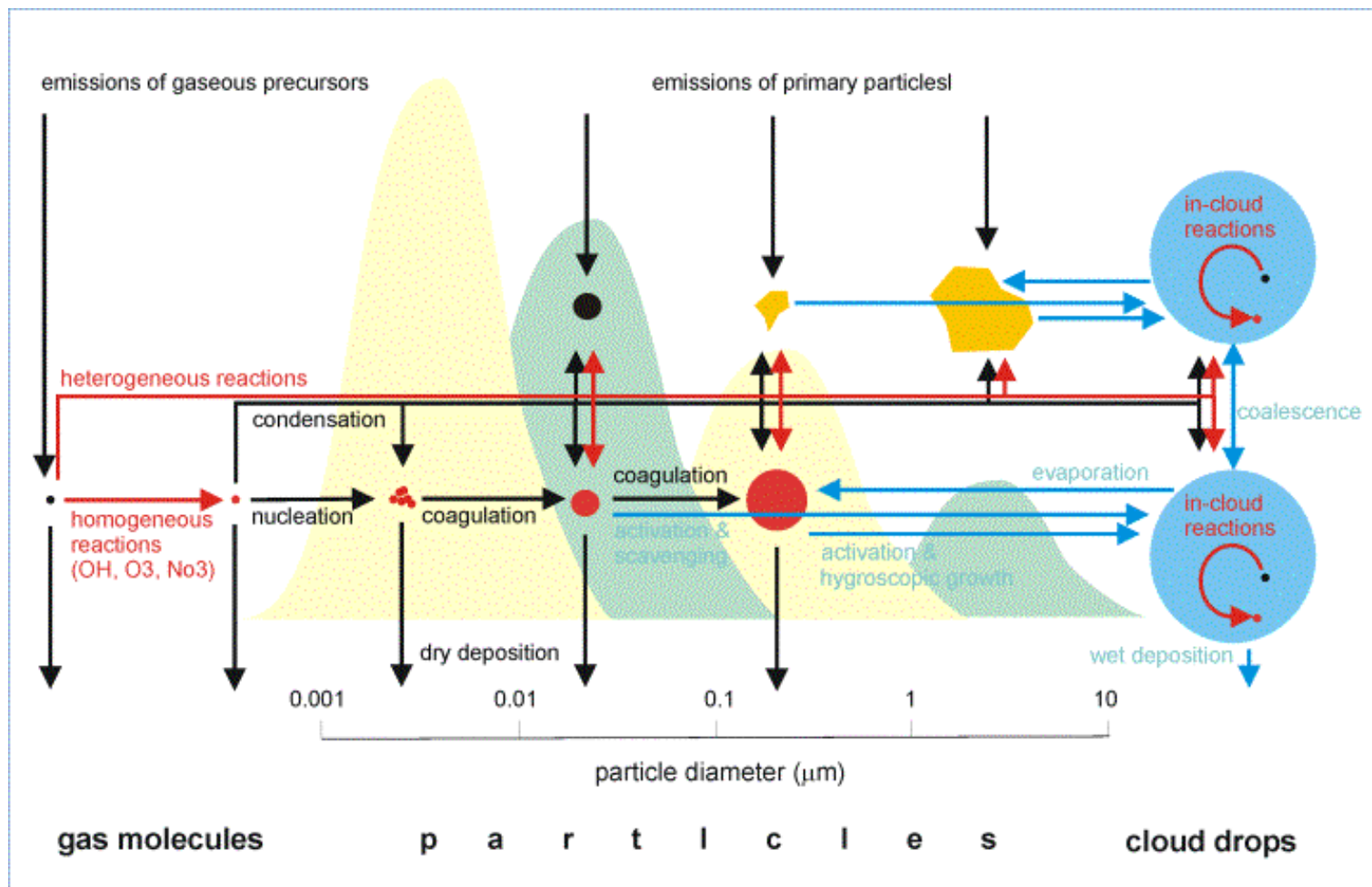
The aerosol is highly variable in space and time



Modeling the atmospheric aerosols

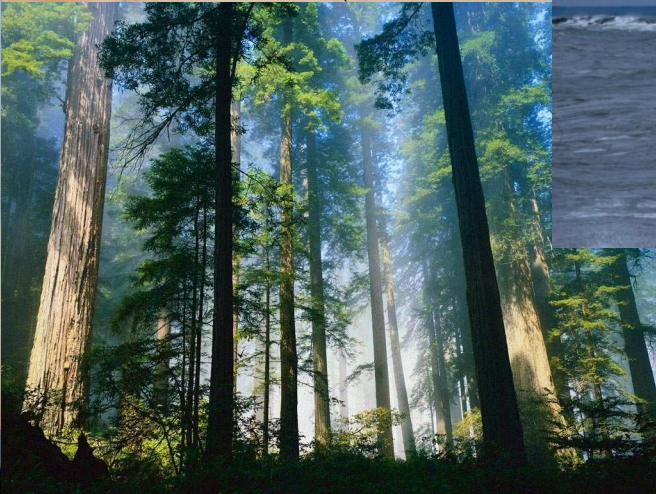
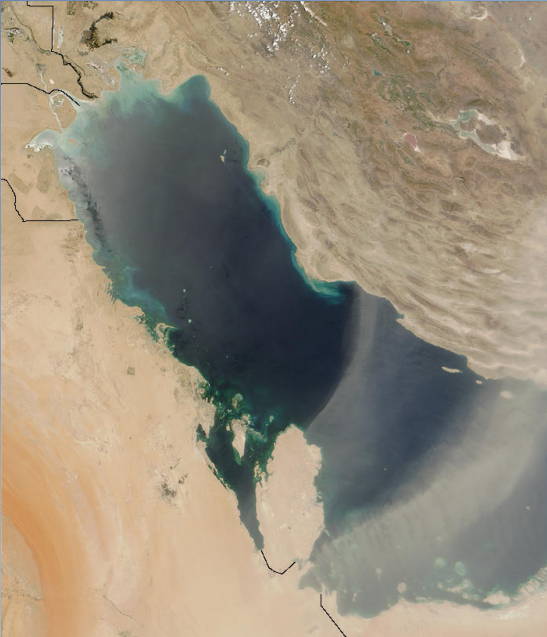


Aerosol processes



Raes et al., *Atm. Env.*, 2000

Sources of atmospheric aerosols



Sources of secondary and primary aerosols

Inorganic

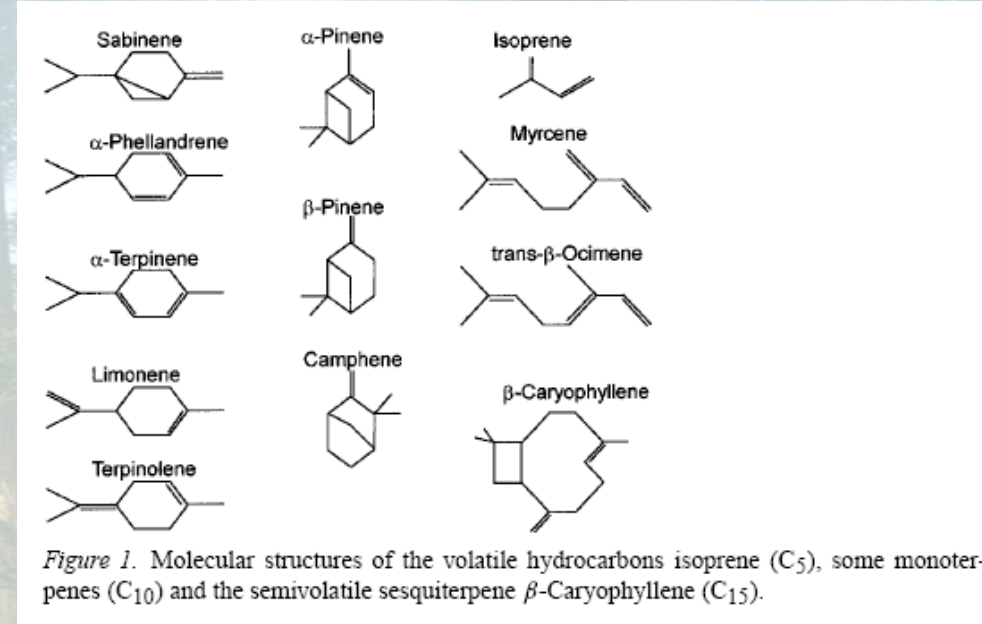
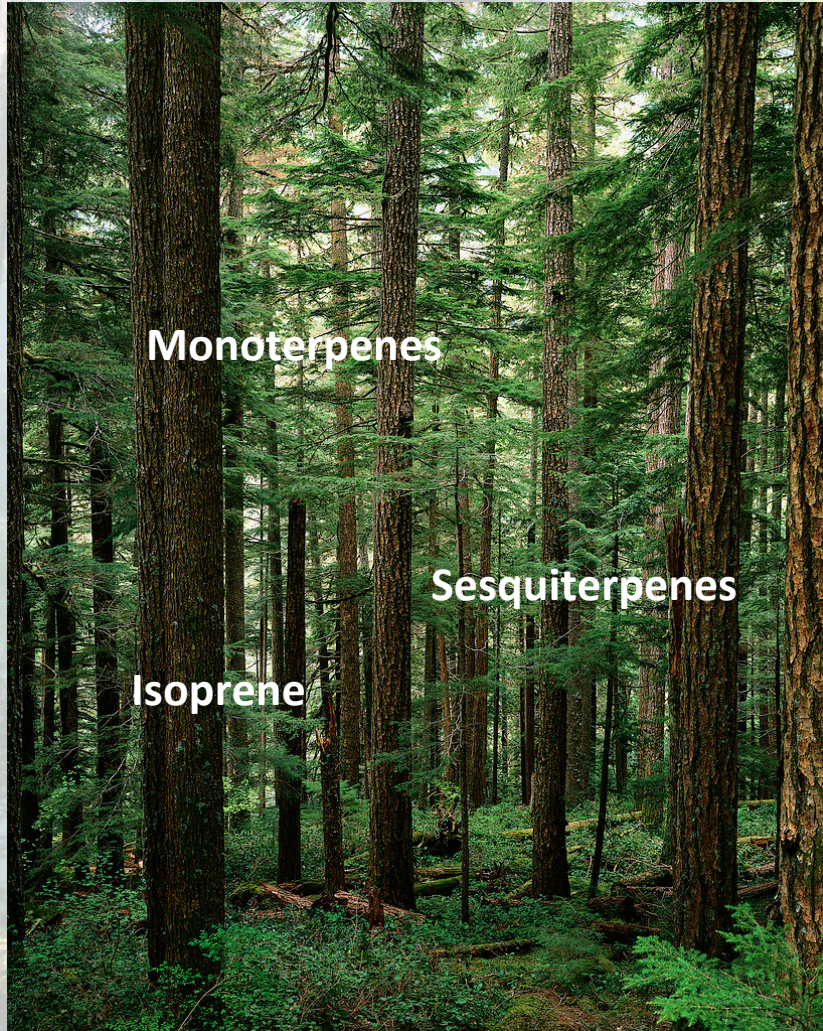


Organic

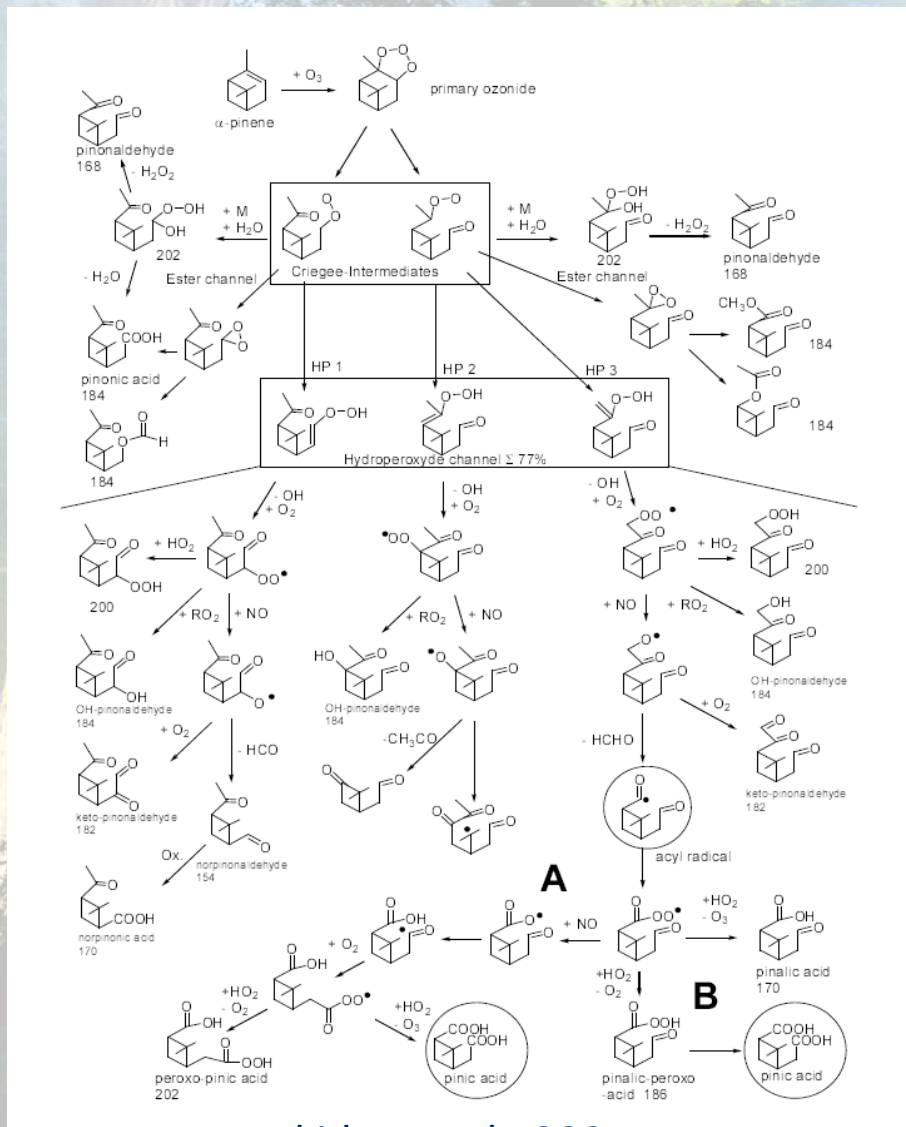
Biogenic VOC (BVOC's; eg Monoterpenes)

Anthropogenic VOC's (generally high Mw)

Terpenoids: globally a very important source of secondary aerosols



Terpene chemistry: α -pinene



Kanakidou et al., 2005

Very complex chemistry!

Most well studied for α -pinene and β -pinene

For most compounds, secondary oxidation steps are largely unknown

α -pinene most commonly abundant monoterpene

The ozone reaction believed to dominate SOA production

Sinks

Dry deposition

Transport through air to a surface: Turbulent transport, transport over the laminar surface layer, surface properties

Wet deposition

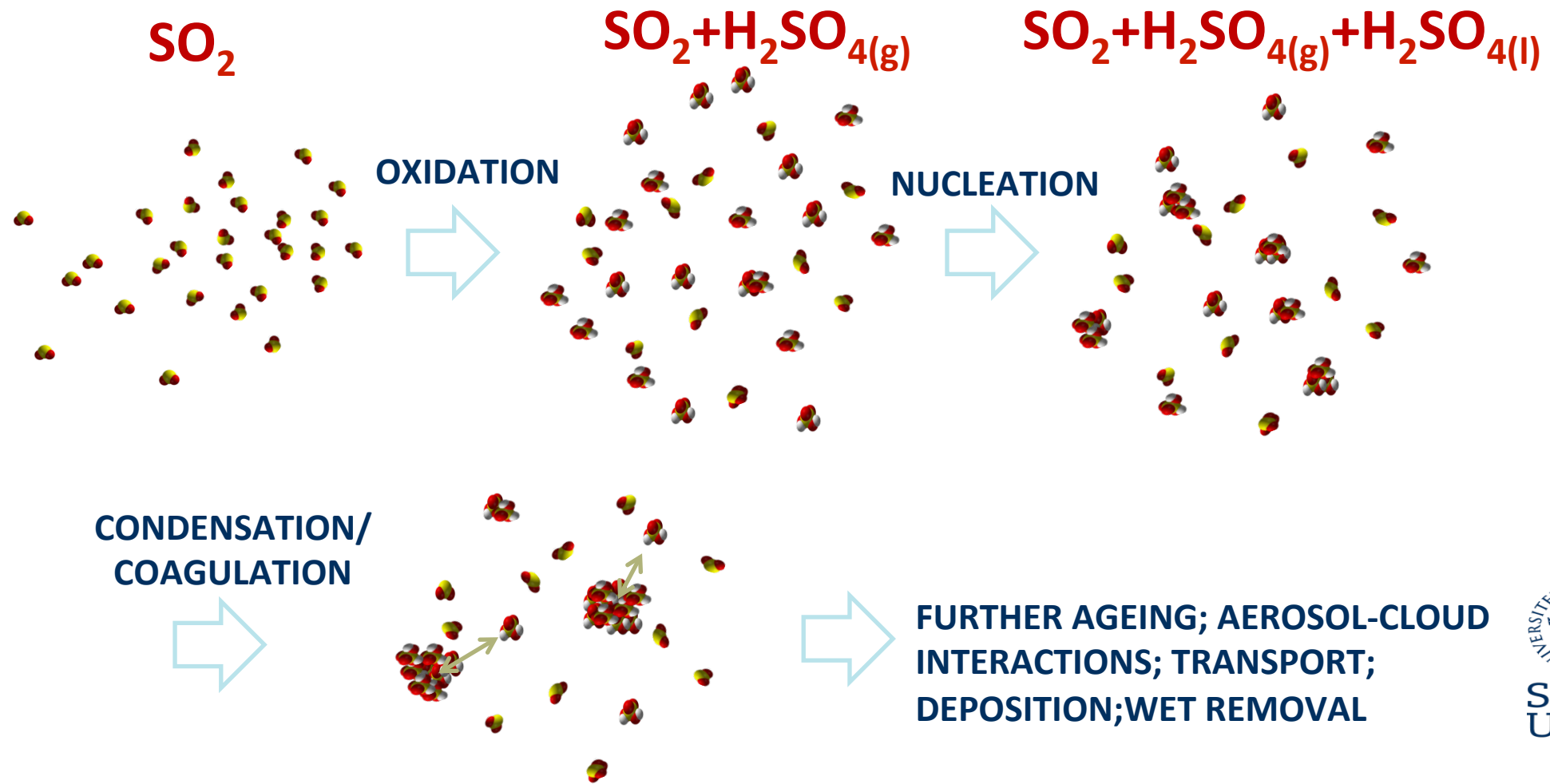
Up-take in cloud droplets ("in-cloud scavenging"), up-take in falling rain droplets ("below-cloud scavenging")

