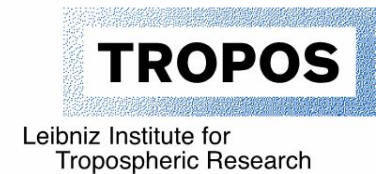


# Atmospheric Aerosol Physics, Physical Measurements, and Sampling

## Bipolar Charging & Condensation Particle Counters

São Paulo School of Advanced Science on Atmospheric Aerosols:  
properties, measurements, modeling, and effects on climate and health



# Particle Charging

## General comments

- One of the most important effects in aerosol mechanics is the transport of electrically charged particles in an electric field.
- The electrostatic force can be much greater than e.g. the gravitational force.
- Aerosol particles can be either uncharged, multiply, positively or negatively charged.
- The transport of aerosol particles in an electric field is widely used, mainly in electric particle filters, aerosol collectors, and instrumentation to measure size distributions.

## Electric force

- The fundamental equation, which describes the electrostatic force  $F_{\text{el}}$  between two charges is called **Coulomb's law**.

$$F_{\text{el}} = \frac{q_1 \cdot q_2}{4 \cdot \pi \cdot \epsilon_0 \cdot r^2}$$

with

$\epsilon_0$	... permittivity; $8,854 \cdot 10^{-12}$ As/Vm
$q_1, q_2$	... charges
$r$	... distance between the charges

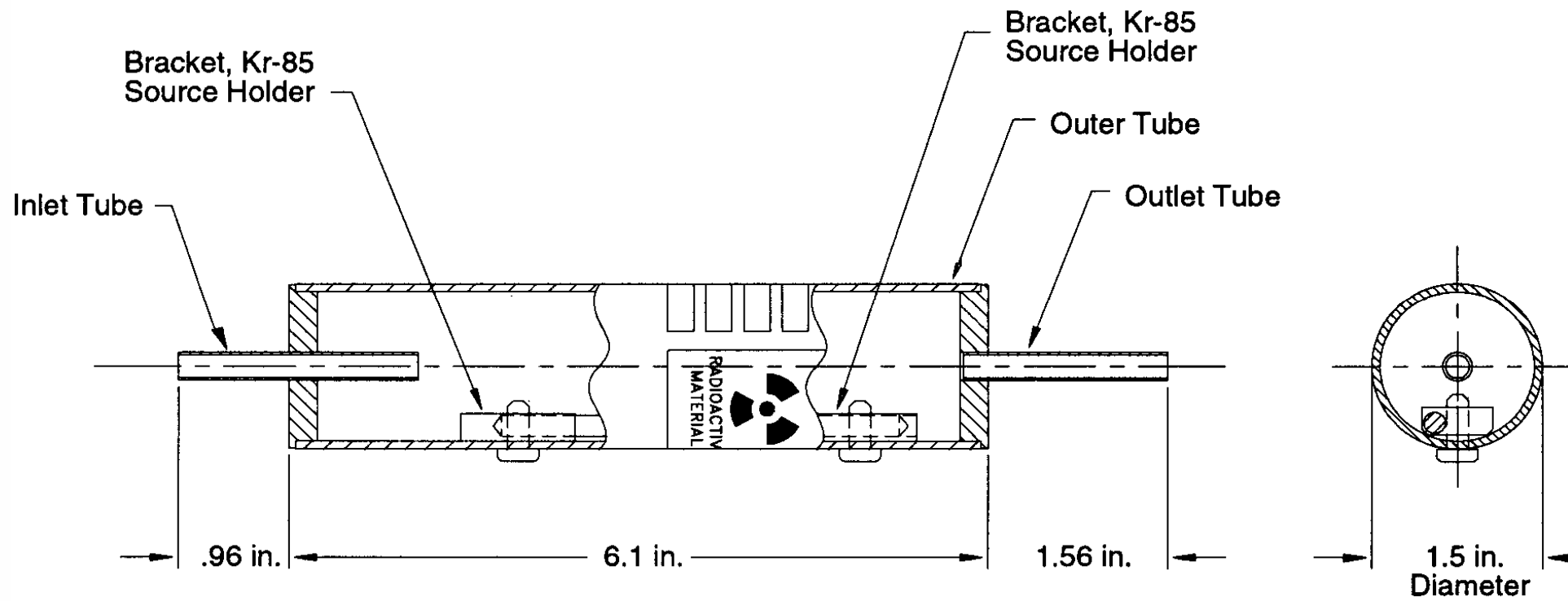
- The electrostatic force can be either repulsive ( $q_1$  and  $q_2$  are both positive or negative) or attractive ( $q_1$  positive and  $q_2$  negative, or vice versa).
- The electrical force of a charge in front of a surface with a different dielectric constant is called **image force** (decreases with the power of three of the distance).

# Bipolar Diffusion Charging

## Bipolar Diffusion Charging

- Particles are charged by positive and negative gas ions.
- The ions are produced and transported to the particles in a neutralizer or bipolar diffusion charger.
- The ions are produced due to ionization of gas molecules by radioactive alpha or beta radiation or X-ray
- $\text{Kr}^{85}$ ,  $\text{Am}^{241}$ ,  $\text{Ni}^{63}$ ,  $\text{Po}^{210}$
- The ions are transported to the particles due to
  - Diffusion
  - Coulomb forces
  - Image forces

## Example: Bipolar Charger TSI 3077A



(Manual: Neutralizer TSI 3077A)

## Bipolar charge distribution

- A single uncharged particle can be charged negatively by a negative ion at one moment.
- In the next moment, it can be neutralized by a positive ion.
- Each particle can be recharged several times during the bipolar charging process.
- The entire particle population however reaches a constant bipolar charge equilibrium with:
  - negatively and positively charged particles
  - uncharged, singly and multiple charged particles
- The different charge fractions of a certain particle size is constant (e.g. fraction of singly charged 100 nm particles).
- The fraction of negatively charged particles is greater than the fraction of positively charged particles (the mean mobility of negative ions is higher than the mobility of positive ions).



## Advantages of the bipolar charge distribution

- time independent
- narrow for particles smaller than 300 nm
- known for the entire submicrometer size range
- simple to calculate

## Disadvantages of the bipolar charge distribution

- broad for particles larger than 300 nm
- very low charging rate for particles smaller than 10 nm

## Applications

- Particle number size distribution measurements
- generation of fine and ultrafine particles
- neutralization of highly charged particles

# Theory of the Bipolar Charge Distribution

## Gunn distribution

- The **Gunn distribution** takes the different electrical mobilities of positive and negative ions into account.
- The Gunn equation is however only valid for particles larger than 100 nm (mean free path of the ions much greater than the particle diameter).
- To describe the ion transport, the **Gunn equation** takes only the diffusion process into account.

$$F(n) = \frac{e}{\sqrt{4\pi^2 \cdot D_p \cdot k \cdot T}} \cdot \exp \left( - \frac{\left( n - \left( \frac{2\pi \cdot \epsilon_0 \cdot D_p \cdot k \cdot T}{e^2} \right) \ln \frac{Z_{I+}}{Z_{I-}} \right)^2}{\left( \frac{4\pi \cdot \epsilon_0 \cdot D_p \cdot k \cdot T}{e^2} \right)} \right)$$

## Fuchs-distribution

- The **Fuchs theory** describes the ion transport for the continuum and free molecular regime.
- Diffusion process as well as electrostatic forces between particles and ions are taken into account.
- The Fuchs theory describes the bipolar charge distribution for the entire submicrometer size range.
- There is no analytical solution for the Fuchs theory.
- The bipolar charge distribution is described by an approximation formula.
- This formula is used to calculate the fraction of uncharged and singly charged particle in the size range 1-1000 nm.
- The fraction of doubly charged particle can be calculated in the range 20-1000 nm.