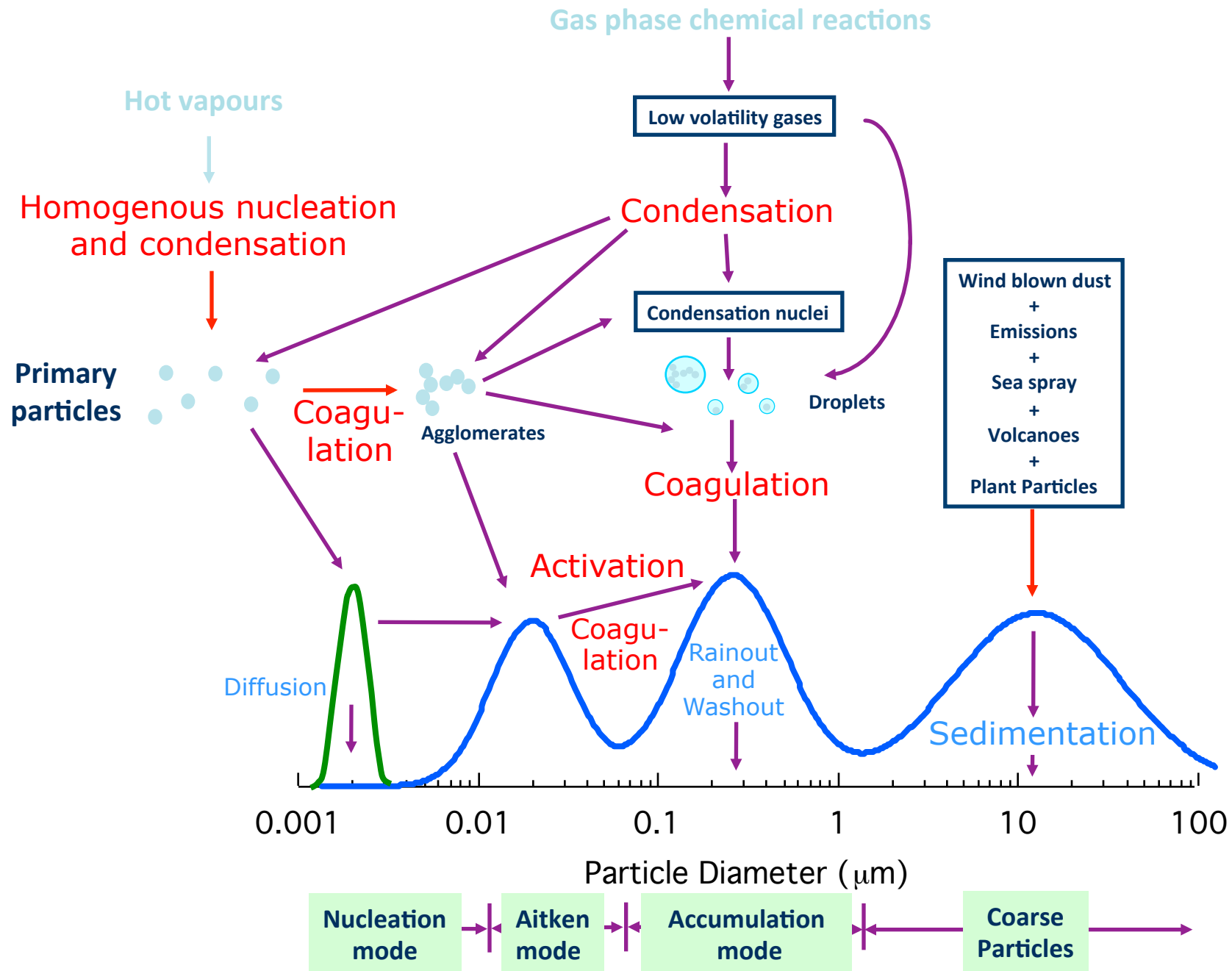
Chemical reactions in the atmosphere

Reactions of different compounds with OH, ozone och NO₃



Aerosol dynamics



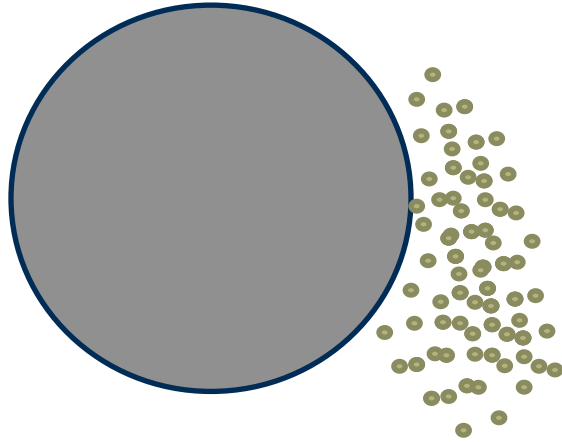


Basic processes acting on single aerosol particles

- Gravitational settling
- Drag force
- Brownian motion

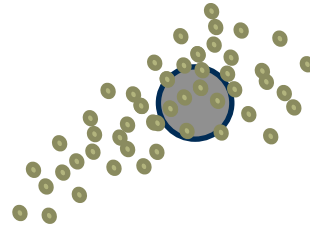
Single particle dynamics and Knudsen number

Continuum regime



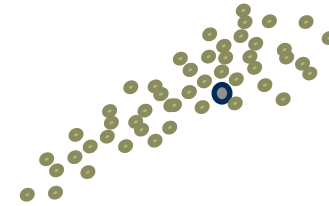
$$Kn \rightarrow 0$$

transition regime



$$Kn \approx 1$$

Free molecular regime



$$Kn \rightarrow \infty$$

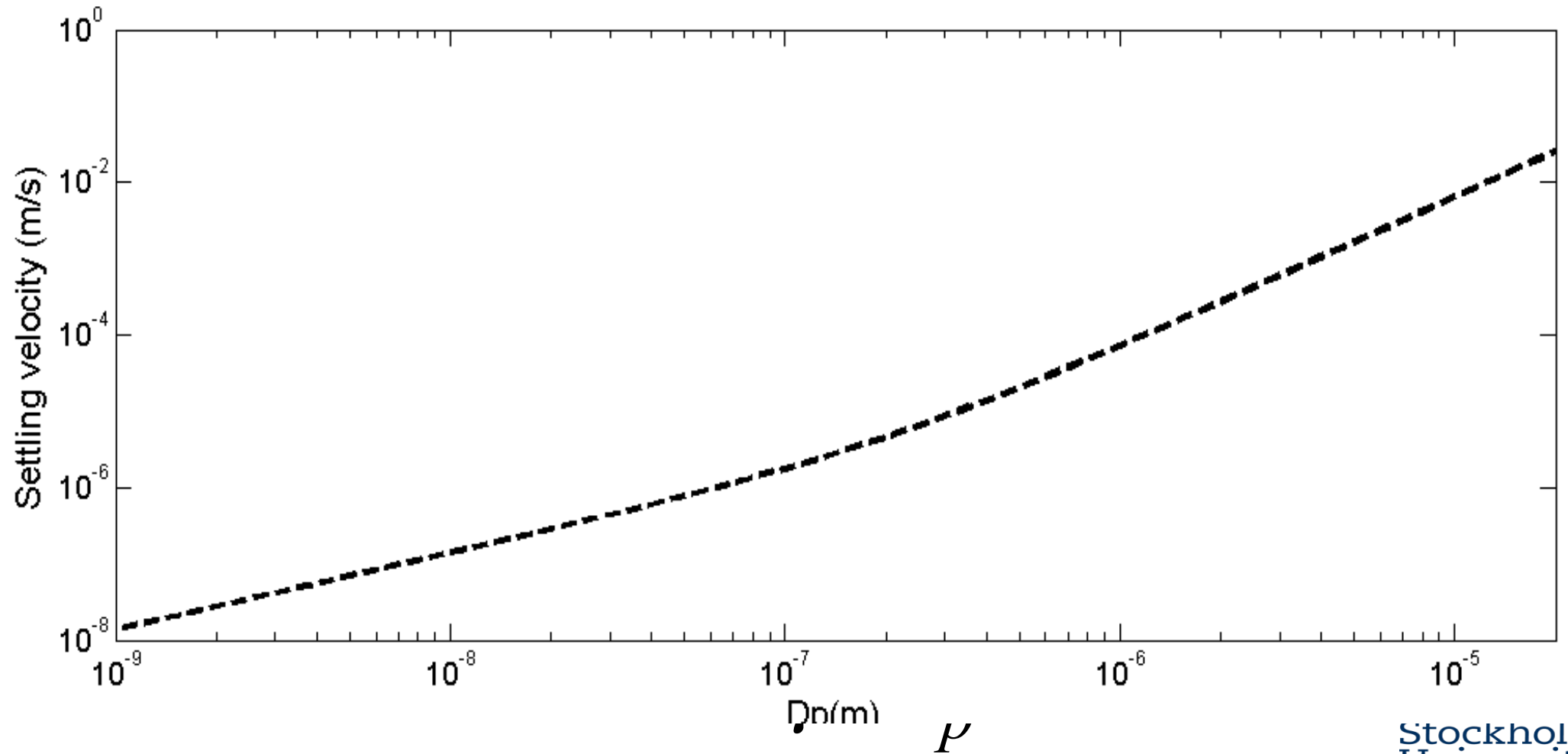
$$Kn = \frac{2\lambda}{D_p}$$

Knudsen number

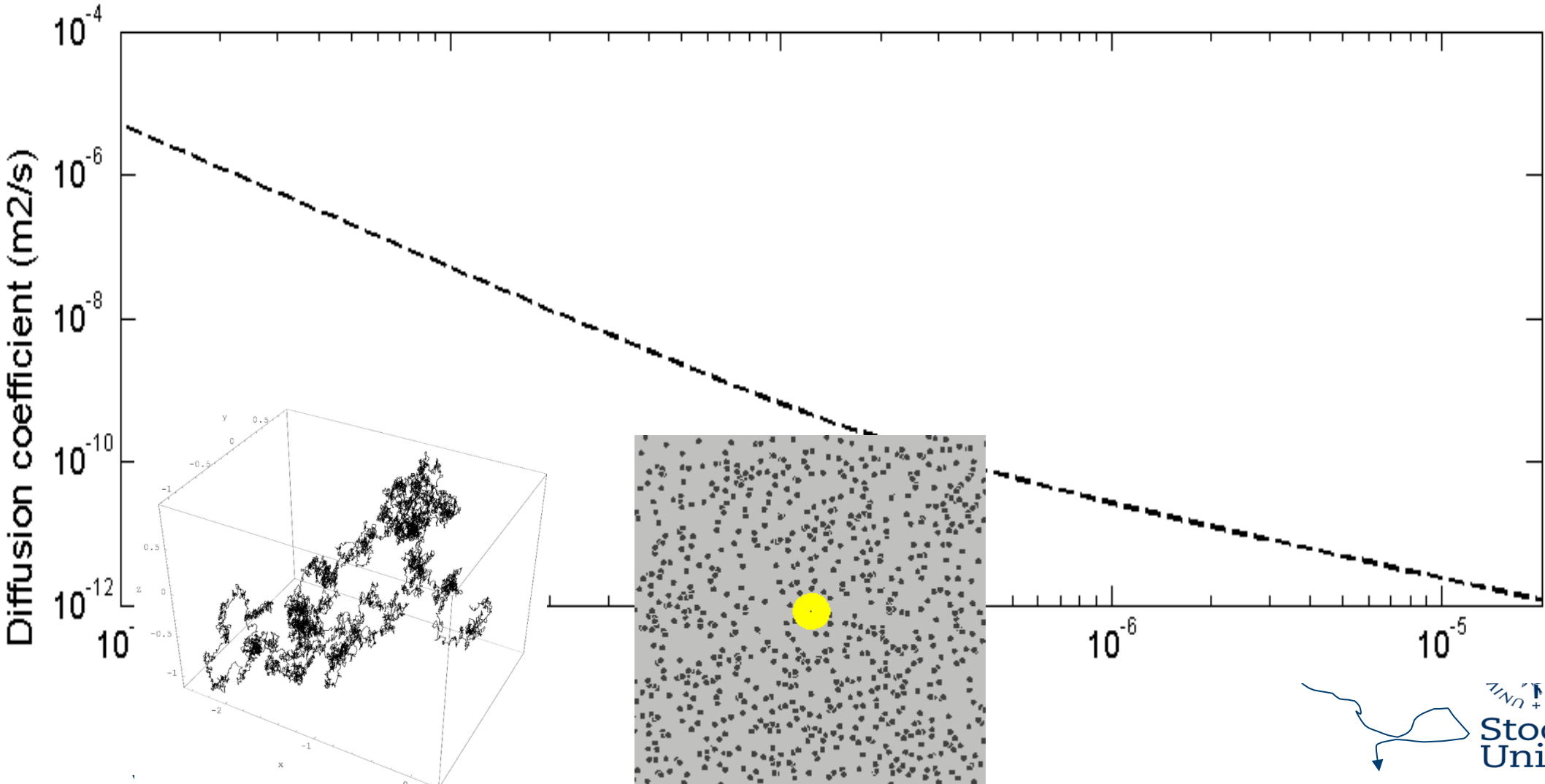
Where λ is mean free path of air (66nm@293K) and D_p is diameter of particle

Gravitational settling

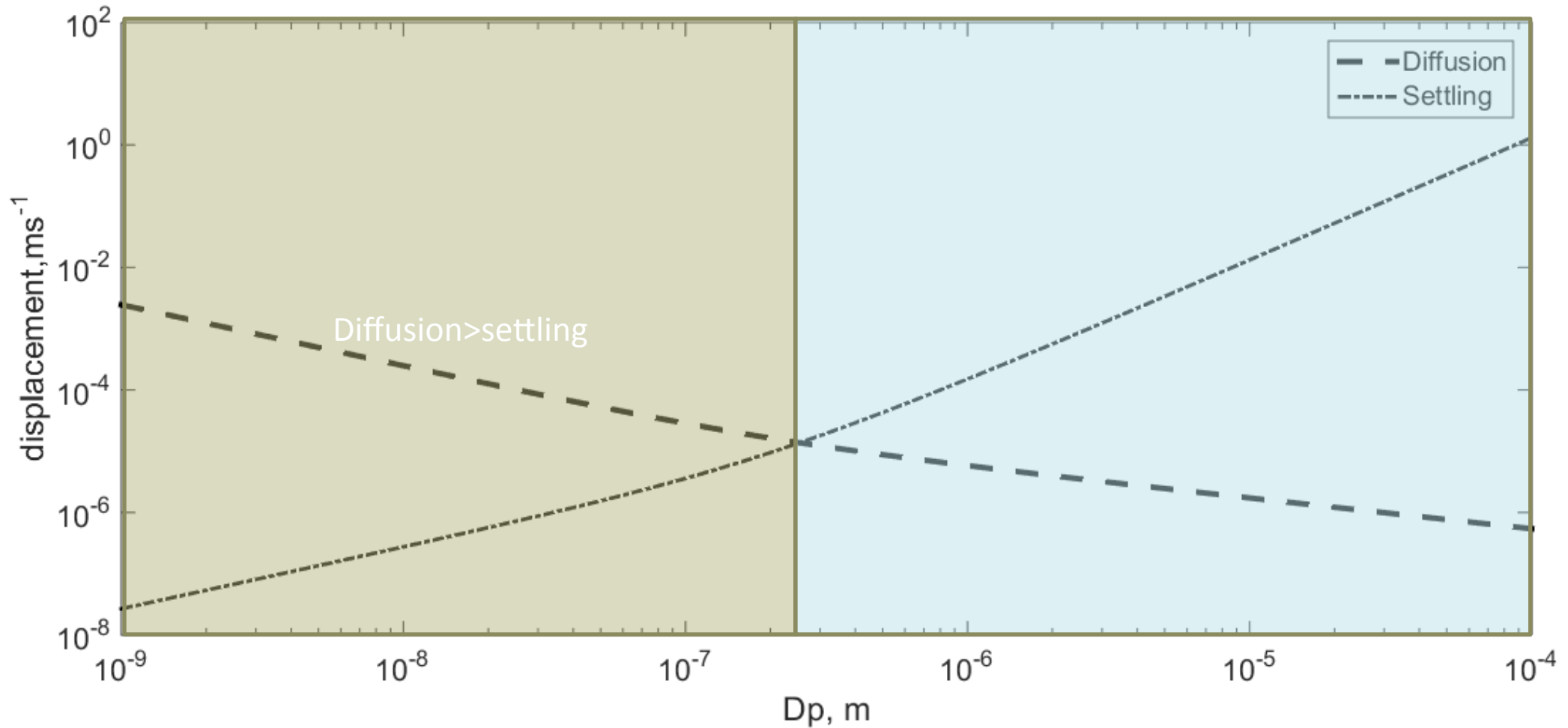
$$F_{drag} = F_{grav}$$



Brownian diffusion



Estimating displacement as function of size; Brownian diffusion vs gravitational settling



Dry deposition

$$F = -v_d * C$$

where:

F=flux to surface $m^{-2}s^{-1}$

v_d =deposition velocity (m/s)