$$F(n) = 10^{\sum_{i=0}^5 a_i(n)(\log D_p / \text{nm})^i}$$

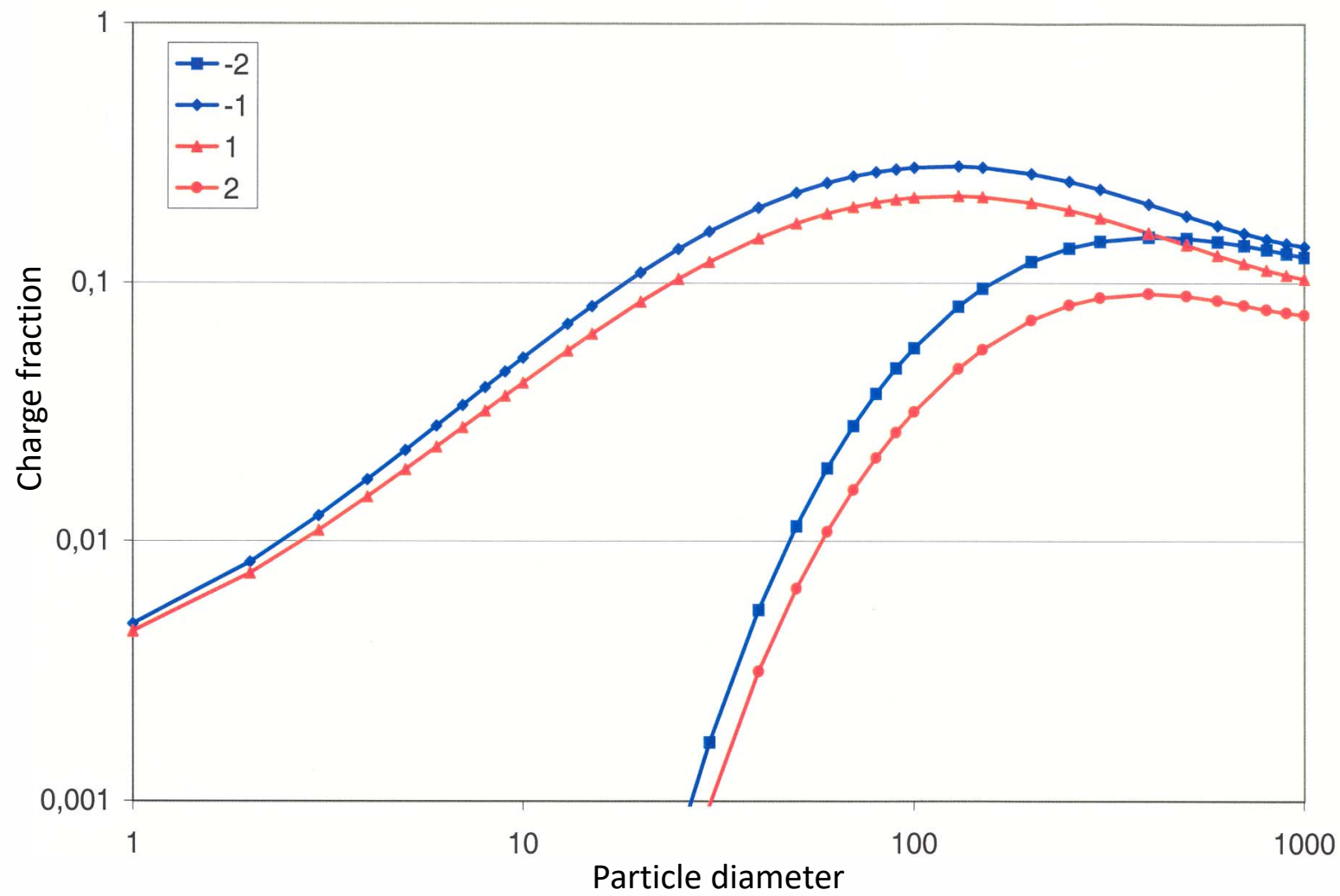
## Approximation coefficients

i	Approximation coefficients $a_i(n)$				
	n=-2	n=-1	n=0	n=+1	n=+2
0	-26.3328	-2.3197	-0.0003	-2.3484	-44.4756
1	35.9044	0.6175	-0.1014	0.6044	79.3772
2	-21.4608	0.6201	0.3073	0.4800	-62.8900
3	7.0867	-0.1105	-0.3372	0.0013	26.4492
4	-1.3088	-0.1260	0.1023	-0.1553	-5.7480
5	0.1051	0.0297	-0.0105	0.0320	0.5049

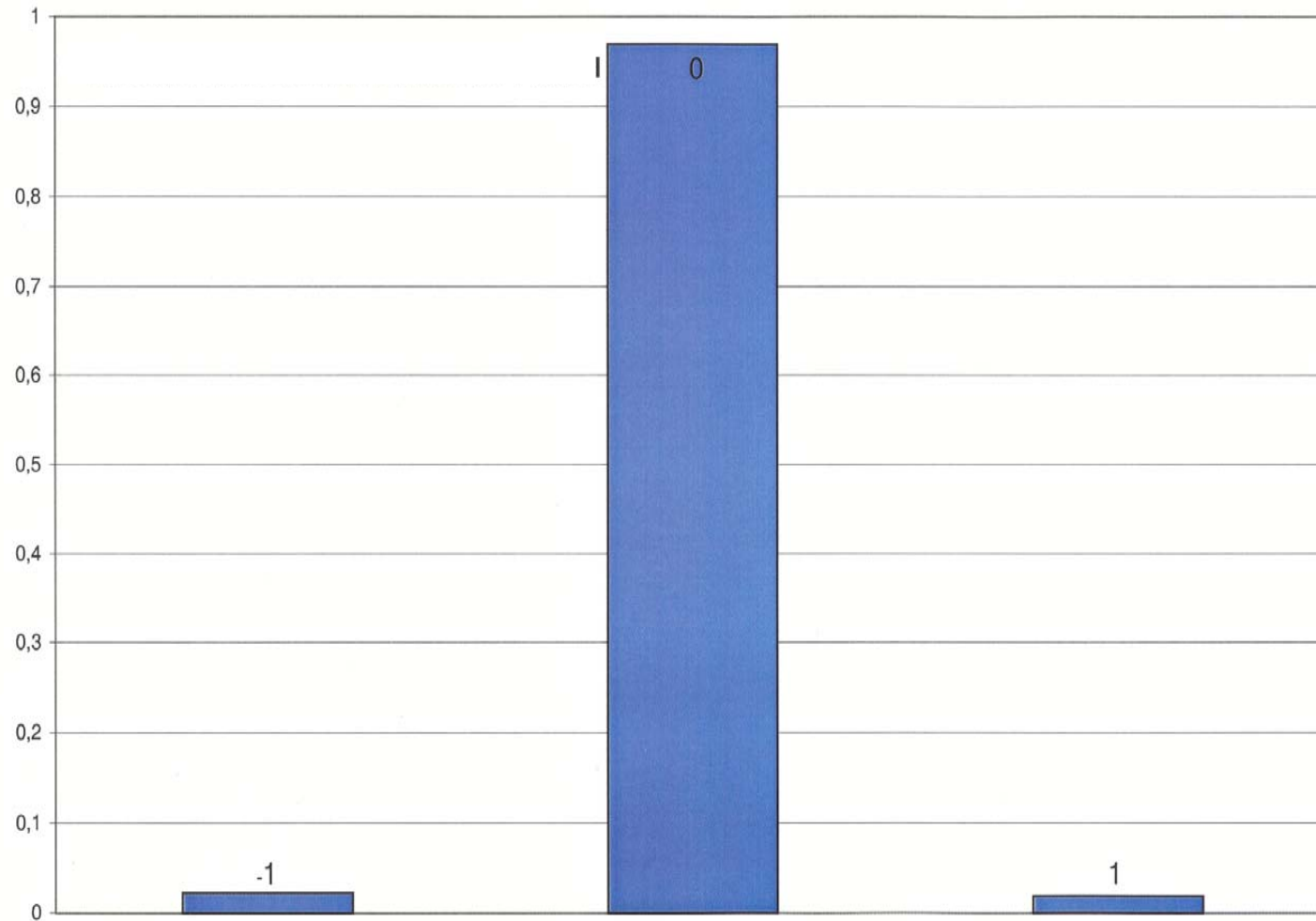
The fractions of multiple charged particles (-2, -1, 0, +1, +2) can be calculated using the approximation formula.