C=concentration of particles

$$F = -V_d C$$

$$F = -\frac{m}{s} * \frac{\#}{cm^3} \implies \frac{\#}{m^2 s}$$

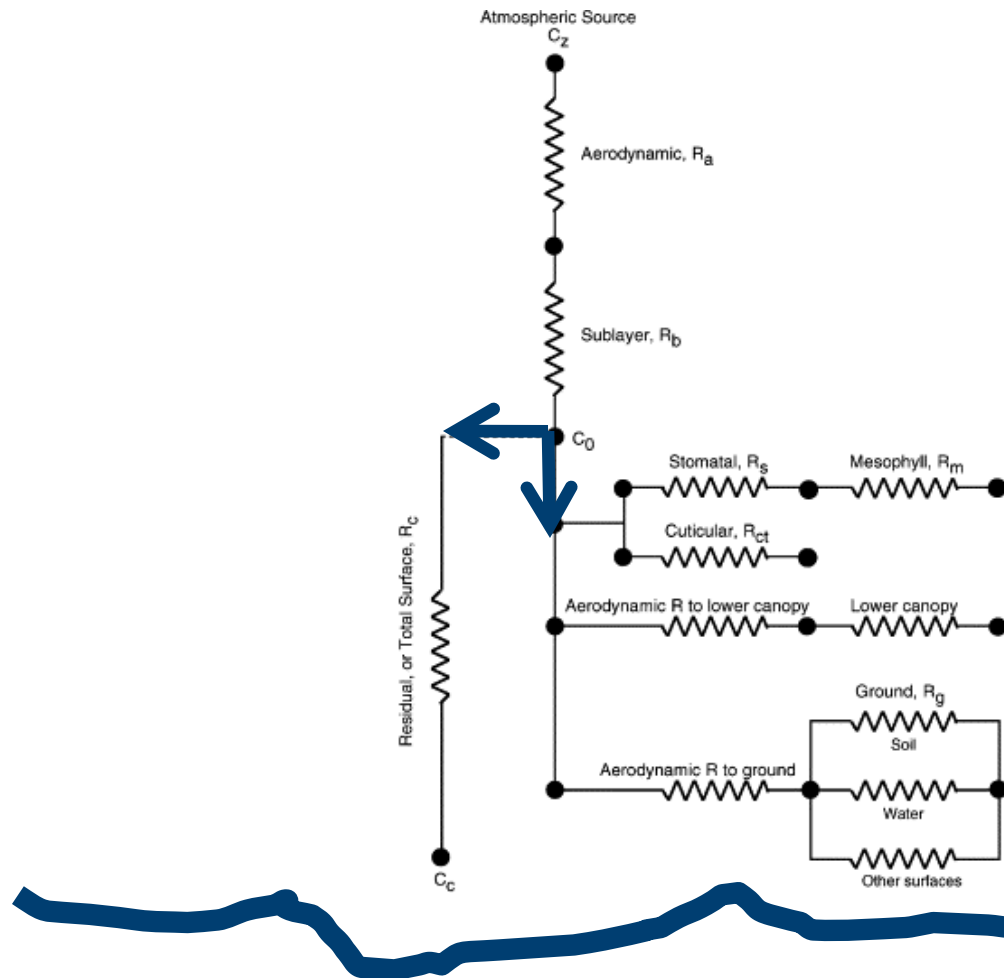
Dry Deposition

Only removal path in the dry atmosphere

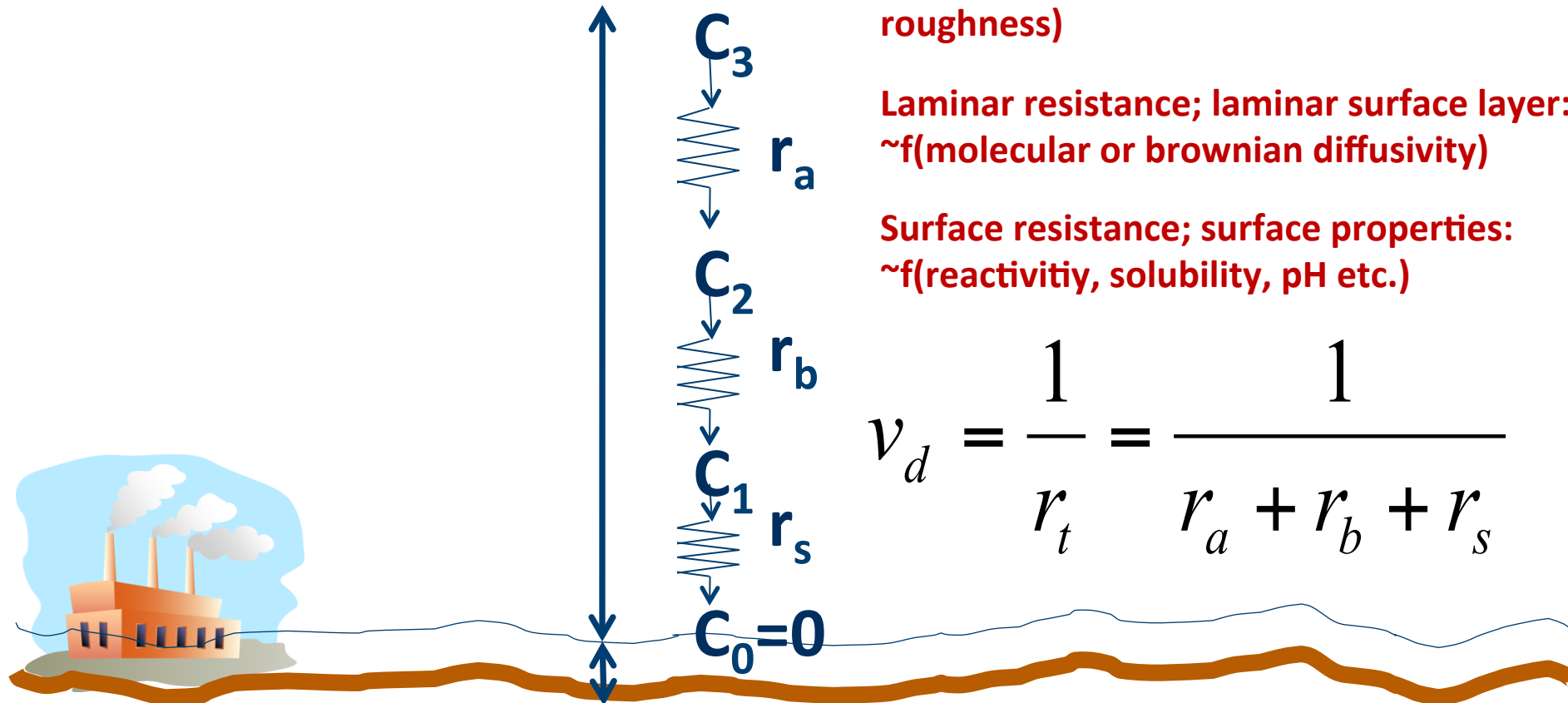
Depends on:

- Atmospheric turbulence
- Phase of species (gas or particle)
- Physio-chemical properties of depositing species
 - Particles: size, density
 - Gases: water solubility, reactivity
- Surface properties (Reactive? Sticky? Irregular?(eg vegetation))

Resistance analogy cont'd



Resistance analogy



Aerodynamic resistance; surface layer:
 ~f(temperature; windspeed; surface roughness)

Laminar resistance; laminar surface layer:
 ~f(molecular or brownian diffusivity)

Surface resistance; surface properties:
 ~f(reactivity, solubility, pH etc.)

$$v_d = \frac{1}{r_t} = \frac{1}{r_a + r_b + r_s}$$

Dry deposition velocity

$$v_d = \frac{1}{r_t} + v_s = \frac{1}{r_a + r_b + r_a r_b v_s} + v_s$$

AERODYNAMIC RESISTANCE

$$r_a = \frac{U}{u^*{}^2}$$

Turbulent transport

QUASI-LAMINAR RESISTANCE

$$r_b = \frac{1}{u^* (Sc^{-2/3} + 10^{-3/St})}$$

Diffusion

Impaction

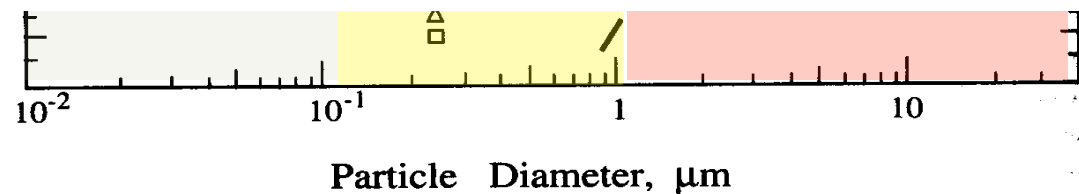
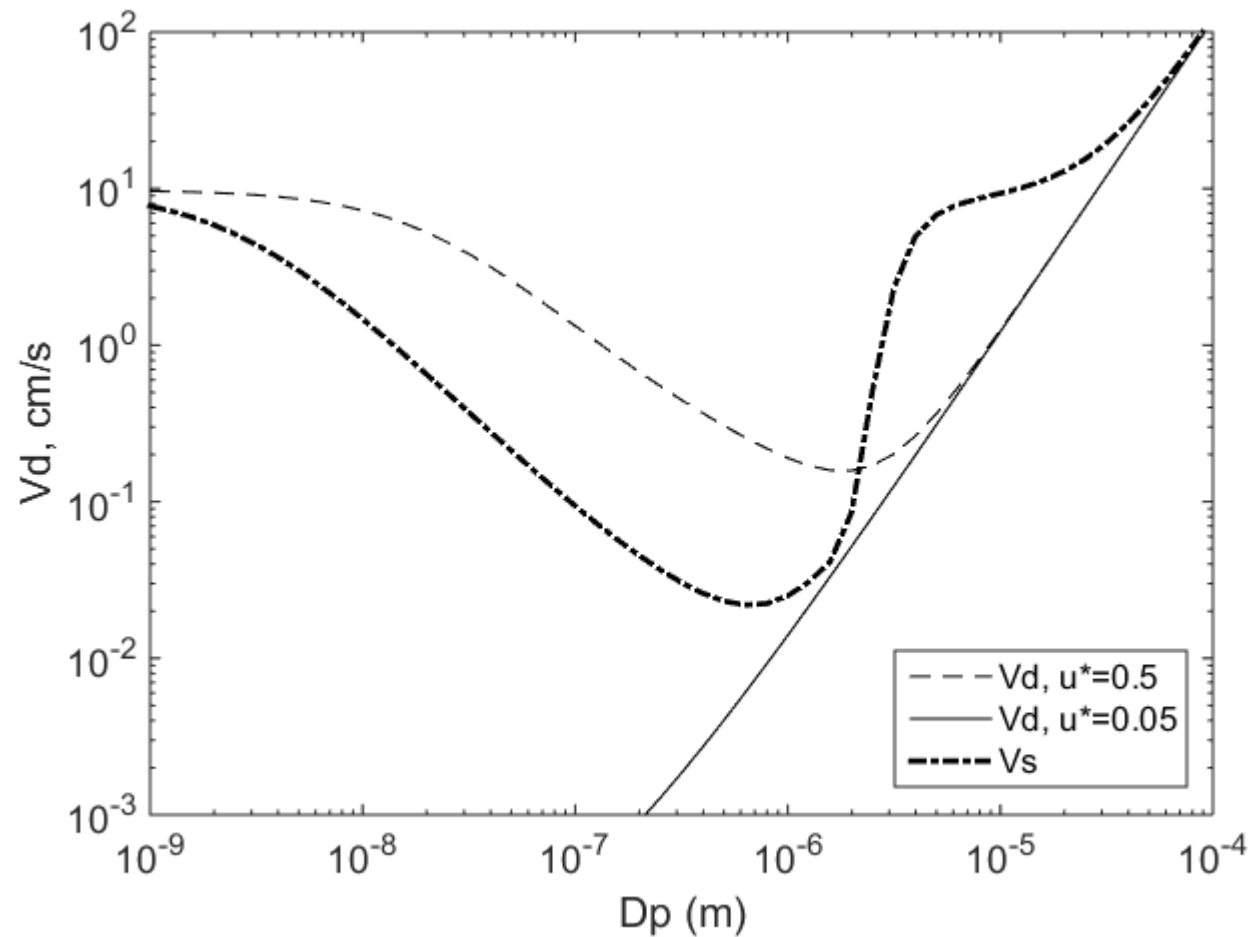
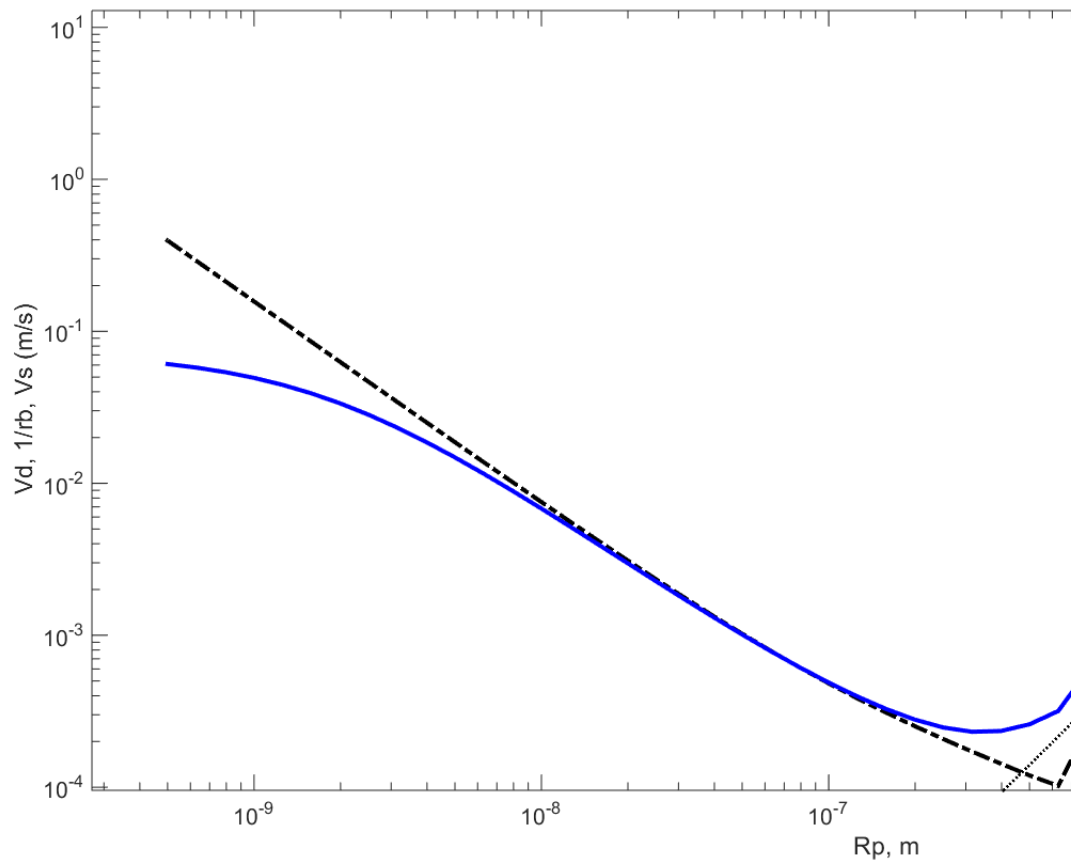
u^* = friction velocity

SEDIMENTATION VELOCITY

$$V_s = \frac{C_c m_p g}{3\pi\mu D_p}$$

Sedimentation

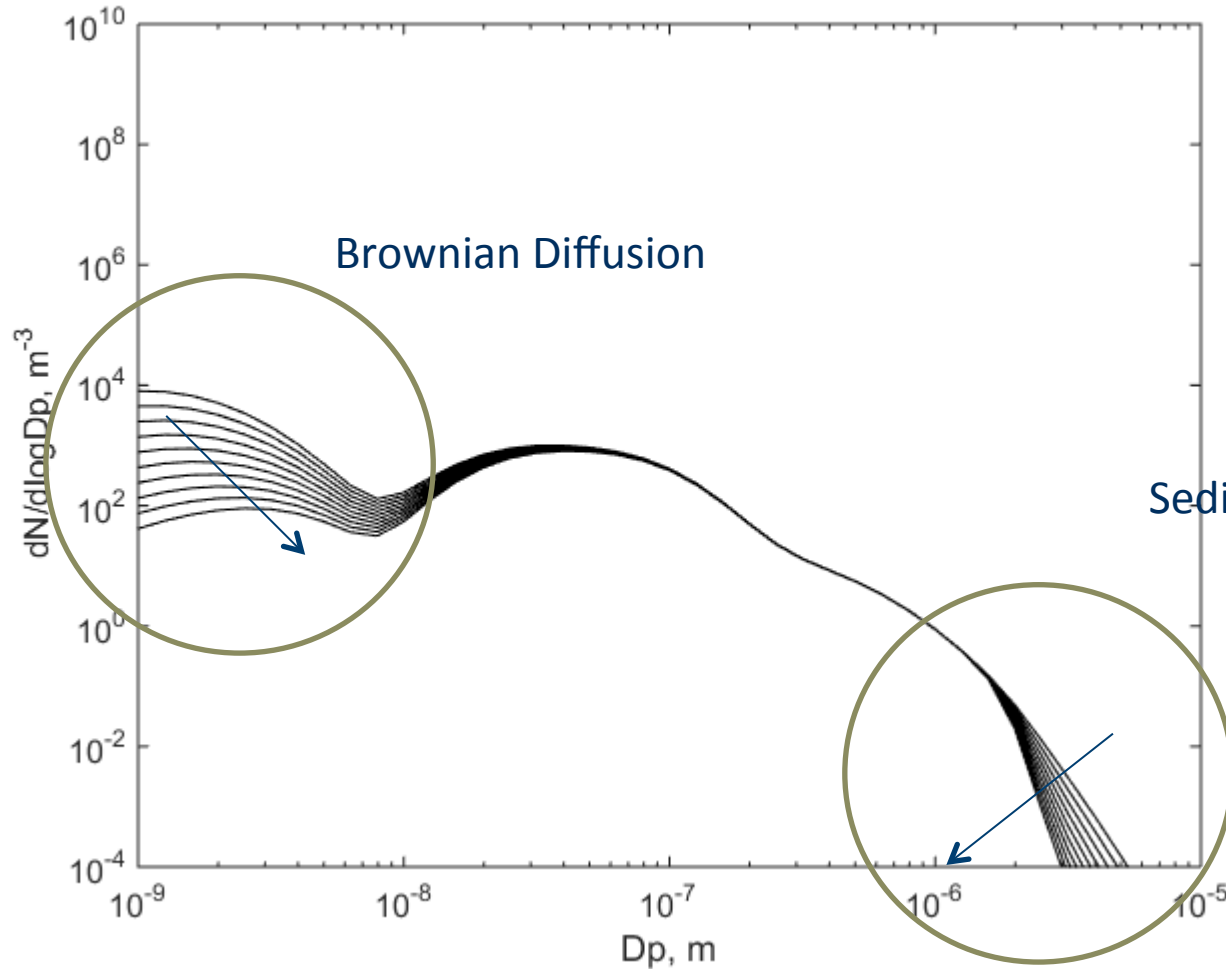
Dry deposition-transport of particles



Ageing due to dry deposition

$$Sc = \mu_{air} / Diff_p$$

$$Sc^{-2/3}$$



$$\frac{dM}{dt} < 0,$$

$$\frac{dN}{dt} < 0$$

Sedimentation, impaction

$$10^{-3/St}, St = \frac{u^{*2} V_s}{g\mu} \text{ and } V_s$$

Coagulation

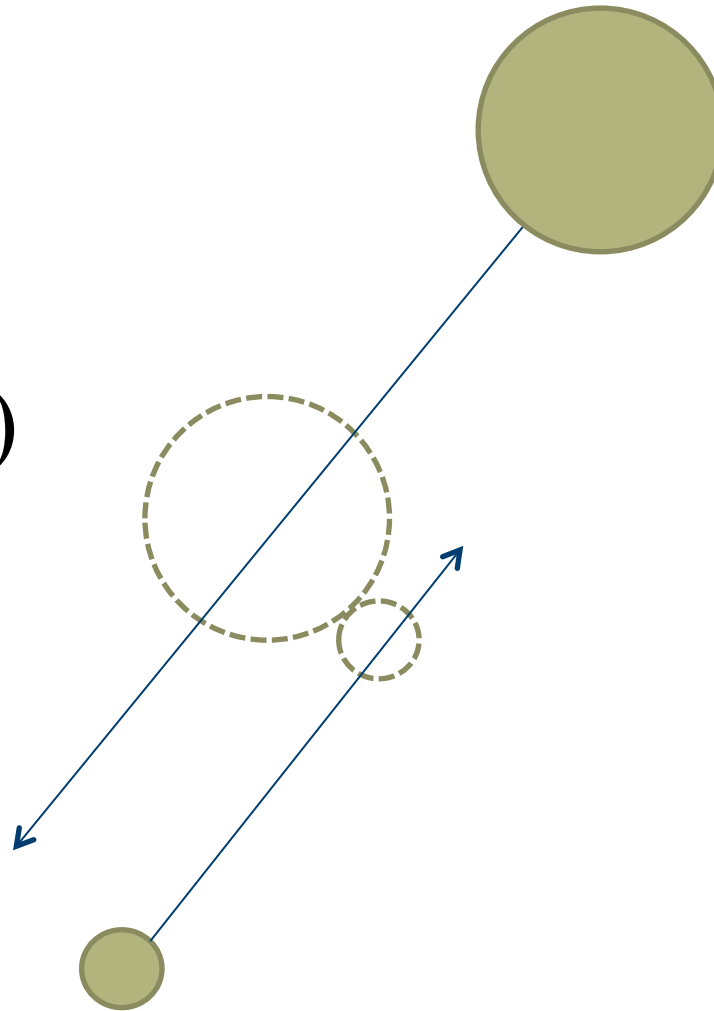
- Mainly the result of Brownian motion, although other forces may come into play (electrical, gravitational etc)
- *Two particles* collide, aggregate and form *one new particle*
- Coagulation does not affect mass, but reduce number
- Most efficient for small particles

Coagulation

- Free molecular regime

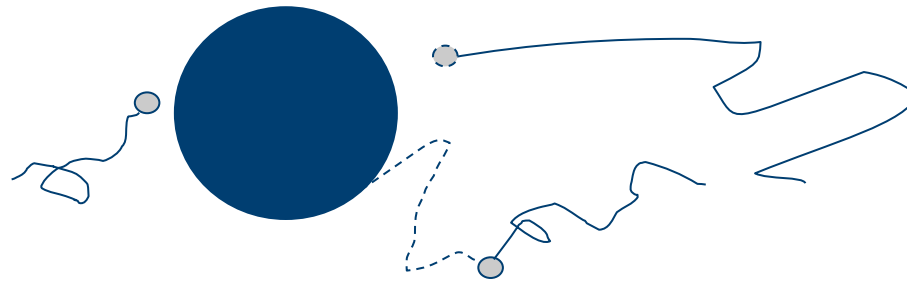
$$RMS = \sqrt{(v_i^2 + v_j^2)}$$

$$CC = \pi(r_i^2 + r_j^2)$$



Coagulation

- Continuum regime
 - the kernel in this regime is found by solving the time-dependent diffusion equation around a stationary spherical absorber in an infinite medium with suspended particles. ***Transport and collision through "random walk"***



- Transition regime ($\sim 1 < Kn < 50$)
 - Semi-empirical solution to the collision kernels (Fuchs 1964, "Flux matching")

Coagulation; *Fuchs form of the coagulation coefficient*

$$\frac{dN}{dt} = -K_{12}N_1N_2$$

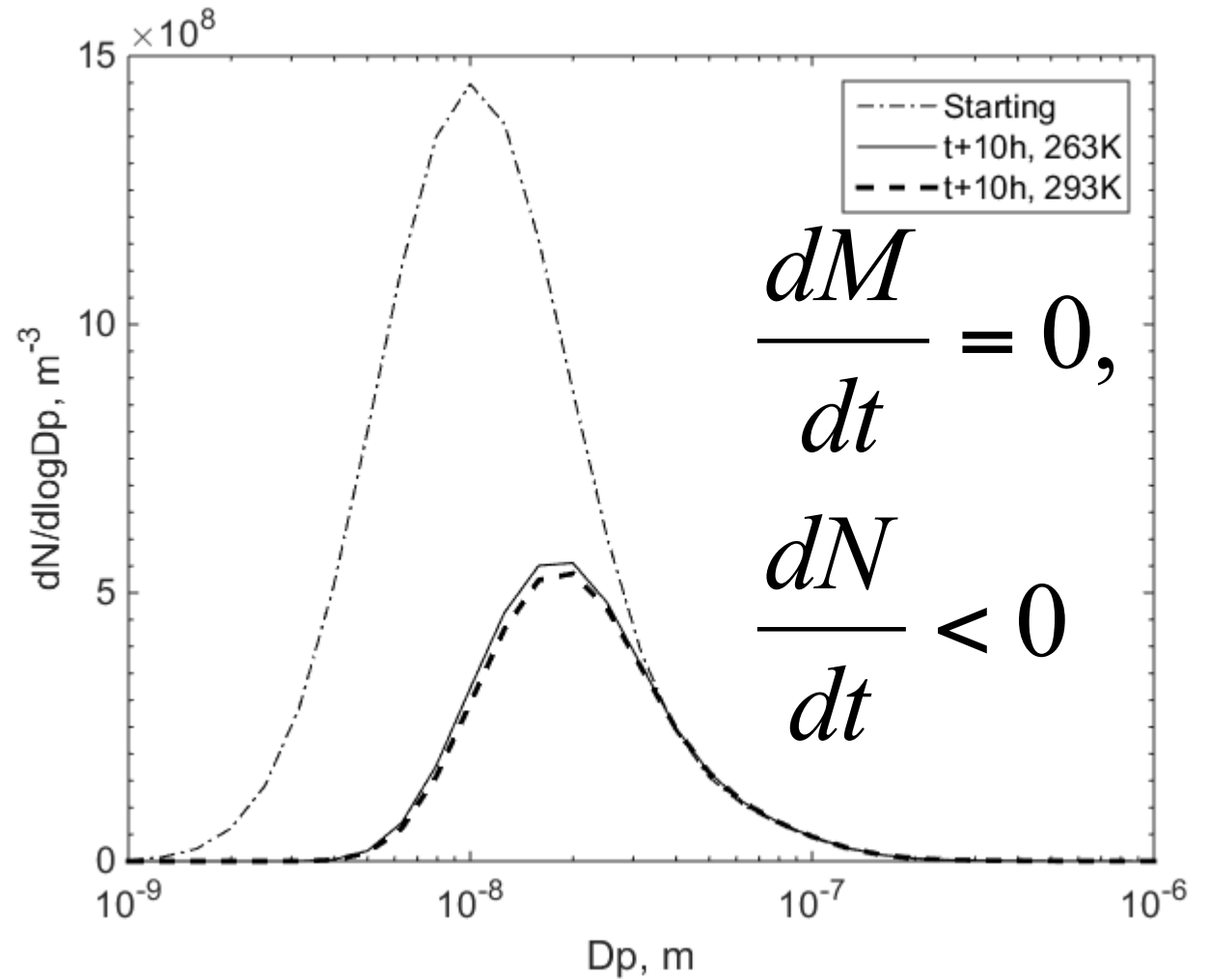
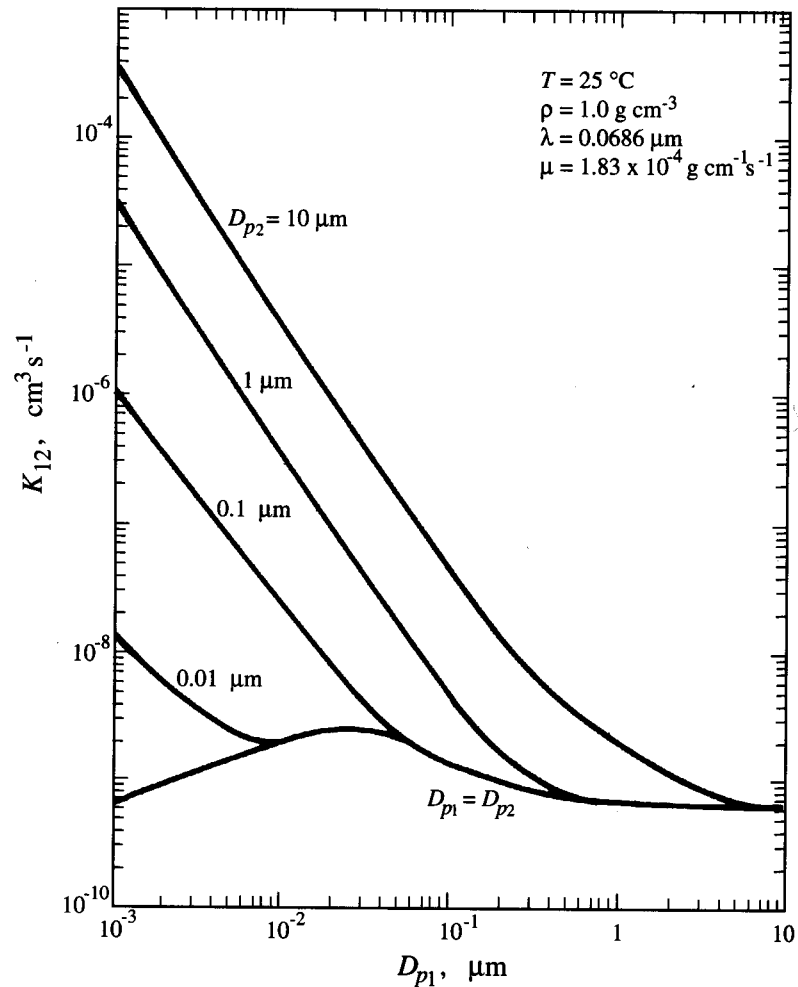
$$K_{12} = 2\pi D_1 D_2 (Dp_1 + Dp_2) \left(\frac{Dp_1 + Dp_2}{Dp_1 + Dp_2 + 2(g_1^2 + g_2^2)^{1/2}} + \frac{8(D_1 + D_2)}{(c_1 + c_2)^{1/2} (Dp_1 + Dp_2)} \right)^{-1}$$

$$D_{1,2} = f\left(T, \frac{1}{Dp}\right)$$

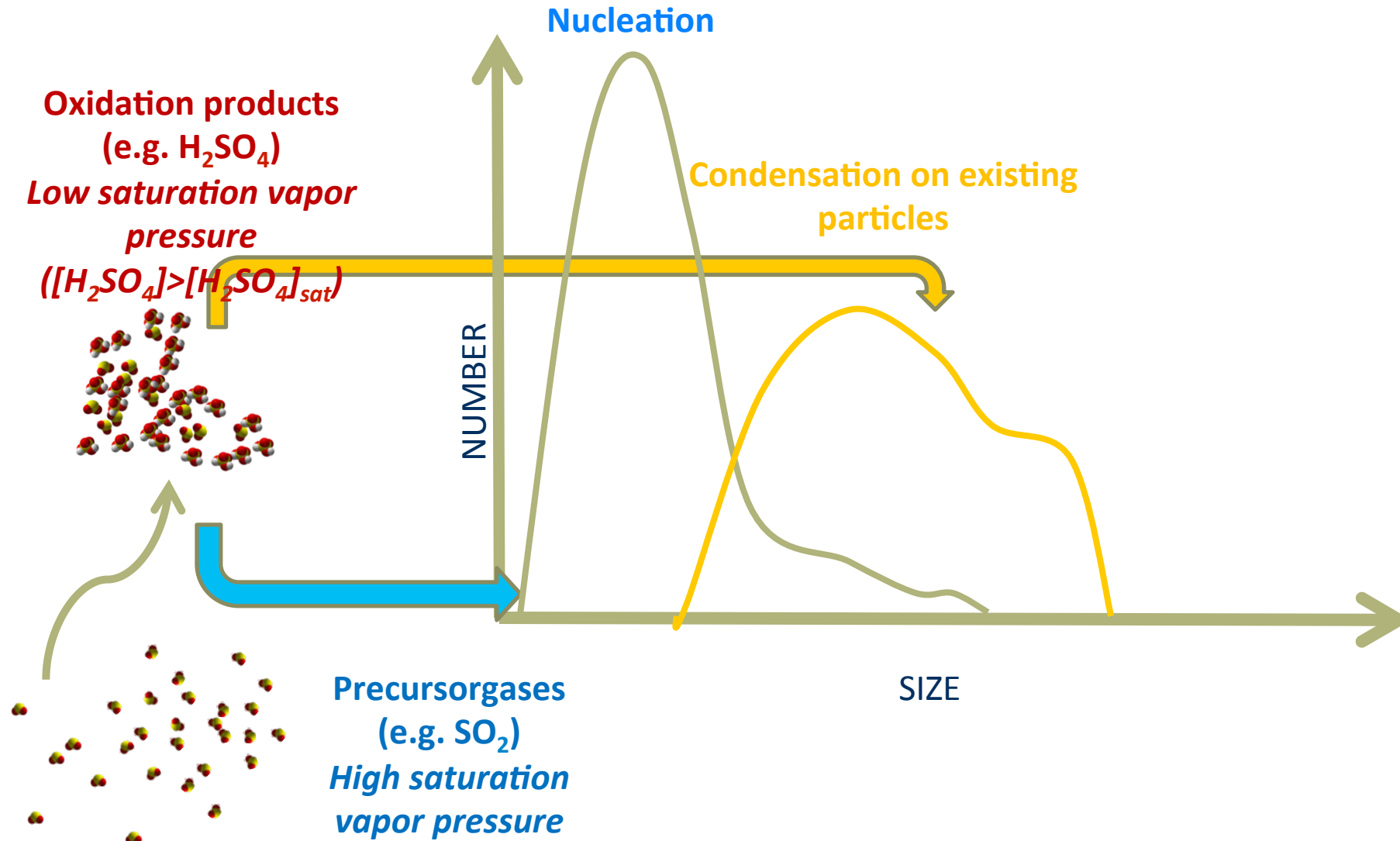
$$C = f\left(T, \frac{1}{Dp^3}\right)$$



Aerosol dynamics: coagulation



Gas-to-particle production



Secondary particle production: Saturation ratio

$$S = \frac{P_a}{p_a^s(T)}$$

$S < 1$, *Subsaturation*

$S > 1$, *Supersaturation*

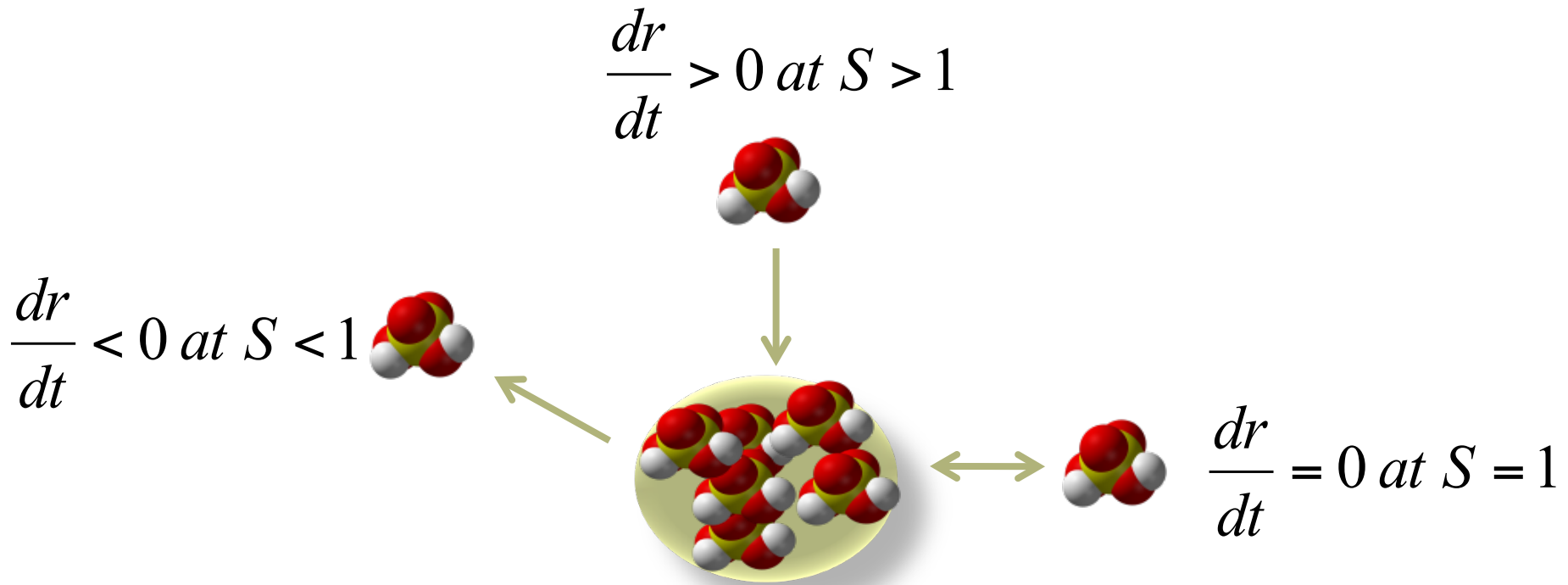
$S = 1$, *Saturation*

S=saturation ratio
 p_a =partial pressure of a
 p_a^s =saturation vapor
pressure of a at
temperature T