Wiedensohler, A. (1988). *J. Aerosol Sci.* 19, 387-389

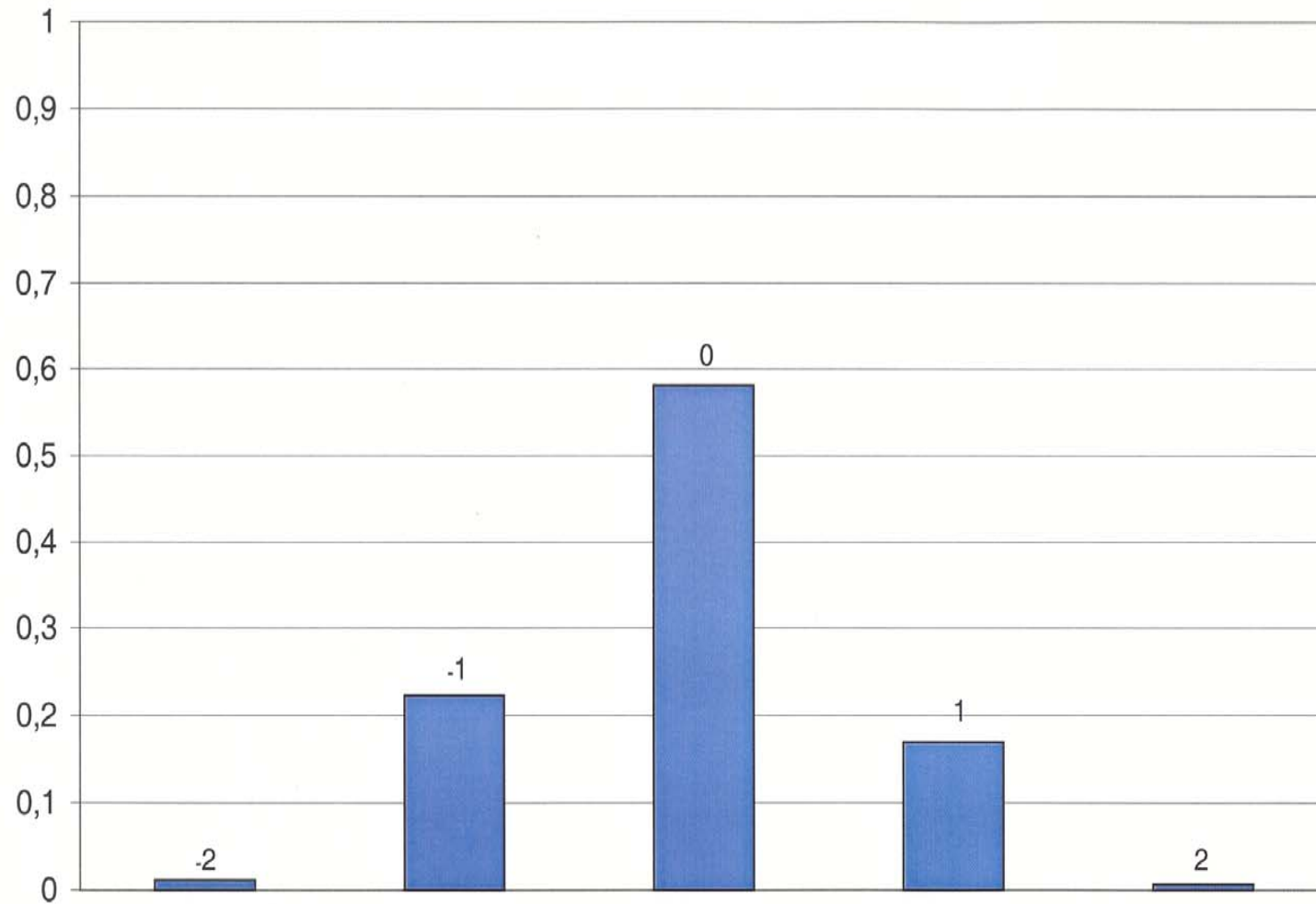
## Bipolar charge distribution: singly and doubly charged particles



## Bipolar charge distribution: 5 nm particles

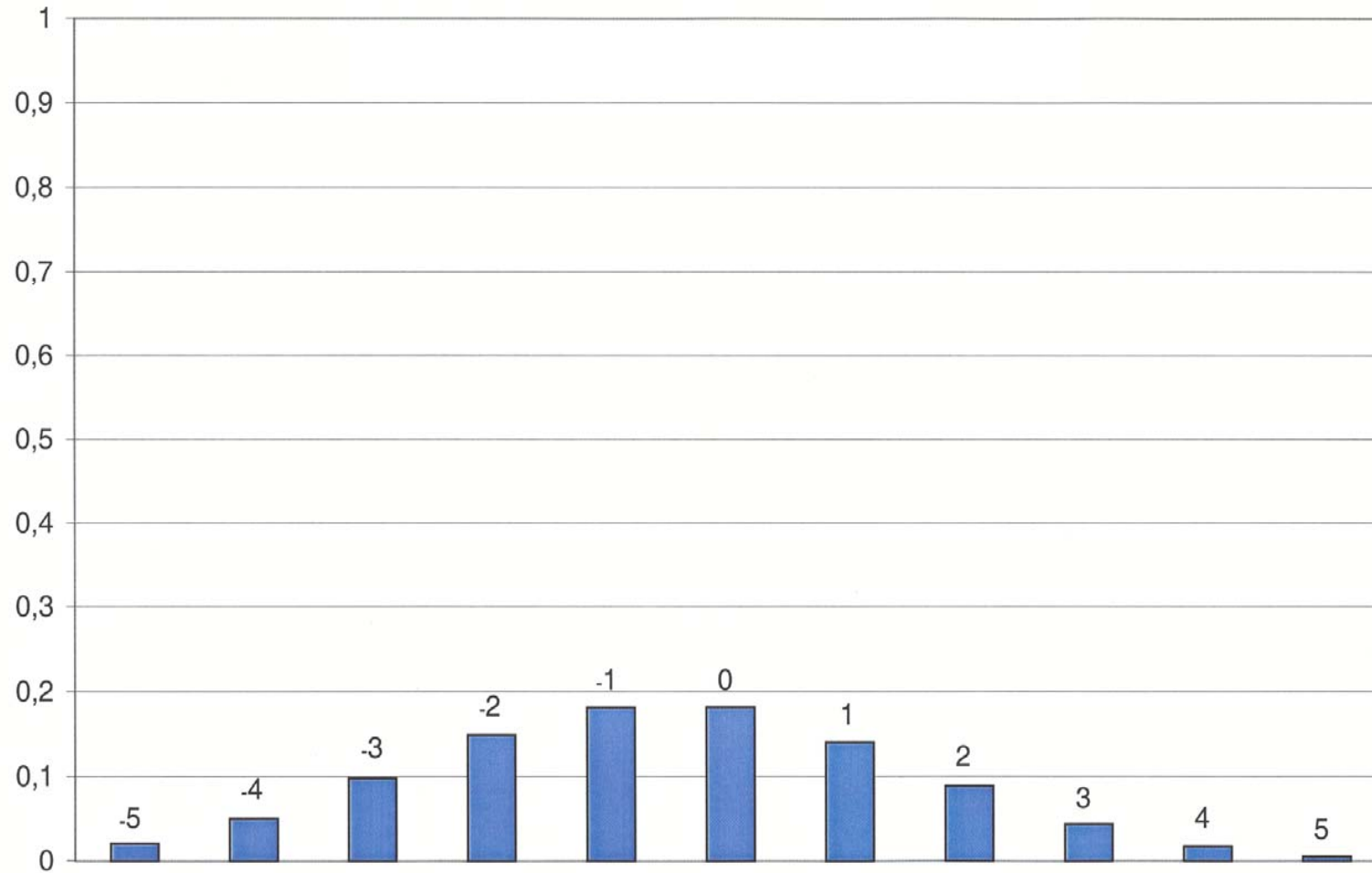


## Bipolar charge distribution: 50 nm particles





## Bipolar charge distribution: 500 nm particles



# Bipolar charge distribution: submicrometer particles

Dp	-10	-9	-8	-7	-6	-5	-4	-3	-2	-1	0	1	2	3	4	5	6	7	8	9	10	sum							
1	0	0	0	0	0	0	0	0	0	0,00479	0,999309	0,004483	0	0	0	0	0	0	0	0	0	1,008582							
2	0	0	0	0	0	0	0	0	0	0,008287	0,974178	0,007514	0	0	0	0	0	0	0	0	0	0,989979							
3	0	0	0	0	0	0	0	0	0	0,01254	0,976545	0,011019	0	0	0	0	0	0	0	0	0	1,000103							
4	0	0	0	0	0	0	0	0	0	0,017319	0,97513	0,014855	0	0	0	0	0	0	0	0	0	1,007305							
5	0	0	0	0	0	0	0	0	0	0,022491	0,969338	0,018936	0	0	0	0	0	0	0	0	0	1,010765							
6	0	0	0	0	0	0	0	0	0	0,027958	0,960507	0,023193	0	0	0	0	0	0	0	0	0	1,011658							
7	0	0	0	0	0	0	0	0	0	0,03364	0,949754	0,027577	0	0	0	0	0	0	0	0	0	1,010971							
8	0	0	0	0	0	0	0	0	0	0,039476	0,937844	0,032047	0	0	0	0	0	0	0	0	0	1,009367							
9	0	0	0	0	0	0	0	0	0	0,045416	0,92529	0,036568	0	0	0	0	0	0	0	0	0	1,007274							
10	0	0	0	0	0	0	0	0	0	0,051416	0,912431	0,041115	0	0	0	0	0	0	0	0	0	1,004962							
13	0	0	0	0	0	0	0	0	0	0,069473	0,873928	0,054707	0	0	0	0	0	0	0	0	0	0,998108							
15	0	0	0	0	0	0	0	0	0	0,081332	0,849282	0,063585	0	0	0	0	0	0	0	0	0	0,994199							
20	0	0	0	0	0	0	0	0	0,0002	0,109565	0,793069	0,084648	0,000101	0	0	0	0	0	0	0	0	0,987583							
25	0	0	0	0	0	0	0	0	0,000696	0,135157	0,744591	0,103716	0,000387	0	0	0	0	0	0	0	0	0,984546							
30	0	0	0	0	0	0	0	0	0,001681	0,157867	0,702788	0,120661	0,000966	0	0	0	0	0	0	0	0	0,983962							
40	0	0	0	0	0	0	0	0,005419	0,195066	0,634651	0,148553	0,003141	0	0	0	0	0	0	0	0	0	0,98683							
50	0	0	0	0	0	0	0	3,11E-05	0,011424	0,222862	0,581445	0,169587	0,006552	1,4E-05	0	0	0	0	0	0	0	0,991915							
60	0	0	0	0	0	0	0	0,000157	0,019157	0,243233	0,538606	0,185178	0,010879	7,05E-05	0	0	0	0	0	0	0	0,997281							
70	0	0	0	0	0	0	0	0,000493	0,027975	0,257873	0,503249	0,196538	0,015794	0,000221	0	0	0	0	0	0	0	1,002145							
80	0	0	0	0	0	0	0	0,001154	0,037325	0,268121	0,473478	0,204626	0,02103	0,000518	0	0	0	0	0	0	0	1,006252							
90	0	0	0	0	0	0	0	3E-05	0,002217	0,04679	0,275007	0,447998	0,210188	0,026384	0,000995	1,03E-05	0	0	0	0	0	1,00962							
100	0	0	0	0	0	0	0	7,84E-05	0,003719	0,056079	0,279319	0,425893	0,213796	0,03171	0,001669	2,69E-05	0	0	0	0	0	1,012289							
130	0	0	0	0	0	0	0	1,24E-05	0,000564	0,01064	0,081327	0,282142	0,373956	0,216832	0,046649	0,004775	0,000194	0	0	0	0	1,017091							
150	0	0	0	0	0	0	0	4,98E-05	0,001336	0,016745	0,095379	0,279019	0,347619	0,214917	0,055304	0,007515	0,000459	1,31E-05	0	0	0	1,018356							
200	0	0	0	0	0	0	0	2,29E-05	0,000463	0,005275	0,033989	0,12113	0,264091	0,299086	0,204259	0,071865	0,015254	0,001812	0,000122	0	0	1,01737							
250	0	0	0	0	0	0	0	0,000159	0,001716	0,011707	0,050601	0,136493	0,246477	0,265483	0,191075	0,082131	0,02271	0,004023	0,000451	3,21E-05	0	1,013059							
300	0	0	0	0	0	0	0	5,5E-05	0,00057	0,004038	0,019563	0,064792	0,145008	0,229754	0,240558	0,178281	0,08781	0,029079	0,006722	0,001062	0,000115	1,007408							
400	0	0	0	0	0	0	0	6,53E-05	0,000485	0,002711	0,011388	0,035967	0,085403	0,150602	0,202036	0,205575	0,15664	0,091014	0,038329	0,012359	0,002996	0,000546	0,99619						
500	0	0	0	0	0	0	0	5,91E-05	0,00036	0,001742	0,006718	0,02062	0,05038	0,097974	0,149	0,181581	0,181804	0,140331	0,089098	0,04397	0,017311	0,005425	0,988037						
600	0	0	0	0	0	0	0	4,69E-05	0,00025	0,0011	0,004006	0,012066	0,030045	0,061859	0,105306	0,144743	0,166668	0,164351	0,128212	0,085601	0,047261	0,021255	0,007904	0,00243	0,000618	0,00013	2,26E-05	0	0,983875
700	0	0	0	0	0	0	0	0,000167	0,000689	0,00241	0,00716	0,018074	0,038759	0,070618	0,109314	0,139729	0,155806	0,150849	0,119196	0,082039	0,04906	0,024265	0,010197	0,00364	0,001104	0,000285	6,23E-05	1,16E-05	0,983435
800	0	0	0	0	0	0	0	0,00043	0,00146	0,004293	0,010948	0,024206	0,046407	0,077146	0,1112	0,134759	0,147932	0,140006	0,112483	0,079024	0,049906	0,026508	0,012209	0,004876	0,001688	0,000507	0,000132	2,98E-05	0,986149
900	0	0	0	0	0	0	0	0,000889	0,002595	0,006669	0,015099	0,030118	0,052923	0,081922	0,111713	0,130165	0,142315	0,131047	0,107515	0,076776	0,050136	0,028149	0,013923	0,006066	0,002328	0,000787	0,000235	6,15E-05	0,991431
1000	0	0	0	0	0	0	0	0,001578	0,004081	0,009418	0,01939	0,035617	0,05837	0,085344	0,111328	0,126067	0,138452	0,123481	0,103896	0,075353	0,049963	0,029325	0,015356	0,007174	0,00299	0,001112	0,000369	0,000109	0,998771