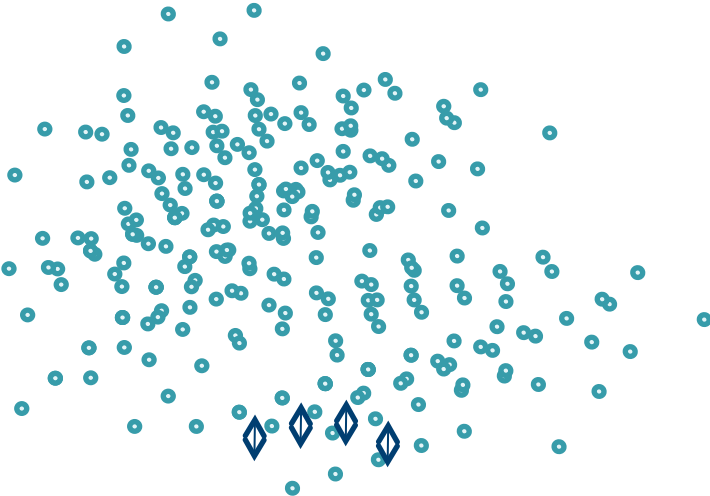
$$\ln\left(\frac{p_{a,1}^s}{p_{a,2}^s}\right) = \frac{\Delta H_{vap}}{R} \left(\frac{1}{T_2} - \frac{1}{T_1}\right)$$

Clausius-Clapeyron relation

Concepts of gas-to-particle conversion



Kelvin effect



$$p_A = p_A^0 \exp\left(\frac{2\sigma v_m}{kTr_d}\right)$$

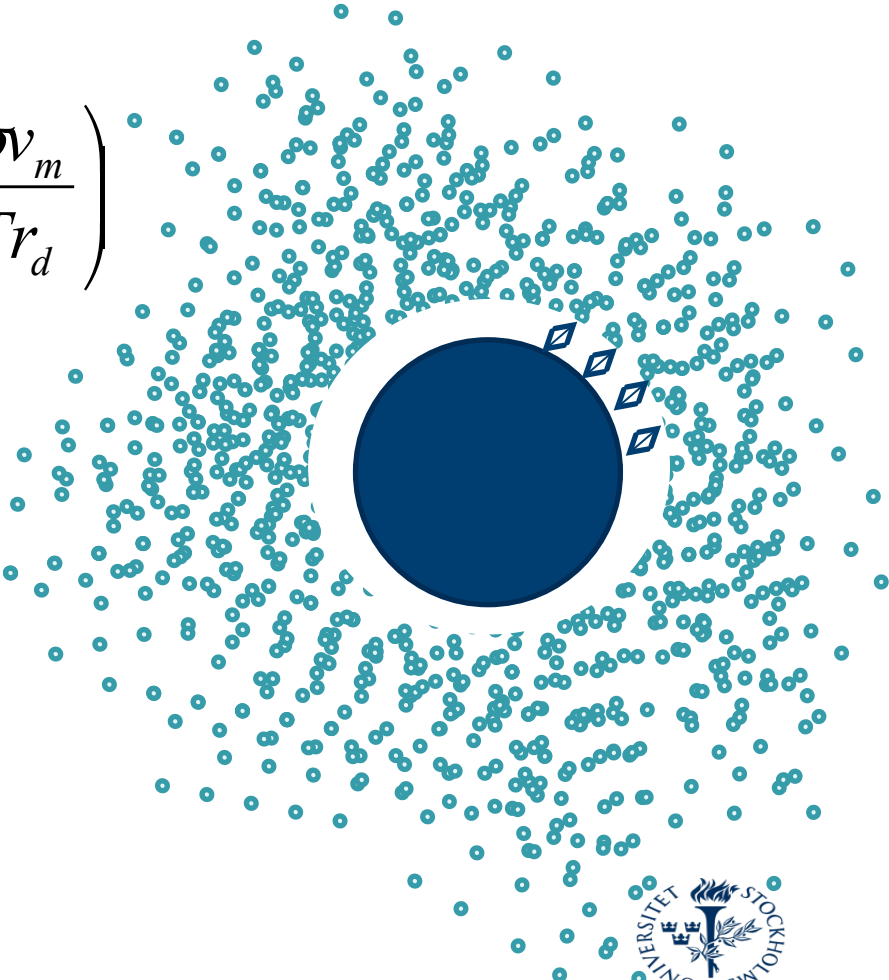
σ = surface tension

v_m = molecular volume

k = Boltzmanns constant

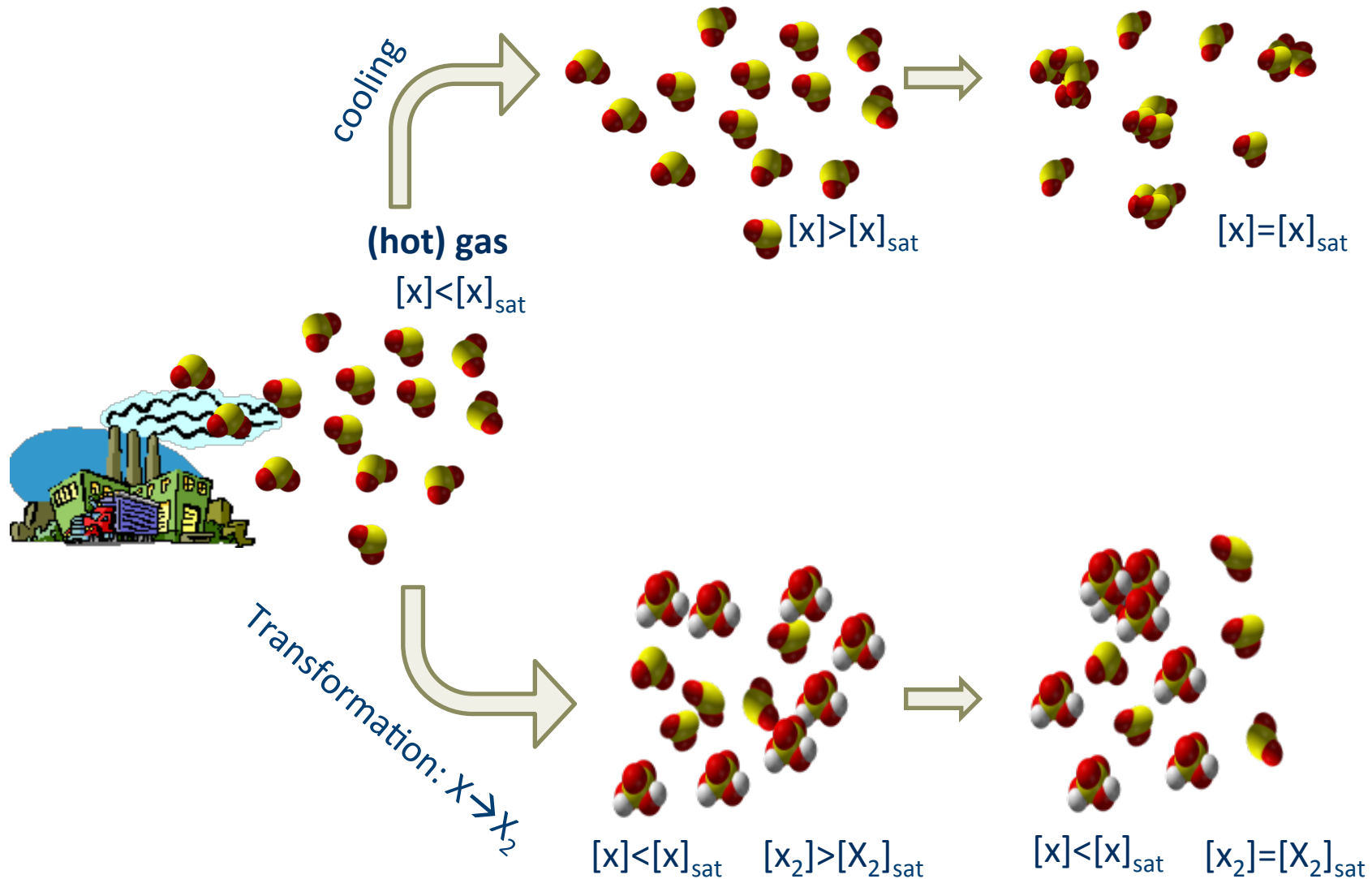
T = Temp

r_d = droplet radius



Vapor pressure of compound A over a curved surface always exceed that over a flat surface

Gas-to-particle conversion: How is supersaturation reached



Nucleation

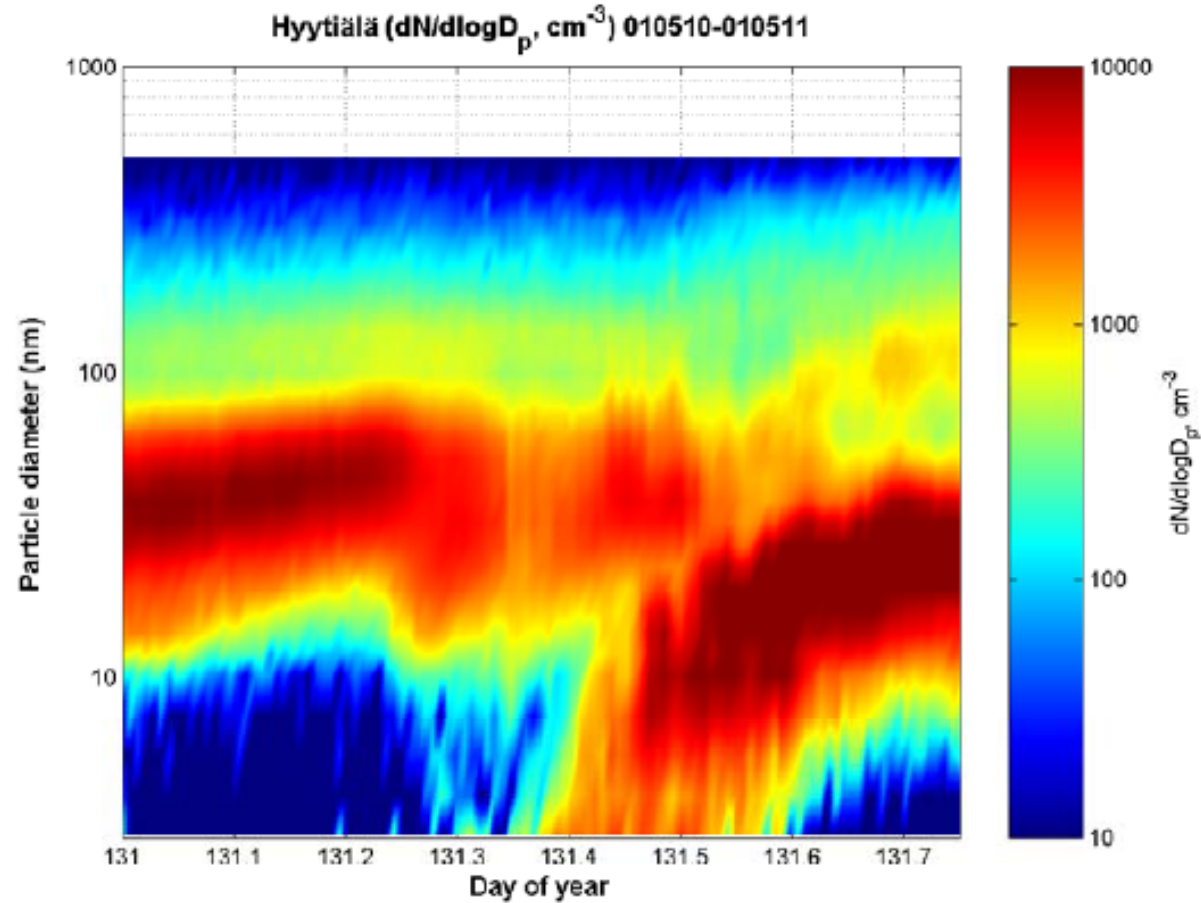


Figure 2: Example of nucleation event observed on 11th May 2001, Hyytiälä (61.51°N, 24.17°E).

Particle number or particle mass?

Role of condensation sink

- Amount of pre-existing aerosol surface crucial
 - Generation of supersaturated conditions + **low surface area** of pre-existing particles favours formation of **particle number via nucleation**
 - Generation of supersaturated conditions + **High concentration** of pre-existing particles favours formation of **particle mass via condensation**
 - This is often referred to as **“condensation sink”**

Condensation

c_s = saturation vapor pressure/concentration over surface

$c_s = kc_0$, k = Kelvin effect

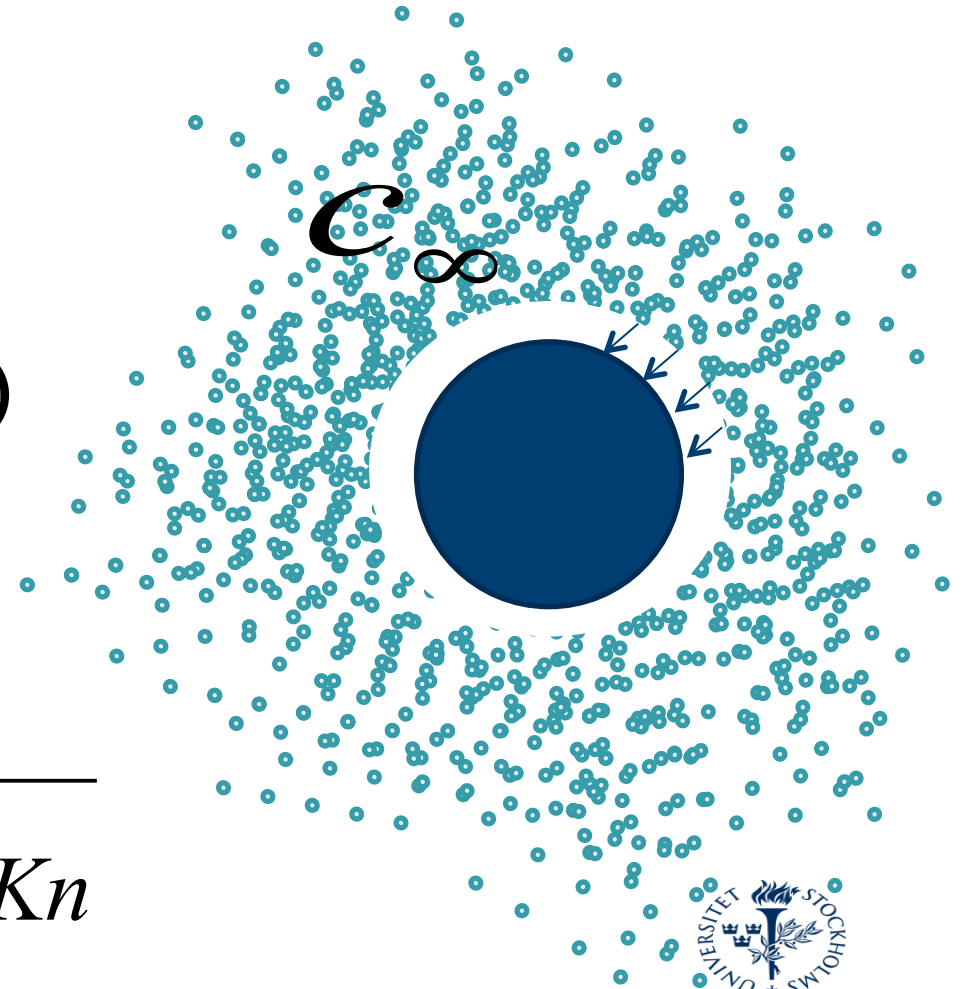
$$\frac{dM}{dt} = 4\pi r_p D_g (c_\infty - c_s)$$