## Mean particle charge

An approximation formula can be used to calculate the mean particle charge for particles larger than 100 nm.

$$\bar{n} = \frac{D_P \cdot k \cdot T}{2e^2} \ln \left( 1 + \frac{\pi \cdot D_P \cdot c_I^2 \cdot e^2 \cdot N_I \cdot t}{2k \cdot T} \right)$$

$c_I$  ... mean thermal ion velocity

$N_I$  ... ion concentration

$t$  ... charging time

# Particle Counting

## Principle of a CPC

- A Condensation Particle Counter (CPC) and is used to measure the particle number concentration down to few nanometer in particle size.
- The lower detection efficiency is much lower compared to an optical particle size spectrometer.
- The aerosol flow is saturated with a vapor of a working fluid.
- The particle subsequent enlarged to droplets by condensation of a condensable gas. The particles reach a size at which they can be optically detected.
- The number concentration is measured for all particle larger than the lower detection diameter.

## The lower detection diameter

- the Kelvin diameter (supersaturation)
- diffusion coefficient of the condensable gas
- the particle material

The lower detection limits are specific for each CPC type.

## Following techniques in the past

- microscope (particles collected on a plate)
- picture (cloud chamber)
- extinction
- single particle in a continuous flow
- expansion chamber CPC (extinction)

## Modern type of CPCs

- continuous flow CPC (single particle)

# Continuous Flow CPC

## Butanol CPC

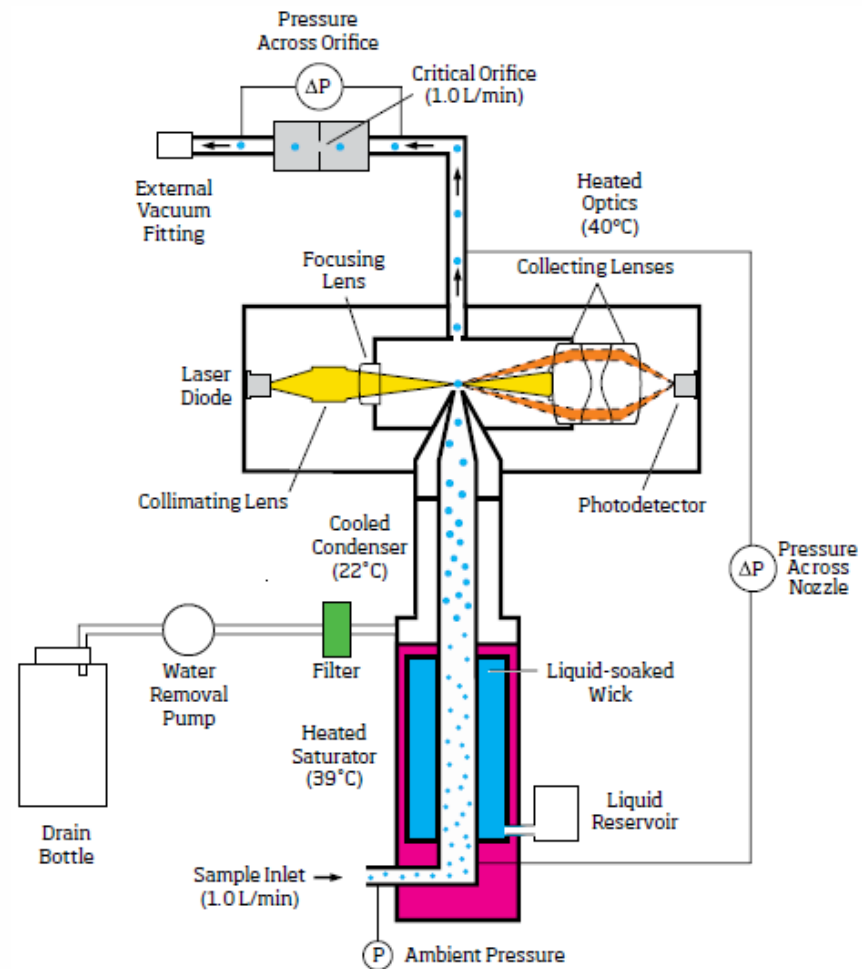
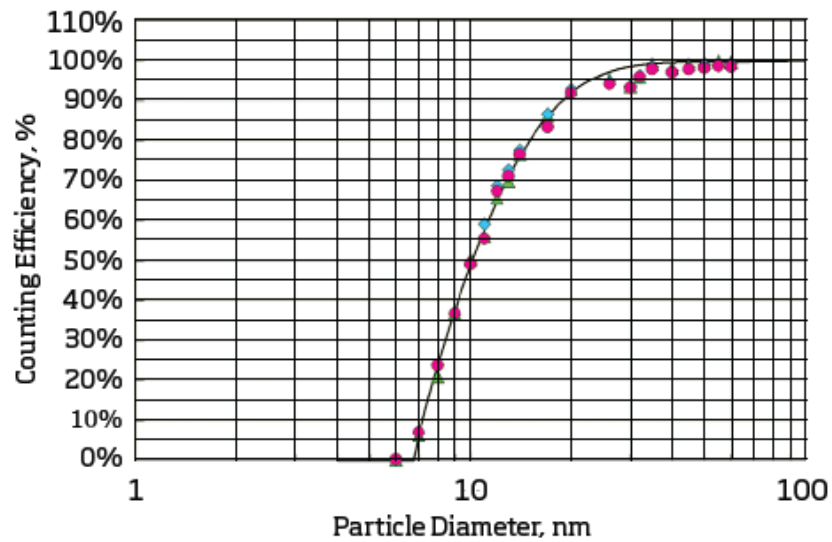
- The aerosol flow is saturated with butanol in a slightly heated saturator.
- The temperature of the butanol-aerosol mixture is decreased by 17-27°C in the condenser of the CPC.
- The butanol becomes supersaturated and condenses onto the particles.
- The particles grow to droplets of several  $\mu\text{m}$  in diameter.
- The droplet flow is focused in a nozzle and introduced into a counting optic.
- The droplets pass a laser beam, and each single particle creates a light pulse.
- Pulses with an amplitude above a certain threshold are counted.
- The particle number concentration can be calculated by knowing the aerosol flow rate.



# CPC TSI model 3772/3750



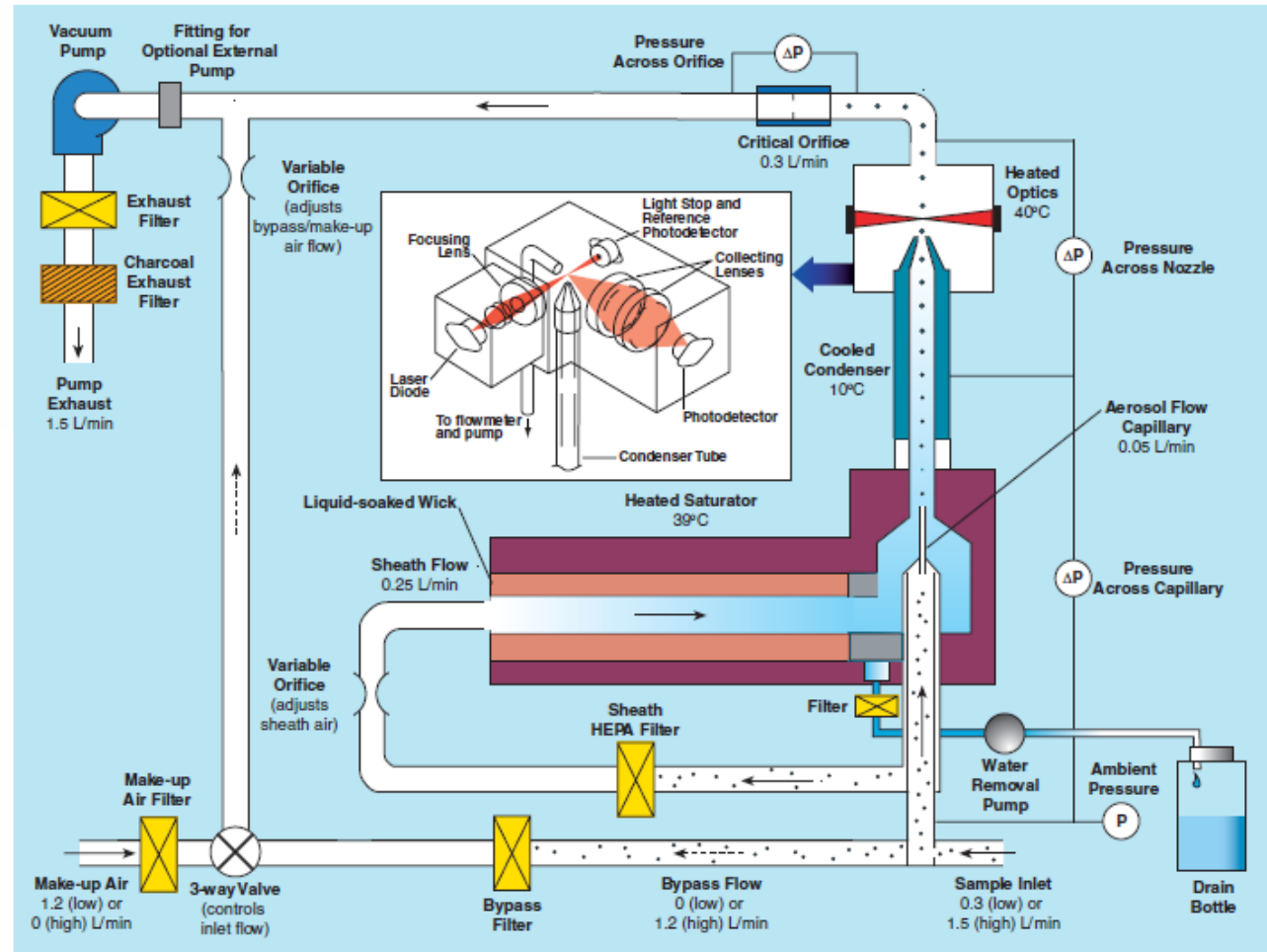
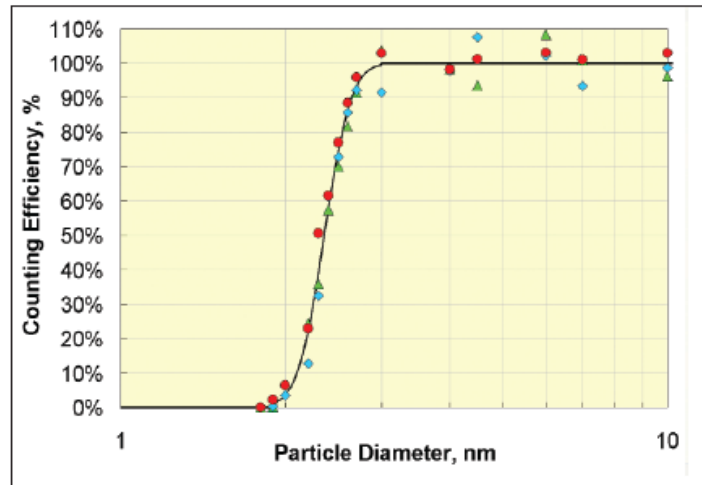
TSI Model 3772 Efficiency, Sucrose Particles



# CPC TSI model 3776/3756



TSI Model 3776 Efficiency, Sucrose Particles



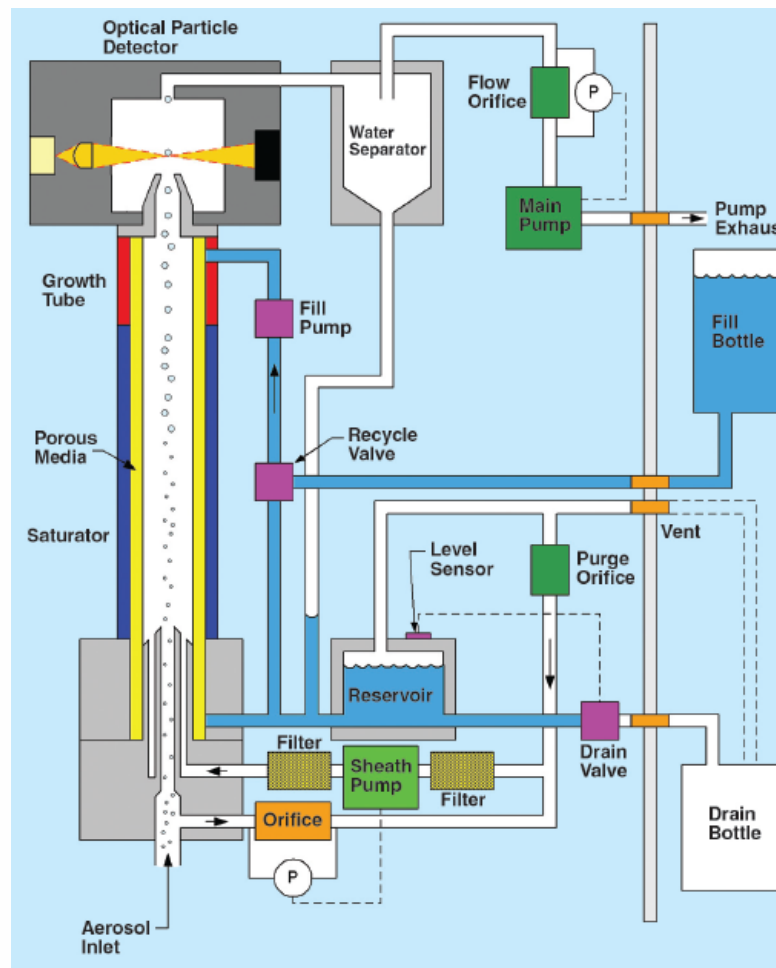
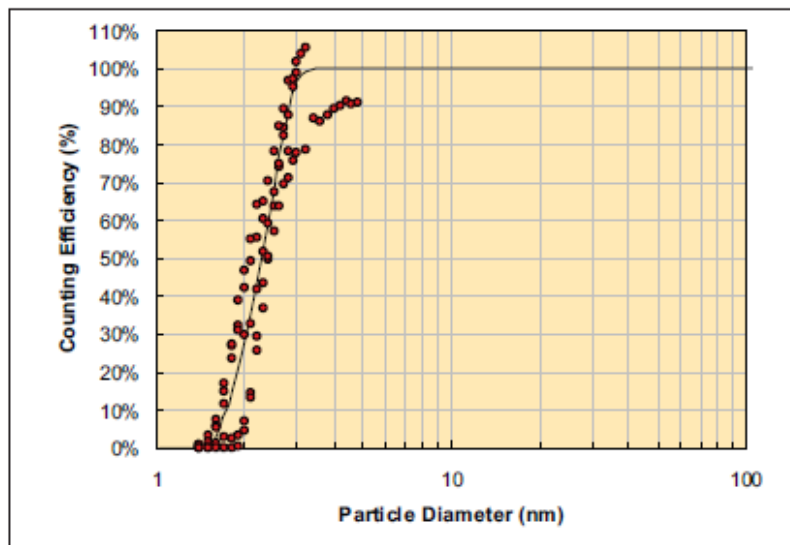
## Water CPC