$$\frac{dM}{dt} = \beta 4\pi (r_p + r_g) (D_p + D_g) (c_\infty - c_s)$$

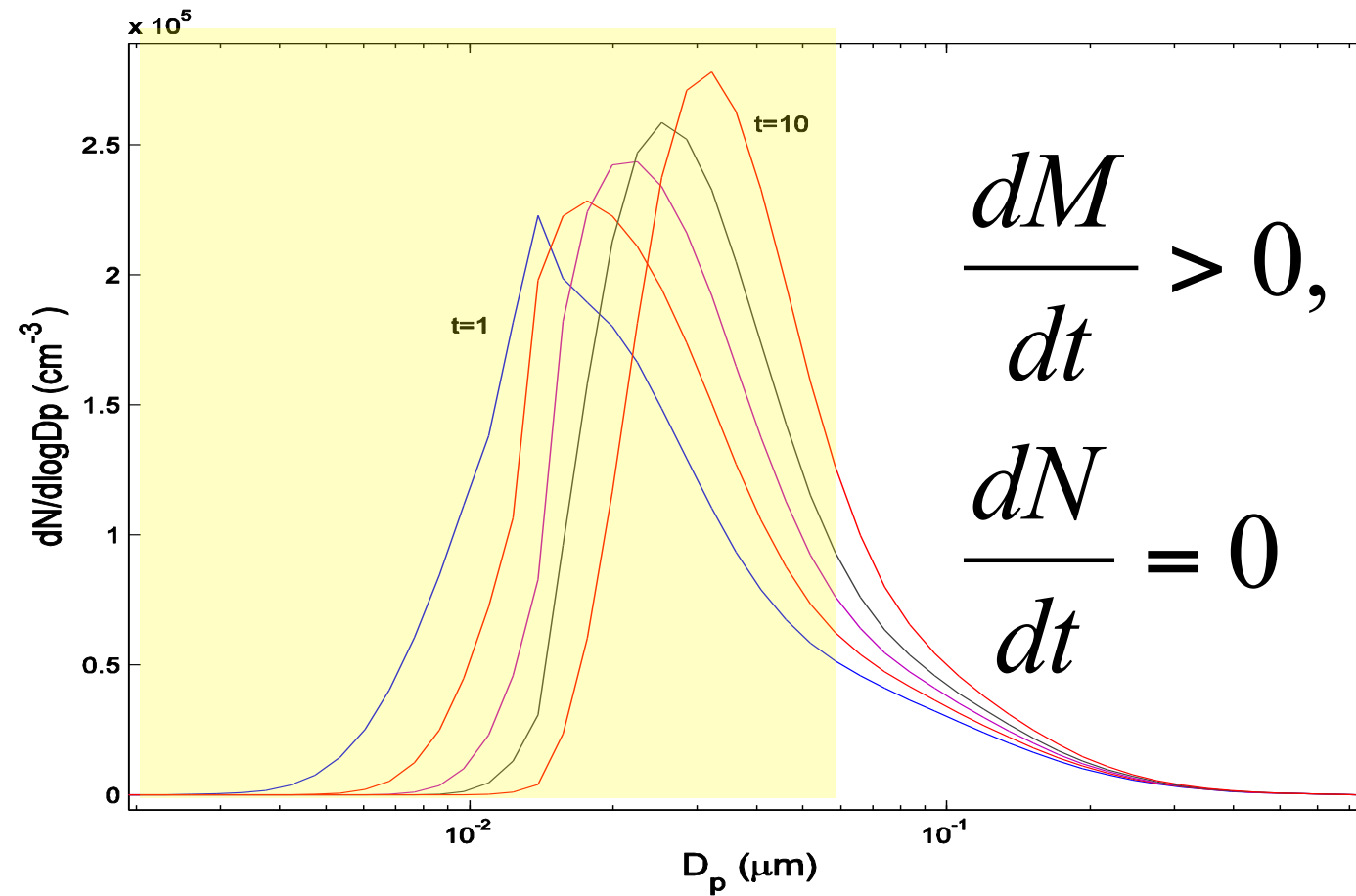
where

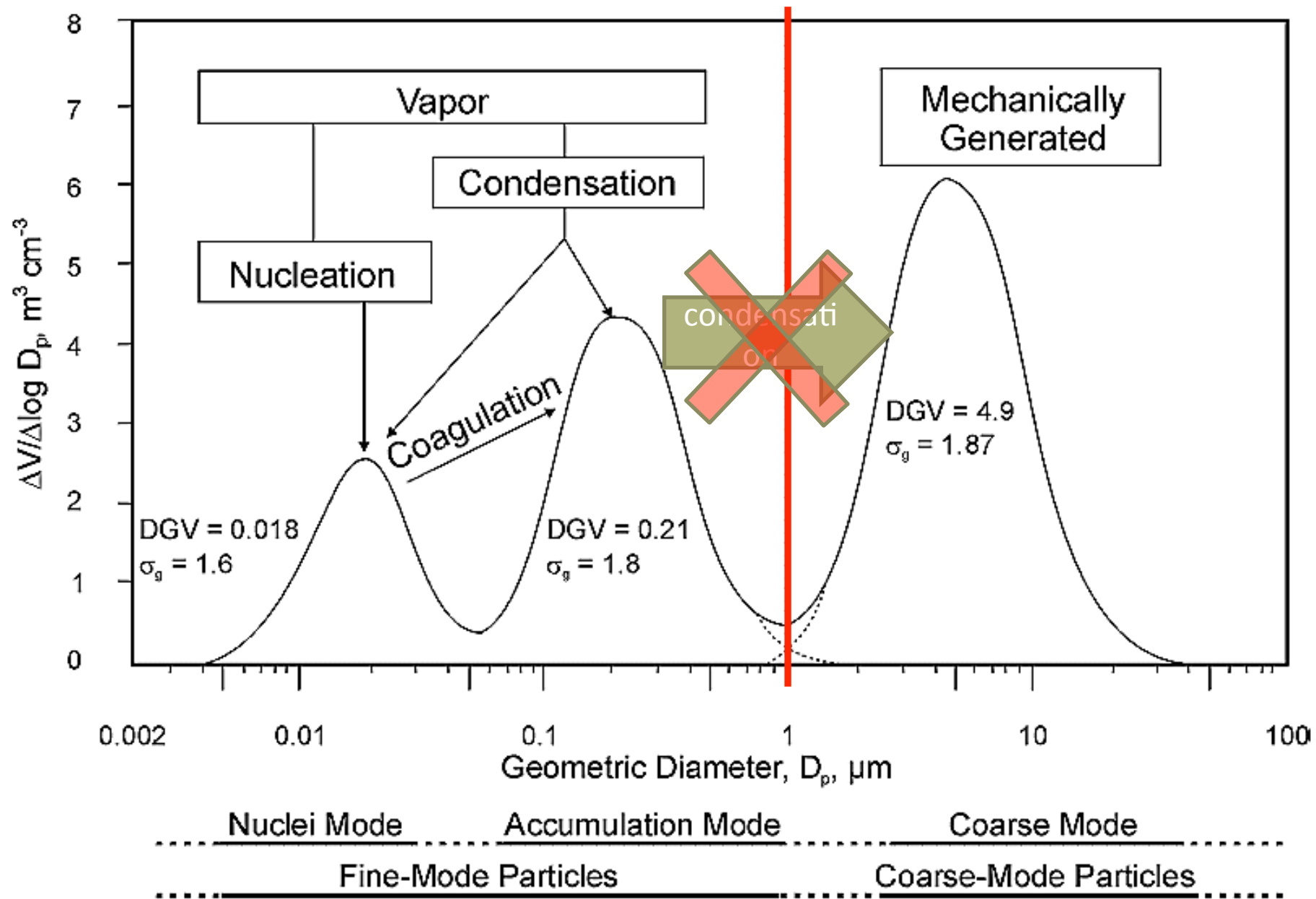
$$\beta_M = \frac{Kn + 1}{0.377Kn + 1 + \frac{4}{3}\alpha^{-1}Kn^2 + \frac{4}{3}\alpha^{-1}Kn}$$

β =Fuchs and Sutugin non-continuum correction factor

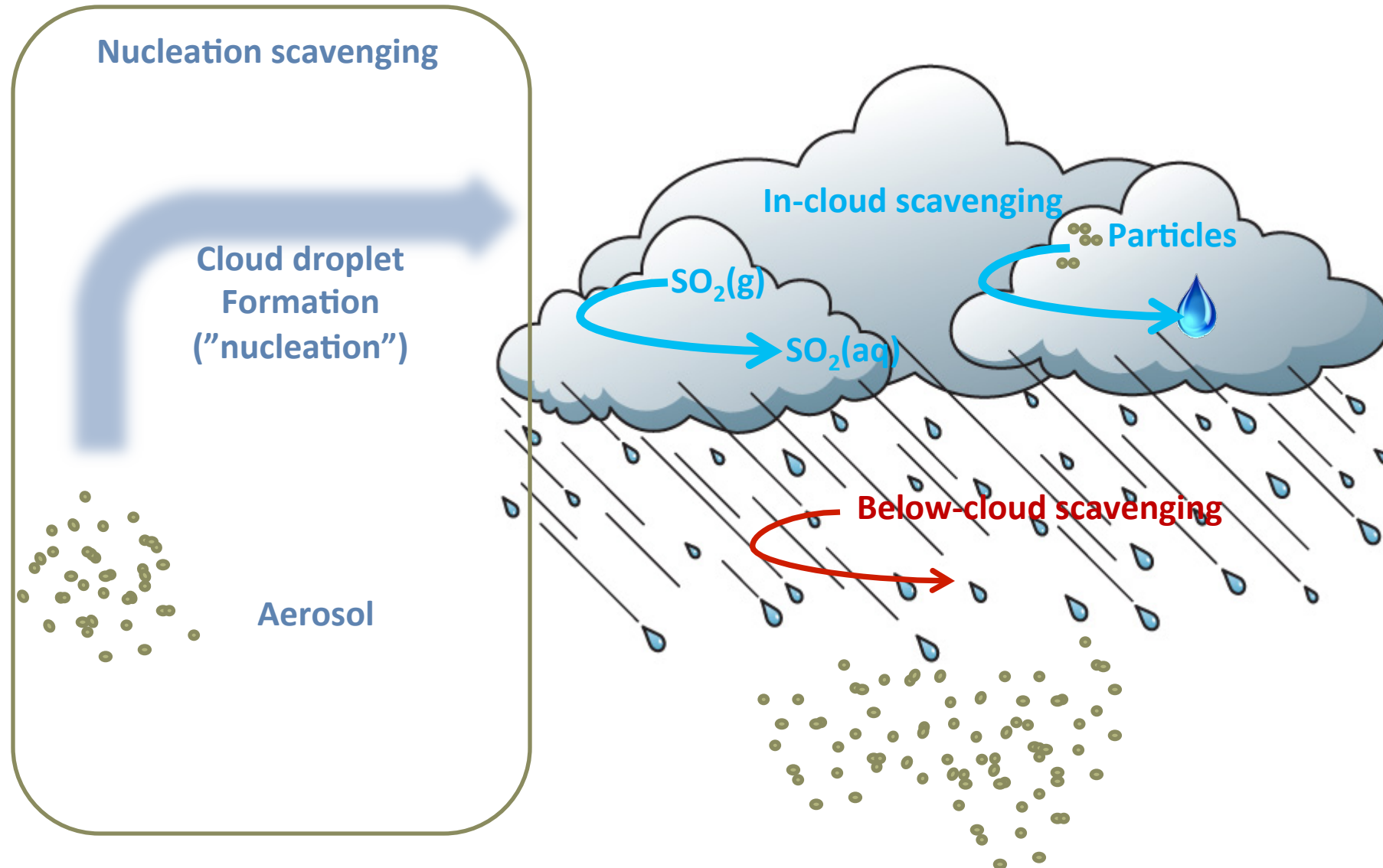


Aerosol dynamics: condensation

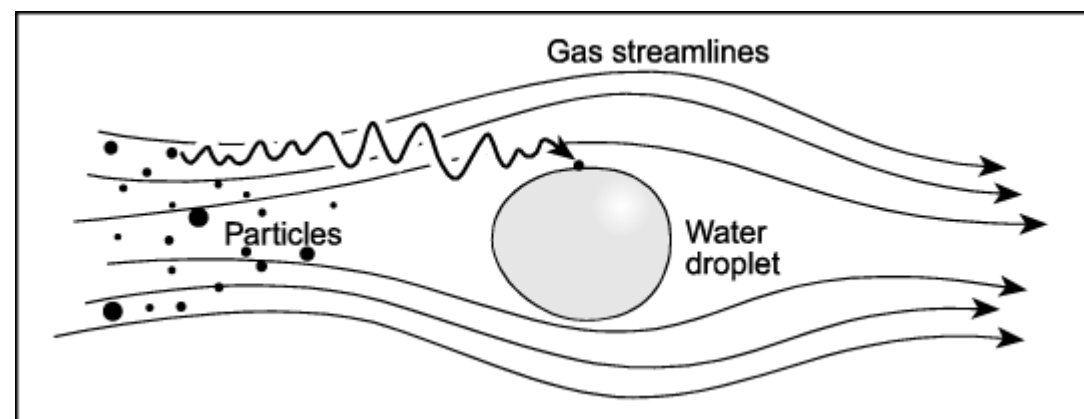
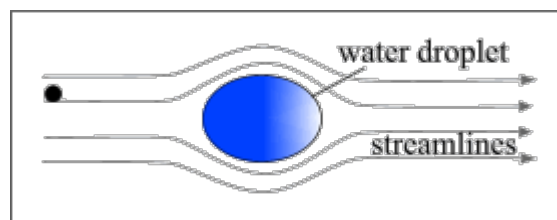
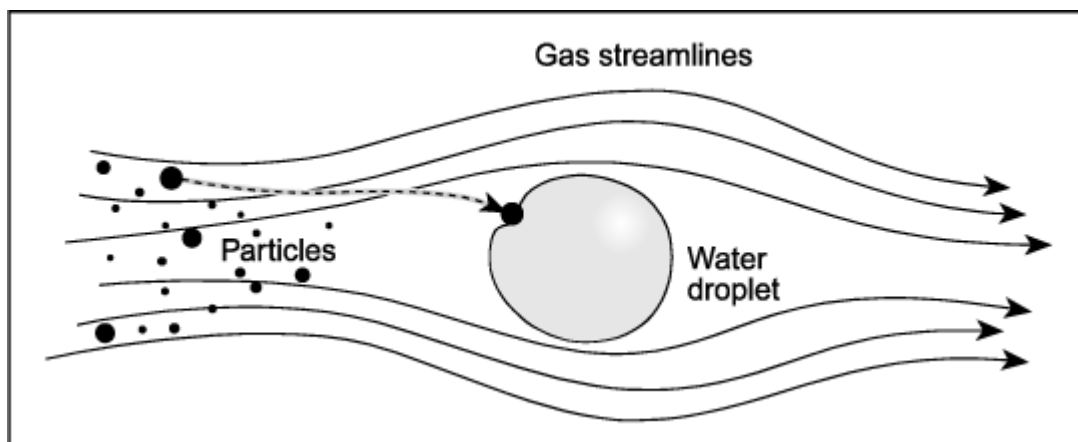




Wet deposition



Scavenging of aerosols: Impaction, diffusion and interception



Below cloud scavenging of particles

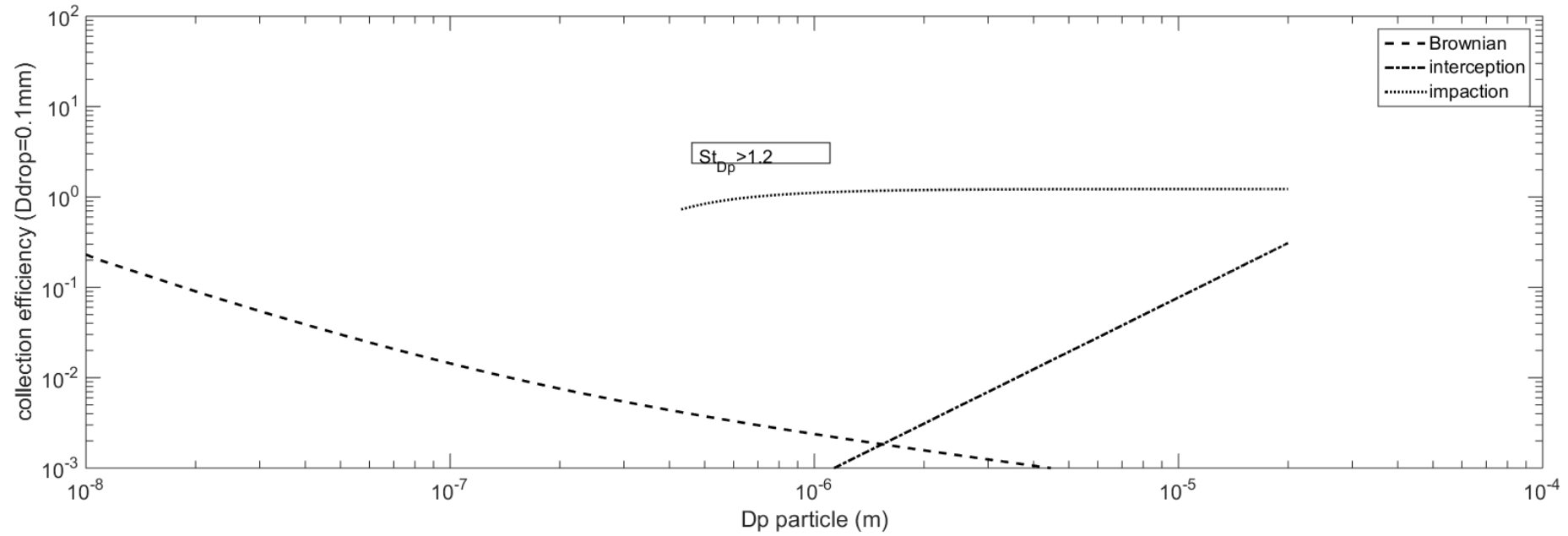
$$\Lambda(d_p) = \int_0^{\infty} \frac{\pi}{4} D_p^2 U(D_p) E(D_p, d_d) N_{D_p} dD_p$$