- Instead of alcohol, water is used for the measurement of sub-micrometer aerosol particles.
- The aerosol flow is saturated with water vapor and temperature equilibrated in a cooled saturator.
- Then the flow passes through a condenser with heated walls, which contain water. This produces an elevated vapor pressure.
- Evaporated water vapor diffuses faster to the center of the aerosol flow than the heat from the walls and thus supersaturates it.
- The particles act as condensation nuclei when they are larger than the activation size and grow quickly to droplets of a detectable size.
- The droplet flow is focused in a nozzle and introduced into a counting optic.
- The droplets pass a laser beam, and each single particle creates a light pulse.
- Pulses with an amplitude above a certain threshold are counted.
- The particle number concentration can be calculated by knowing the aerosol flow rate.

# TSI CPC model TSI 3786/3788



TSI Model 3786 Efficiency



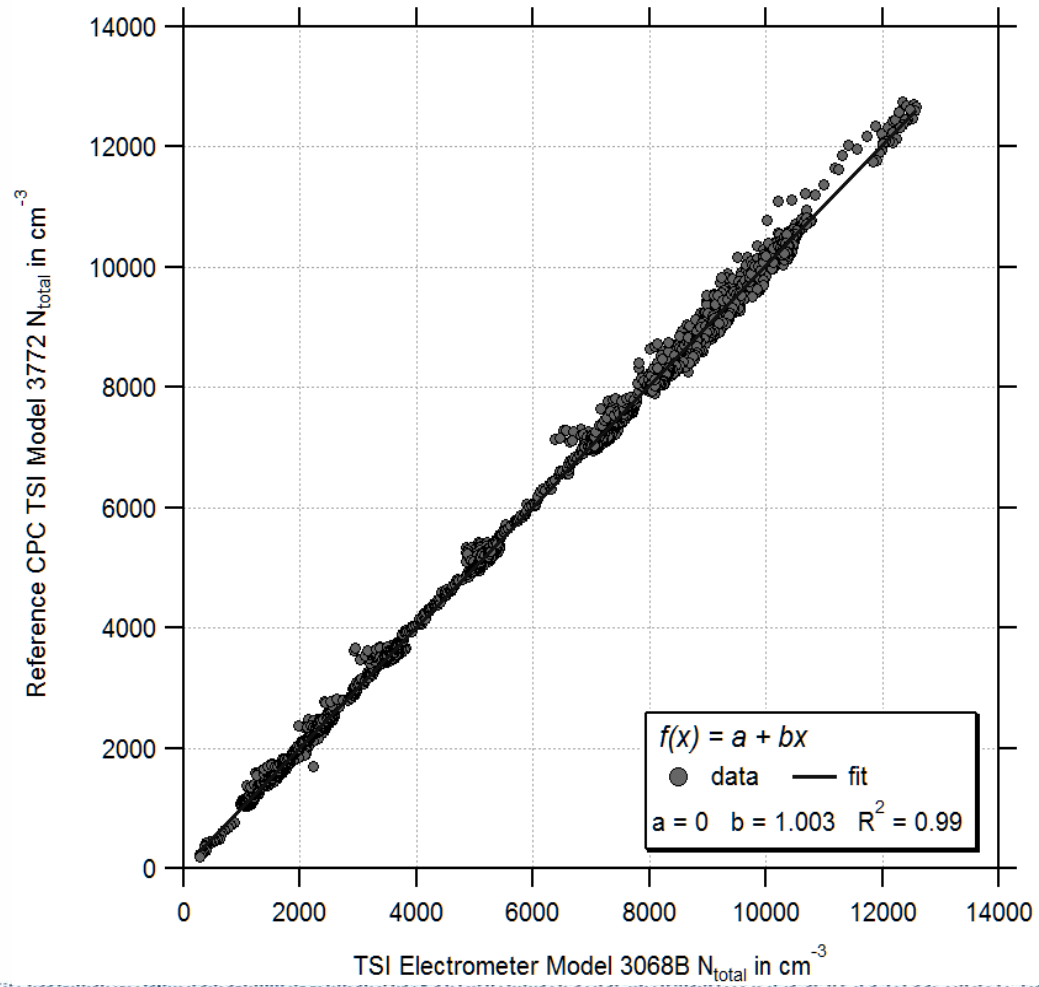
# CPC - Traceability & Calibration

Wiedensohler, A. et al. (2018). Mobility Particle Size Spectrometers: Calibration Procedures and Measurement Uncertainties. *Aerosol Science & Technology* **52**(2), 146–164.

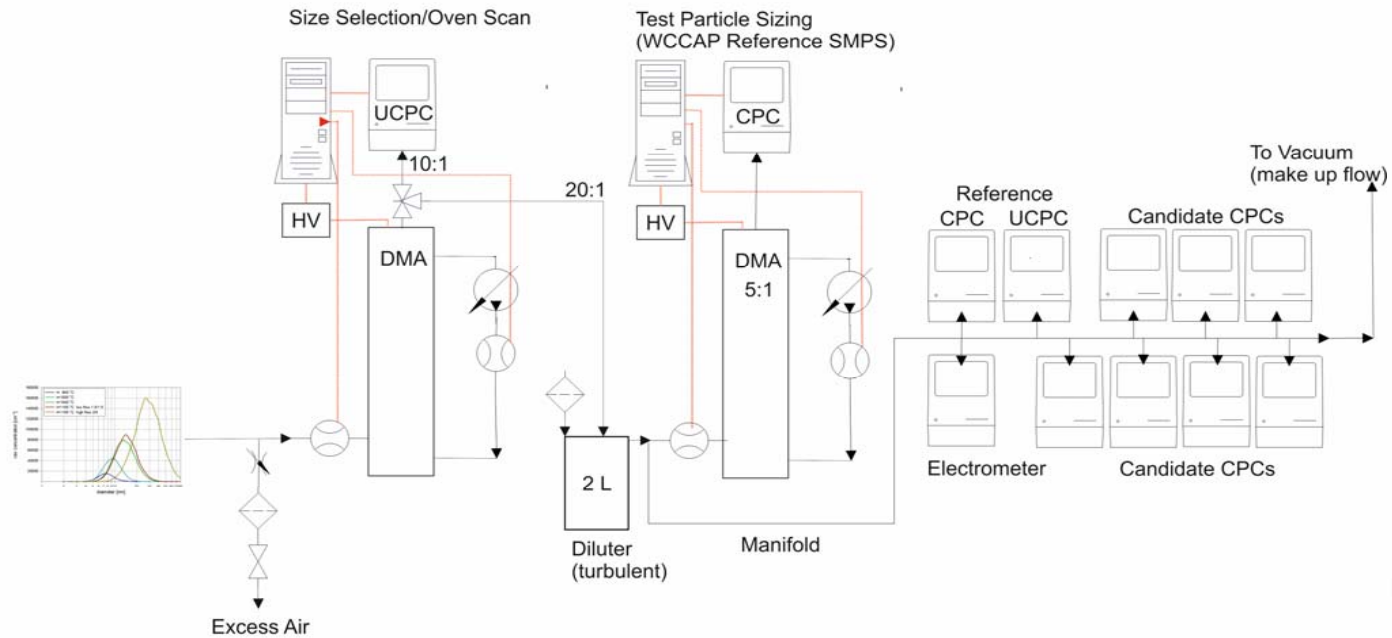
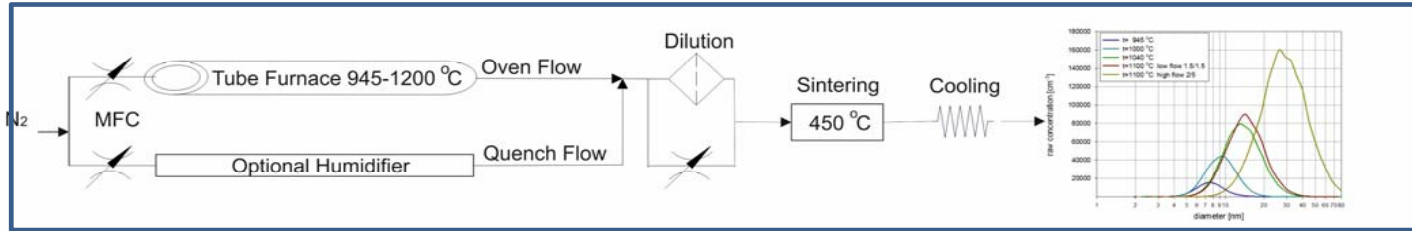
## Particle Number Concentration

- There is **no direct standard** for a particle number concentration!
- The **reference** concentration is determined from an independent **aerosol electrometer** measurement
- **Following calibration chain is applied:**
  - Calibration of an aerosol electrometer against a femto-A source (at a metrology institute such as NIST, NPL, PTB)
  - Calibration of reference condensation particle counter
  - Calibration of individual instruments

## Reference Electrometer - CPC

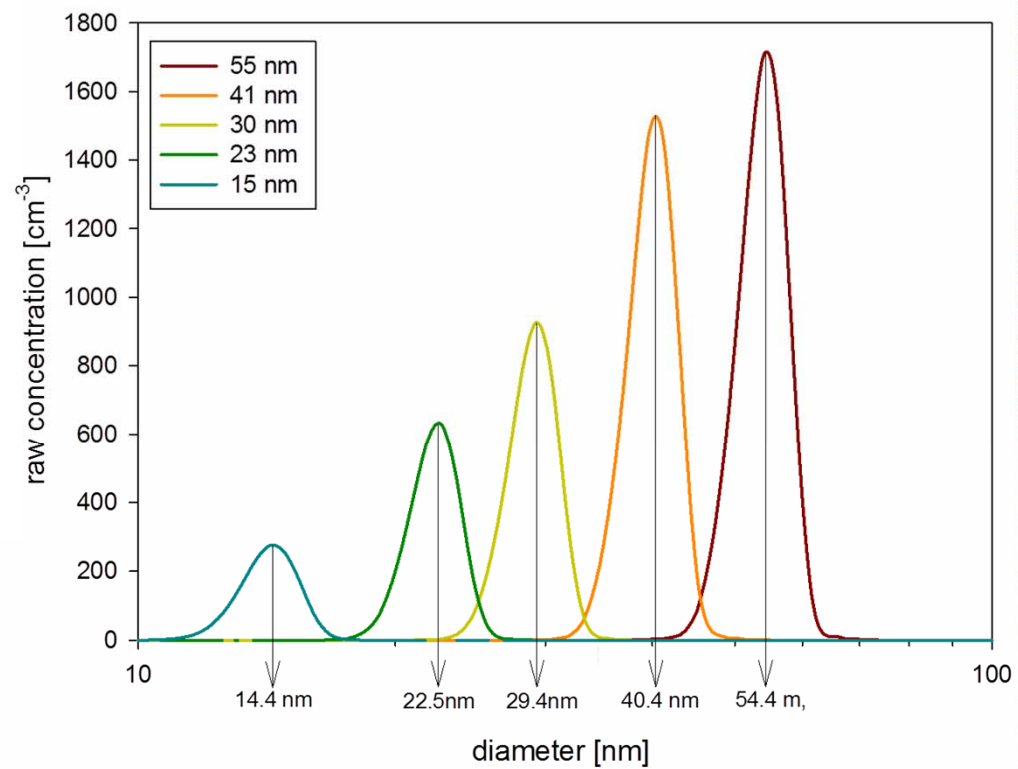
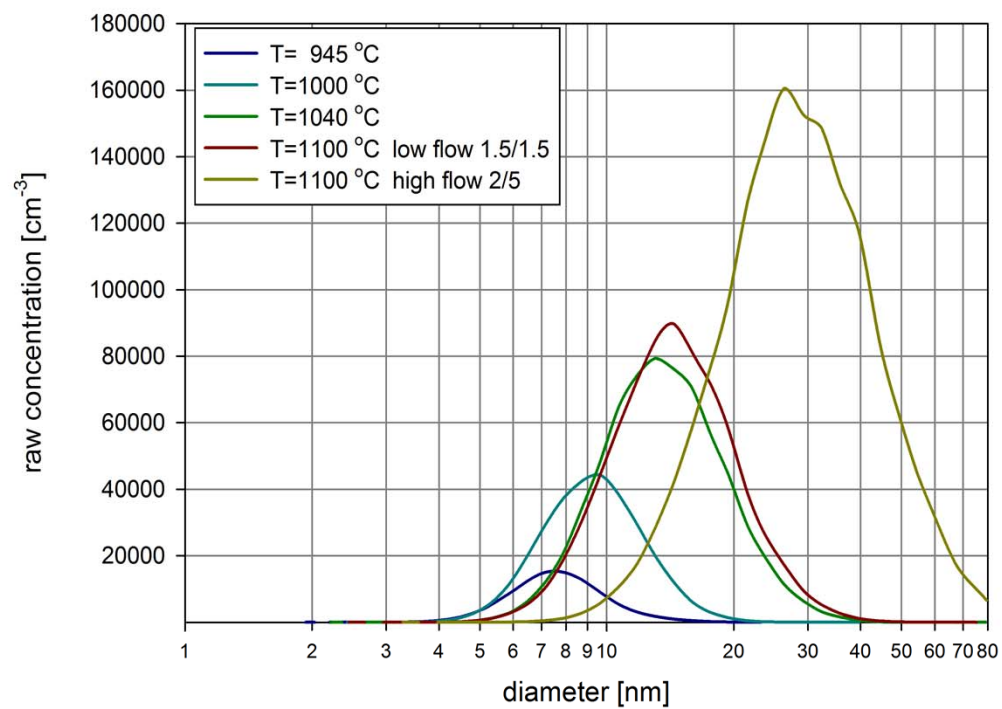


# CPC - Calibration Set-Up





## Tube Furnace Generator & Particle Selection



## Calibration: CPC TSI models 3772, 3776