D_p = rain droplet diameter

d_d = *particle* diameter

$E(D_p, d_d)$ = *scavenging* efficiency

Collection efficiency



Scavenging

- Thus, we need a droplet distribution
- Marshal Palmer droplet distribution

$$\frac{N(D_p)}{dD_p} = n_0 \exp(4.1 p_0^{-0.21} D_p)$$

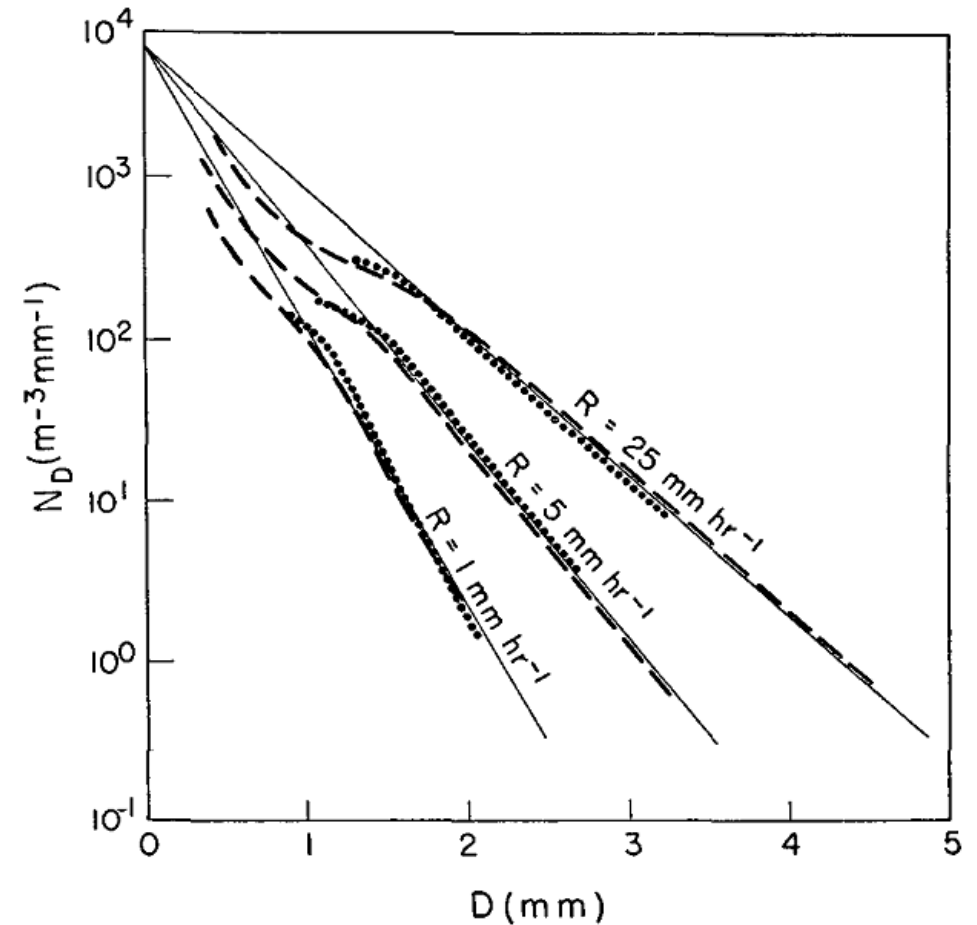
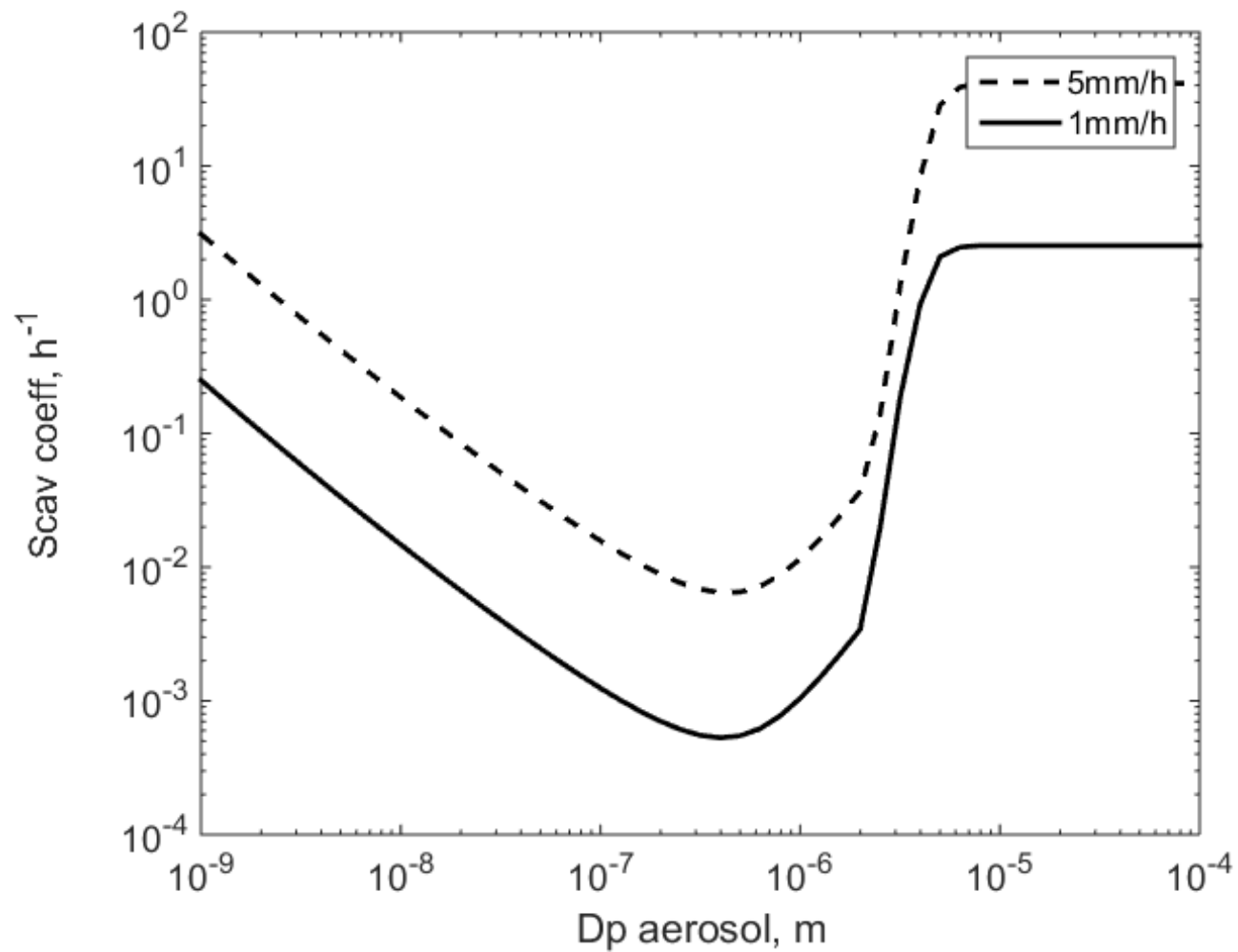
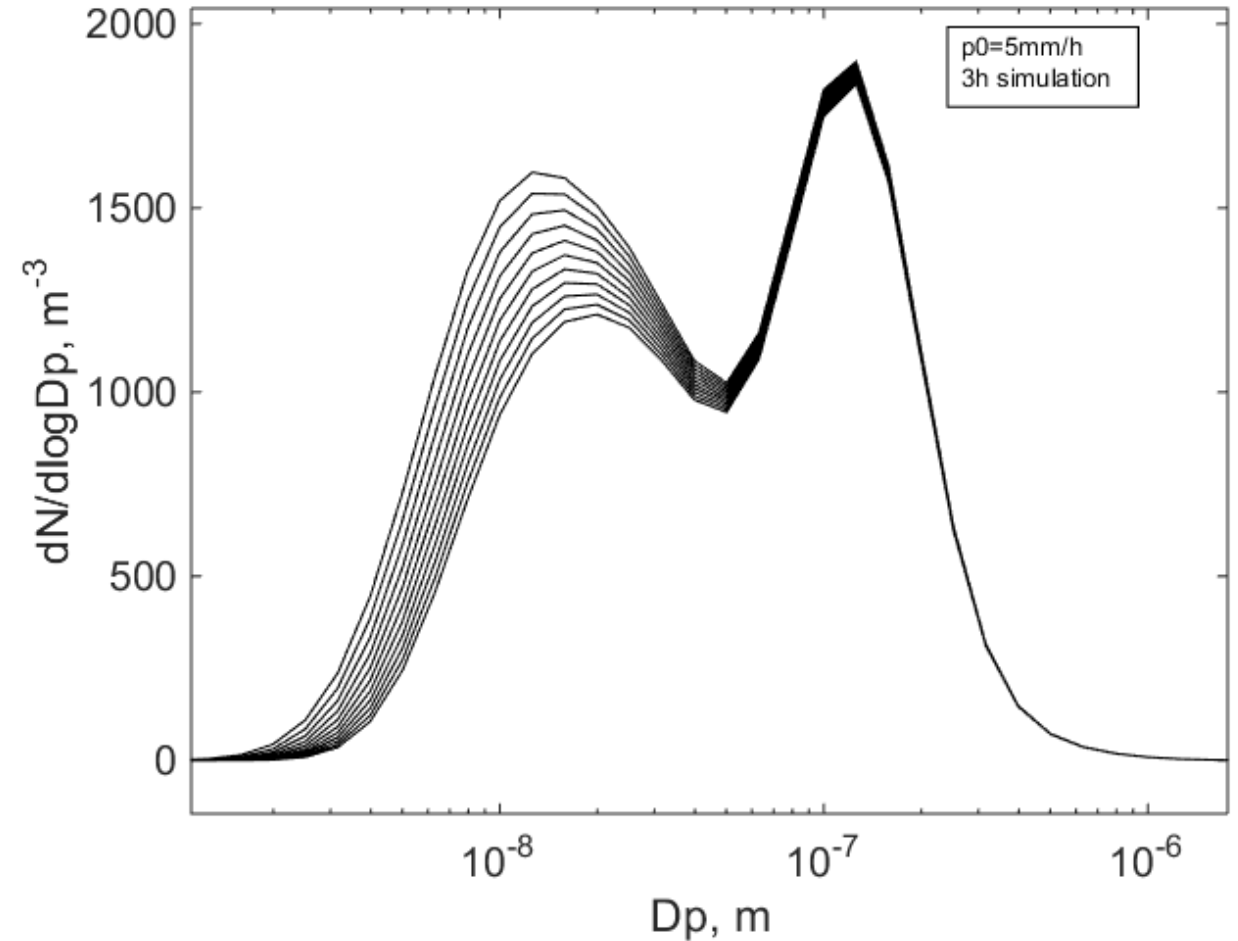
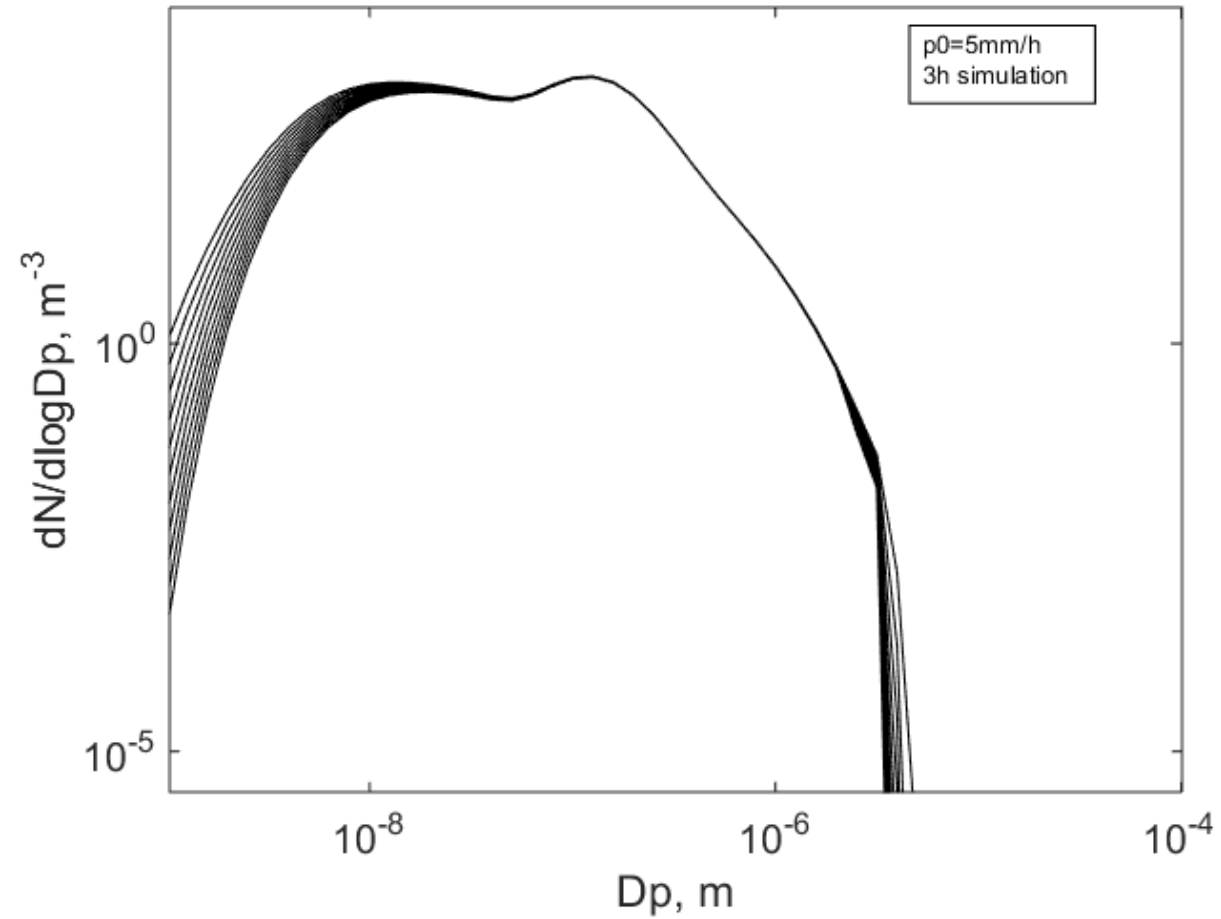


FIG. 2. Distribution function (solid straight lines) compared with results of Laws and Parsons (broken lines) and Ottawa observations (dotted lines).

Scavenging coefficient, Λ



Simulating below cloud scavenging



Simple approach: Assuming constant, linear and irreversible scavenging

$$\frac{\partial C}{\partial t} = -W_{\text{gas}/\text{rain}} + E + R$$

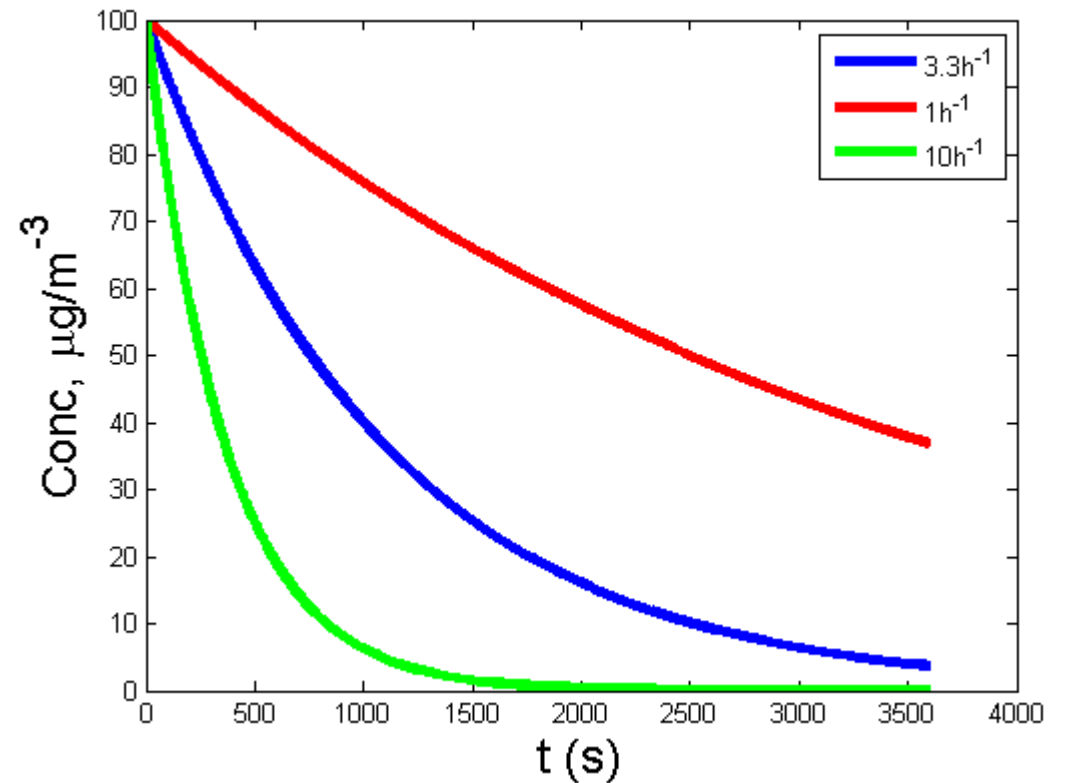
(where R and E are additional reactions and emissions, resp.)

Assuming no R or E, and as :

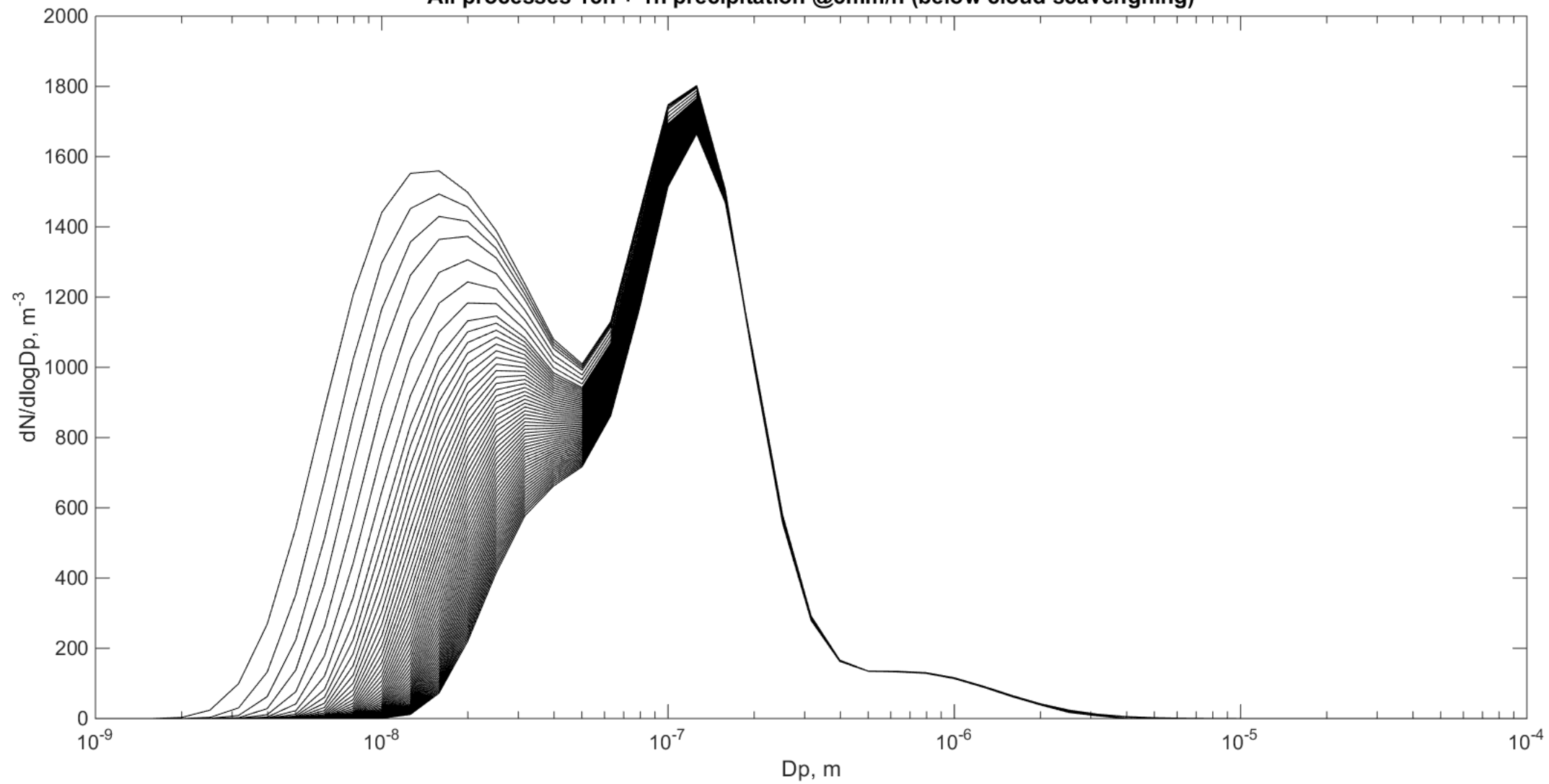
$$W_{\text{gas}/\text{rain}} = \Lambda_{i,\text{gas}} C_{i,\text{gas}} \text{ (e.g. } s^{-1} * \mu\text{g} / m^3 \text{)}$$

$$\frac{\partial C}{\partial t} = -\Lambda_{i,\text{gas}} C_{i,\text{gas}}$$

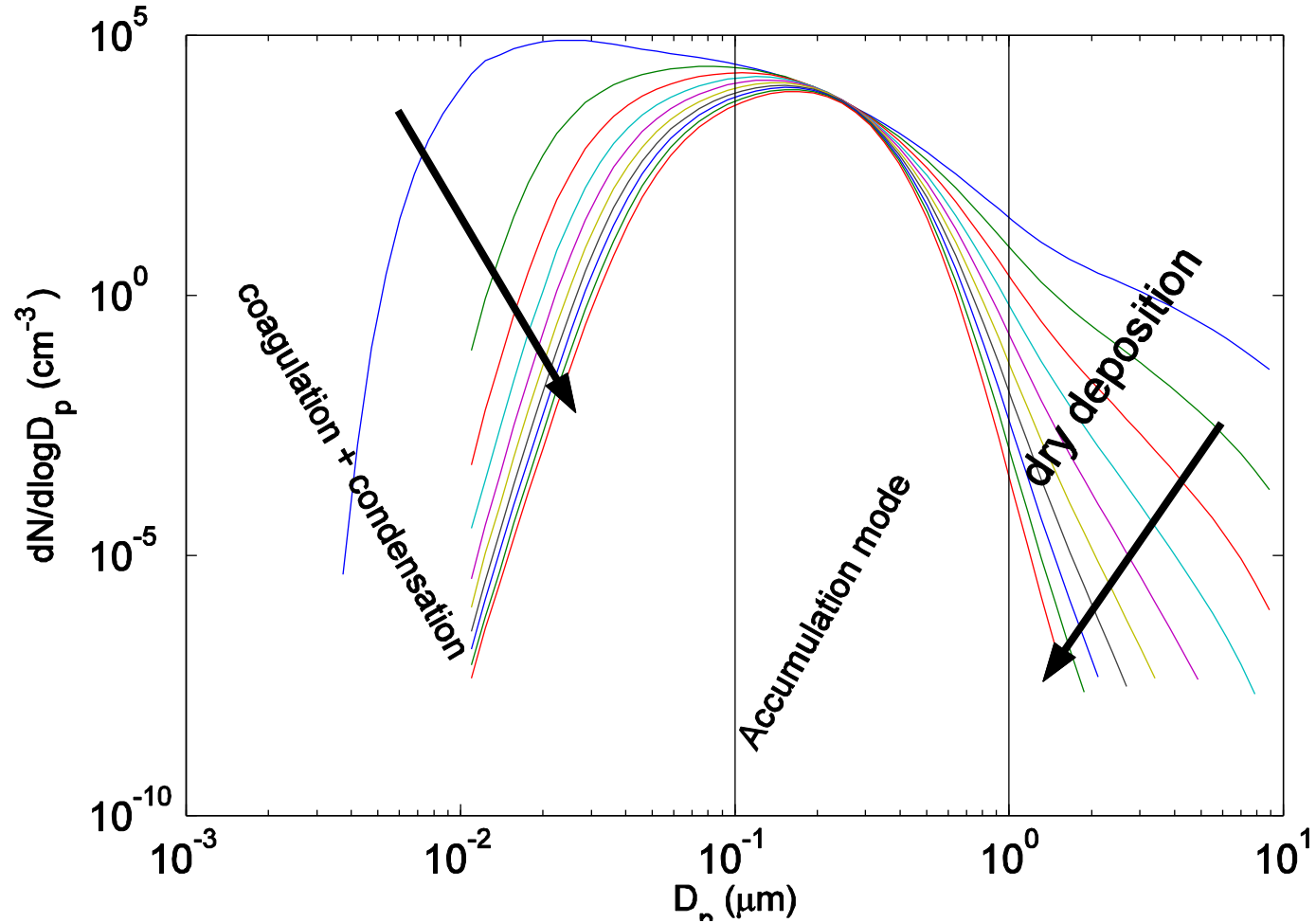
$$C = C_0 e^{-\Lambda_{i,\text{gas}} t}$$

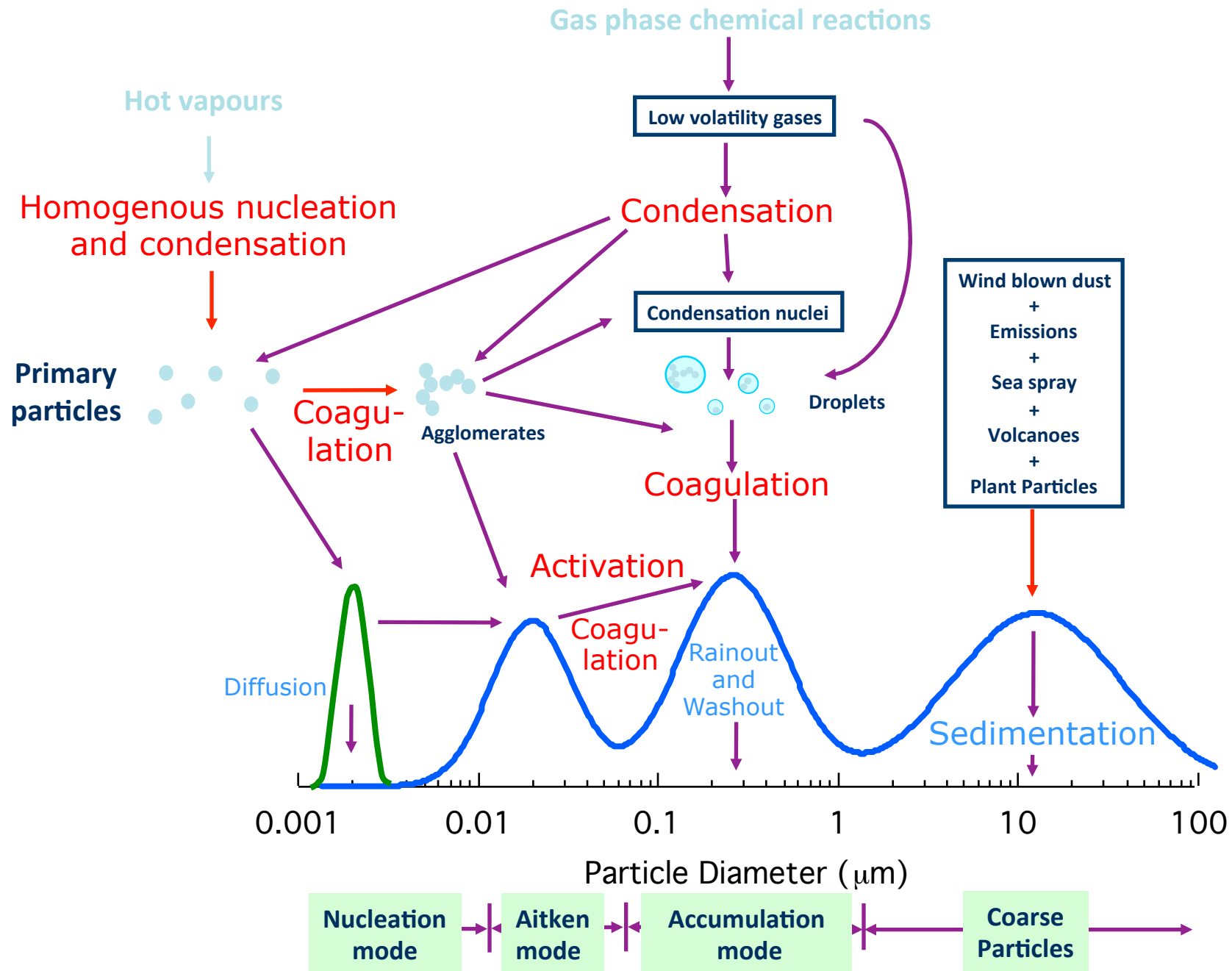


All processes 15h + 1h precipitation @5mm/h (below cloud scavenging)

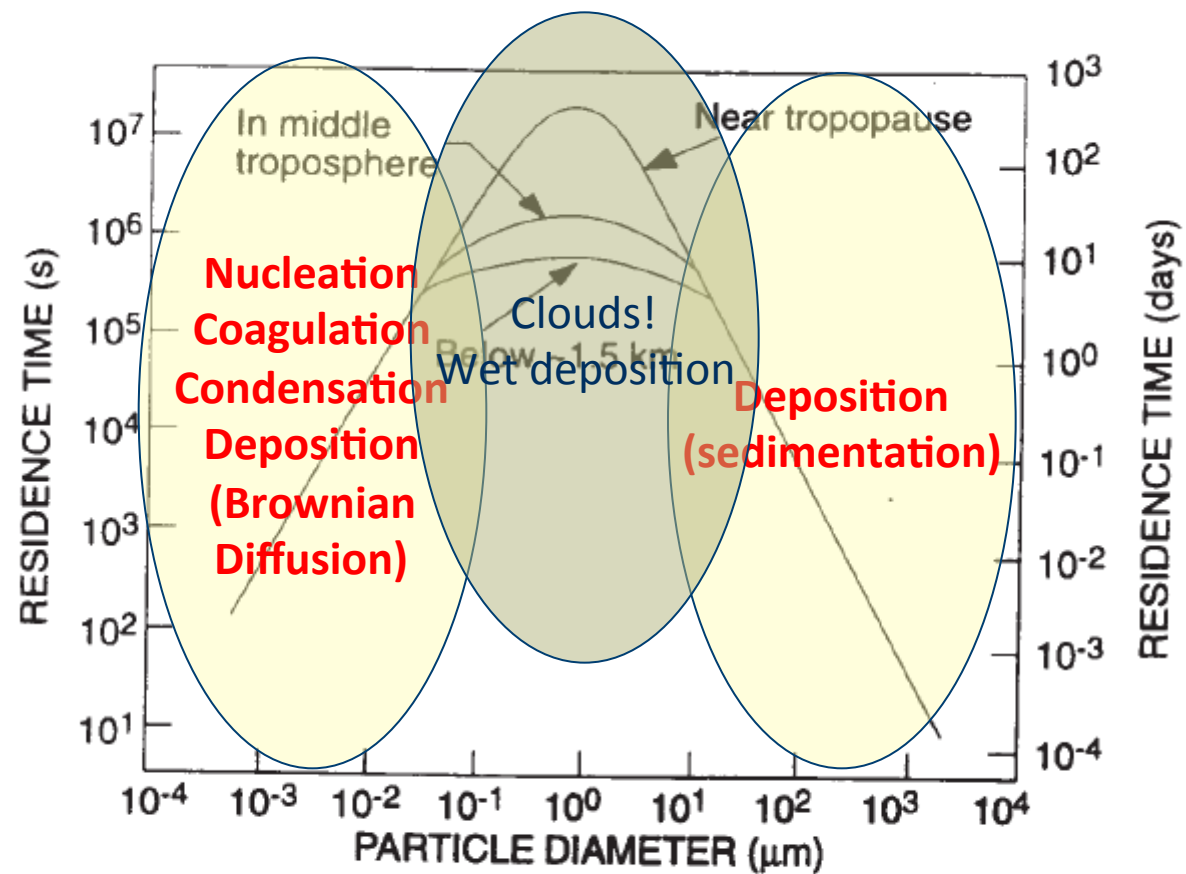


Aerosol dynamics: coagulation, condensation and dry deposition

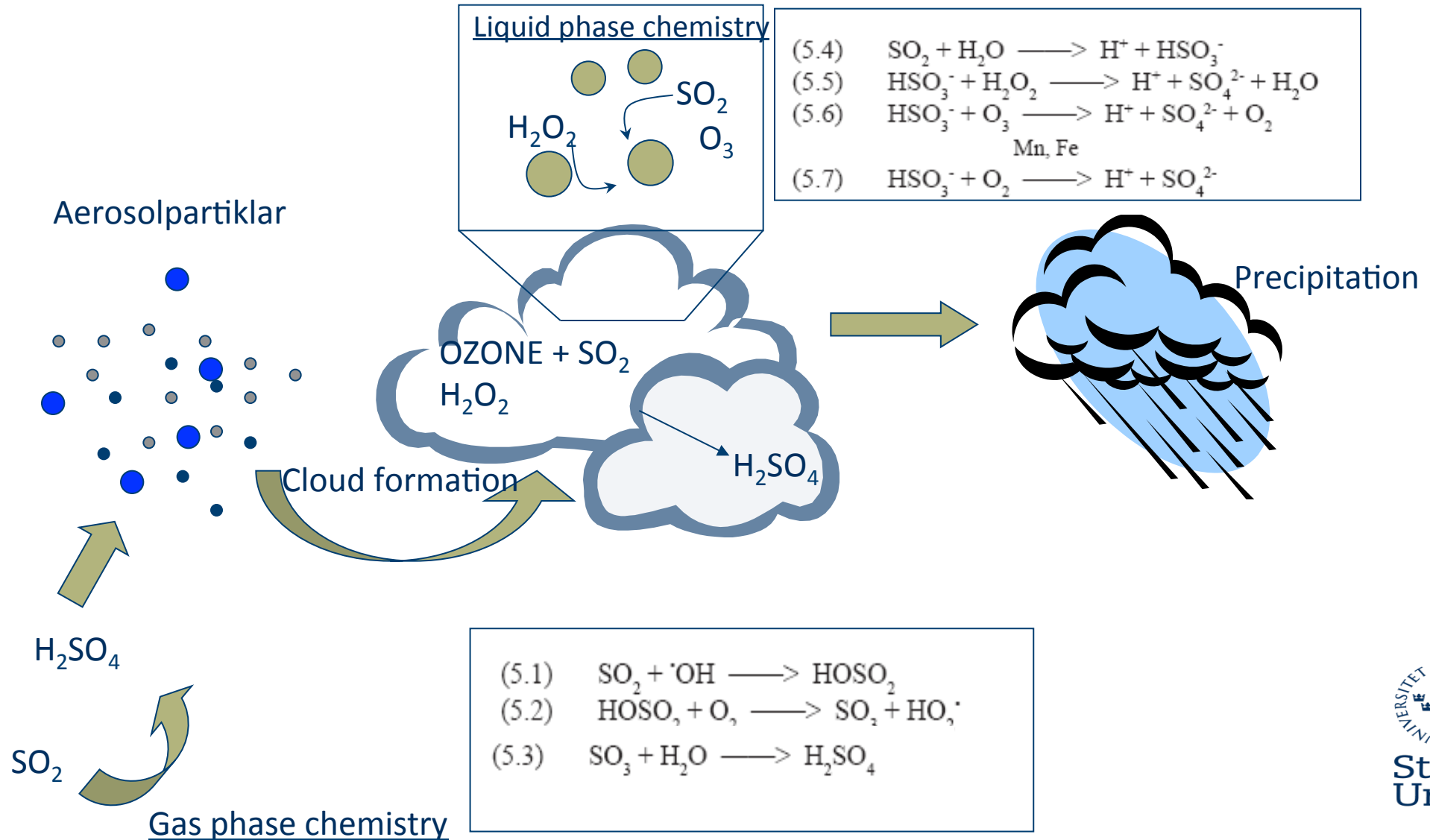




Explaining the residence time



Aerosol dynamics: Cloud processing



What can be learnt from Lagrangian experiments: transport between Värriö and Pallas 2006-2008

